

# A Simulation Study on Binaural Dereverberation and Noise Reduction based on Diffuse Power Spectral Density Estimators

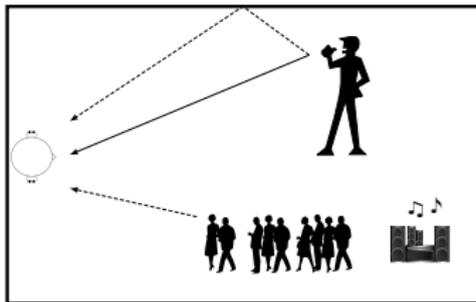
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19.08.2017

## Binaural Speech Enhancement

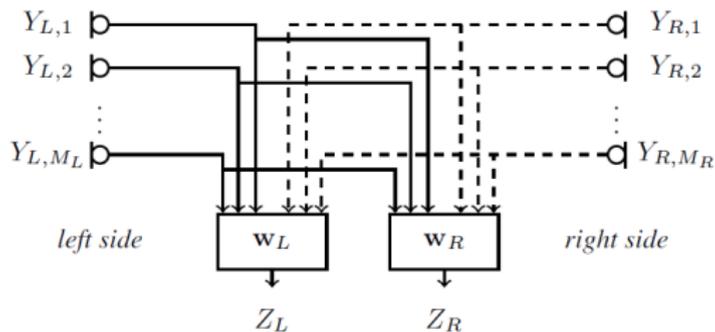
- Hearing impaired suffer from loss of speech understanding in **noisy and reverberant environments**
- Binaural dereverberation and noise reduction required
- Here: focus on **diffuse noise and late reverberation**



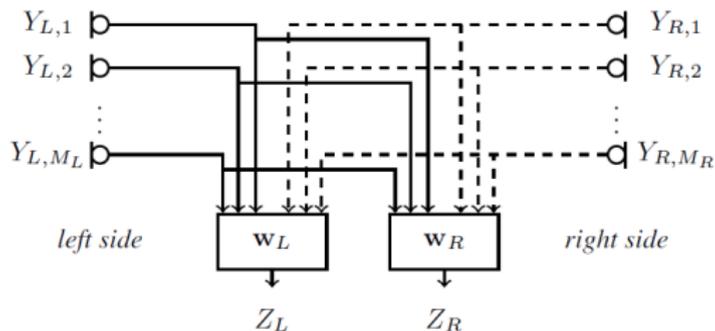
### Objective of binaural dereverberation and noise reduction

- Improve speech quality and intelligibility
- Preserve spatial awareness (binaural cue preservation)

## Binaural Hearing Aid Configuration



## Binaural Hearing Aid Configuration



Frequency-domain signal model

$$\mathbf{y} = \mathbf{x} + \mathbf{d} = \mathbf{S}_{L,R} \mathbf{a}_{L,R} + \mathbf{d}$$

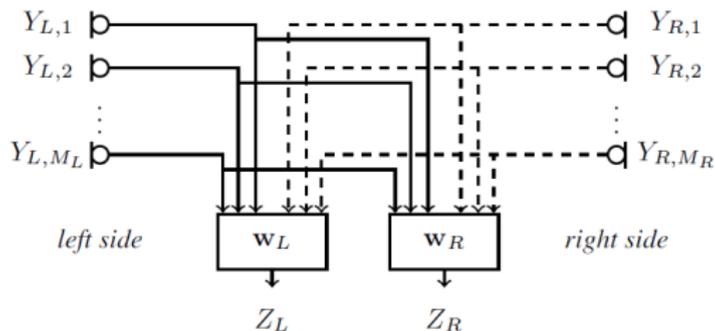
$\mathbf{x}$  → direct (and early reverberation) speech component

$\mathbf{S}_{L,R}$  → target signal in the reference microphones (left/right)

$\mathbf{a}_{L,R}$  → relative early transfer functions (RETFs) of target signal

$\mathbf{d}$  → **late reverberation and background noise (diffuse)**

## Binaural Hearing Aid Configuration



Frequency-domain signal model

$$\mathbf{y} = \mathbf{x} + \mathbf{d} = \mathbf{S}_{L,R} \mathbf{a}_{L,R} + \mathbf{d}$$

Uncorrelated signal components

$$\Phi_{\mathbf{y}} = \Phi_{\mathbf{x}} + \Phi_{\mathbf{d}} = \Phi_{\mathbf{S}_{L,R}} \mathbf{a}_{L,R} \mathbf{a}_{L,R}^H + \Phi_{\mathbf{d}} \Gamma$$

$\Phi_{\mathbf{S}_{L,R}}$  → time-varying target signal PSD

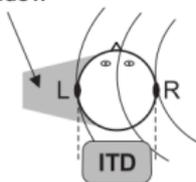
$\Phi_{\mathbf{d}}$  → **time-varying diffuse PSD**

$\Gamma$  → time-invariant spatial coherence of diffuse sound field

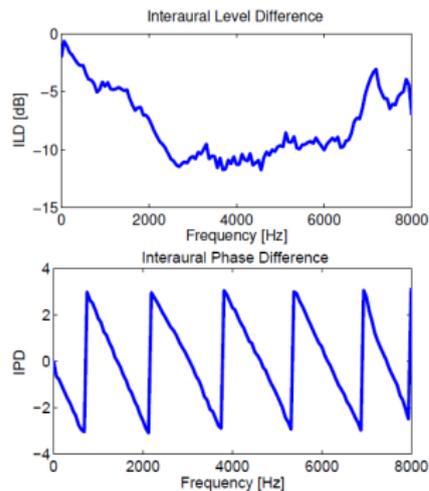
## Binaural Cues

Directional sources: described by **Interaural Level Difference (ILD)** and **Interaural Phase/Time Difference (IPD/ITD)**

ILD = head shadow

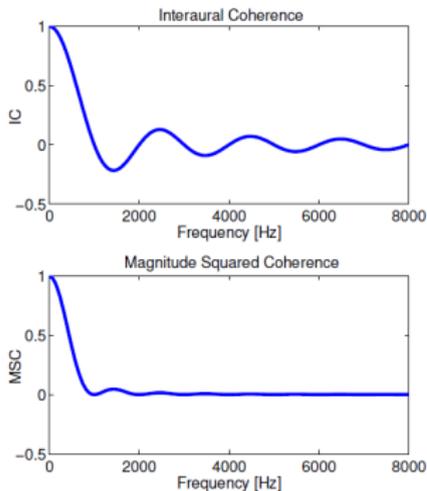
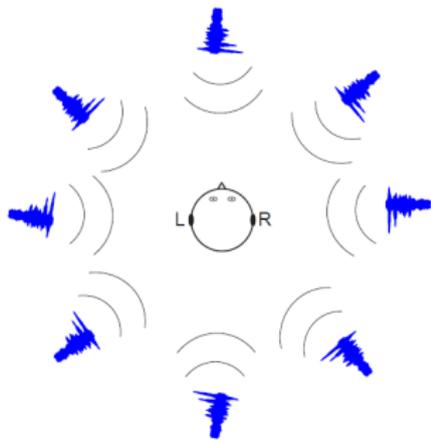


speech



# Binaural Cues

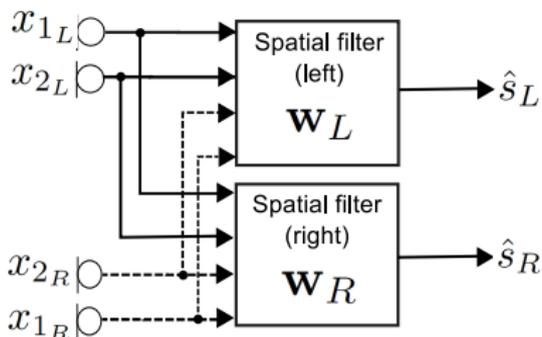
Diffuse sound fields: described by **Interaural Coherence (IC)** and **Magnitude Squared Coherence (MSC)**



## Binaural Speech Enhancement Techniques

- 1 Binaural Minimum Variance Distortionless Response (MVDR) beamformer

**Objective:** minimize output PSD of interference (reverberation and noise) while preserving target signal



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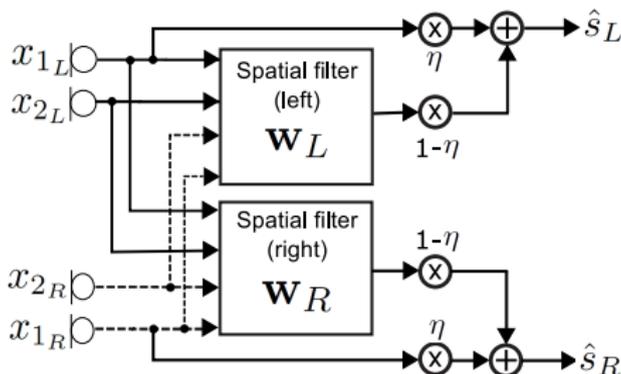
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- Perfect preservation of binaural cues of speech source
- Distortion of output MSC of interference

## Binaural Speech Enhancement Techniques

- 1 Binaural Minimum Variance Distortionless Response (MVDR) beamformer
- 2 Binaural MVDR with **partial noise estimation** (MVDR-N)

**Objective:** minimize output PSD of interference while preserving target signal and a scaled version of the interference



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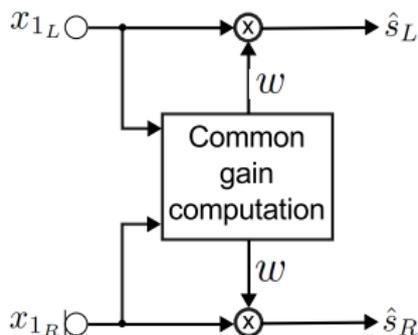
- Perfect preservation of binaural cues of speech source
- Output MSC of interference can be set to a desired MSC

# Binaural Speech Enhancement Techniques

- 1 Binaural MVDR + **common spectro-temporal postfilter**
- 2 Binaural MVDR-N + **common spectro-temporal postfilter**

**Objective:** increase interference (reverberation and noise) reduction while allowing some speech distortion

→ **Same binaural cues as at beamformer output**



## Binaural Speech Enhancement Techniques

- 1 Binaural MVDR + common spectro-temporal postfilter
- 2 Binaural MVDR-N + common spectro-temporal postfilter

These techniques require (among other quantities) **an estimate of the time-varying diffuse PSD  $\Phi_d$**

# Diffuse Power Spectral Density Estimators

## 1. Blocking-based estimators

- Diffuse PSD estimated at output of blocking matrix aiming to block the target signal
- Require knowledge of the RETF vector  $\mathbf{a}_{L,R}$  and diffuse coherence matrix  $\mathbf{\Gamma}$

# Diffuse Power Spectral Density Estimators

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## 2. Eigenvalue decomposition (EVD)-based estimators

- Diffuse PSD estimated using the eigenvalues of the prewhitened signal PSD matrix
- Require only knowledge of the diffuse coherence matrix  $\Gamma$

## 1. Blocking-based Estimators

- Construct a blocking matrix  $\mathbf{B}$  such that  $\mathbf{B}^H \mathbf{a}_{L,R} = \mathbf{0}$
- Block the target signal from the received microphone signals

$$\tilde{\mathbf{u}} = \mathbf{B}^H \mathbf{y} \quad \Phi_{\tilde{\mathbf{u}}} = \Phi_d \underbrace{\mathbf{B}^H \boldsymbol{\Gamma} \mathbf{B}}_{\tilde{\mathbf{r}}}$$

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- Least-squares cost function to estimate  $\Phi_d$

$$\min_{\Phi_d} \|\Phi_{\tilde{\mathbf{u}}} - \Phi_d \tilde{\mathbf{\Gamma}}\|_F^2$$

- Blocking-based diffuse PSD estimate

$$\hat{\Phi}_d^{\text{BM}} = \frac{\text{trace}\{\Phi_{\tilde{\mathbf{u}}}^H \tilde{\mathbf{\Gamma}}\}}{\text{trace}\{\tilde{\mathbf{\Gamma}}^H \tilde{\mathbf{\Gamma}}\}}$$

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## Considered blocking-based estimates

- $\hat{\Phi}_{d,2}^{\text{BM}}$  obtained using  $M = 2$  [Marquardt, WASPAA 2017]
- $\hat{\Phi}_{d,M}^{\text{BM}}$  obtained using  $M > 2$  [Braun, EUSIPCO 2013]

## 2. EVD-based Estimators

- Prewhiten the signal PSD matrix using  $\Gamma^{-1}$

$$\Phi_y^w = \Gamma^{-1} \Phi_y = \underbrace{\Gamma^{-1} \Phi_{S_{L,R}} \mathbf{a}_{L,R} \mathbf{a}_{L,R}^H}_{\text{rank-1}} + \Phi_d \mathbf{I}$$

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- Estimate  $\Phi_d$  using the eigenvalues of  $\Phi_y^W$

$$\Lambda = \begin{bmatrix} \sigma + \Phi_d & 0 & \dots & 0 \\ 0 & \Phi_d & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & \dots & 0 & \Phi_d \end{bmatrix}$$

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### Considered EVD-based estimates [Kodrasi, ICASSP 2017]

- $\hat{\Phi}_{d,\lambda_1}^{\text{EVD}} = \frac{\text{trace}\{\Phi_y^w\} - \lambda_1\{\Phi_y^w\}}{M-1}$
- $\hat{\Phi}_{d,\lambda_2}^{\text{EVD}} = \lambda_2\{\Phi_y^w\}$

## Objective of Simulation Study

### Compare the performance of

- ① MVDR beamformer + common postfilter
- ② MVDR-N beamformer + common postfilter

### using

- ① blocking-based diffuse PSD estimate  $\hat{\Phi}_{d,2}^{BM}$
- ② blocking-based diffuse PSD estimate  $\hat{\Phi}_{d,4}^{BM}$
- ③ EVD-based diffuse PSD estimate  $\hat{\Phi}_{d,\lambda_1}^{EVD}$
- ④ EVD-based diffuse PSD estimate  $\hat{\Phi}_{d,\lambda_2}^{EVD}$

## Acoustic Scenarios

Recordings in a variable acoustics lab using hearing aid dummies on a HATS with  $M_L = M_R = 2$



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**Stationary speaker scenarios:** Loudspeaker placed at  $35^\circ$  and  $-35^\circ$ ,  $T_{60} \in \{0.5 \text{ s}, 0.75 \text{ s}, 1 \text{ s}\}$

**Moving speaker scenario:** Human speaker walking in the frontal hemisphere of the HATS,  $T_{60} \approx 1 \text{ s}$

**Background noise:** 4 loudspeakers playing back uncorrelated multi-talker noise,  $i\text{SNR} \in \{0 \text{ dB}, 5 \text{ dB}, \dots, 20 \text{ dB}, \infty \text{ dB}\}$



## Algorithmic Settings and Measures

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- $\Gamma$  constructed using measured anechoic HRTFs

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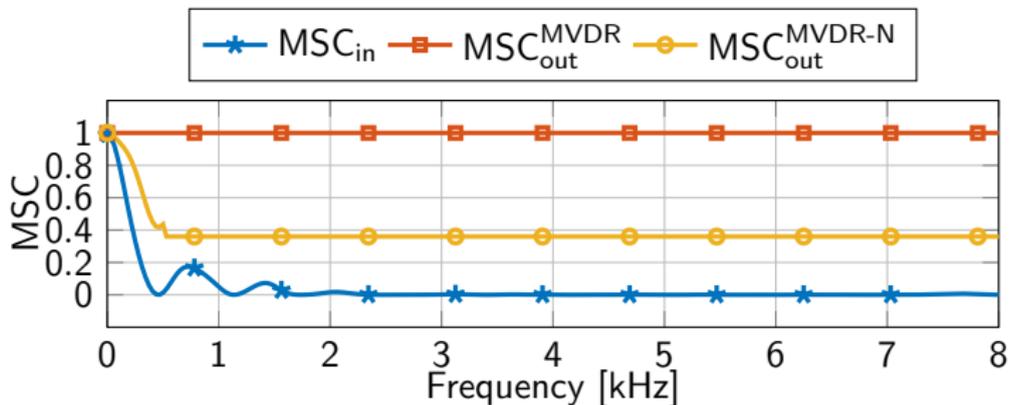
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**Spatial awareness preservation:** MSC

**Dereverberation and noise reduction:**  $\Delta$ PESQ,  $\Delta$ fSSNR

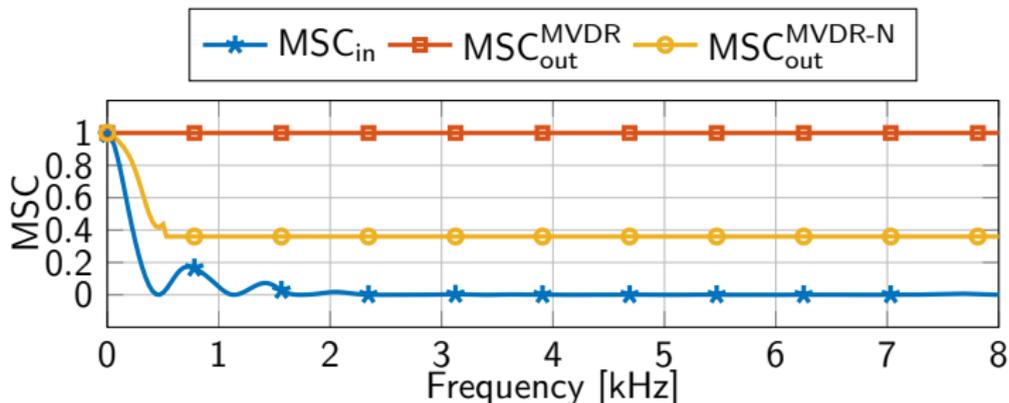
# Spatial Awareness

## Interference MSC at input and beamformer output



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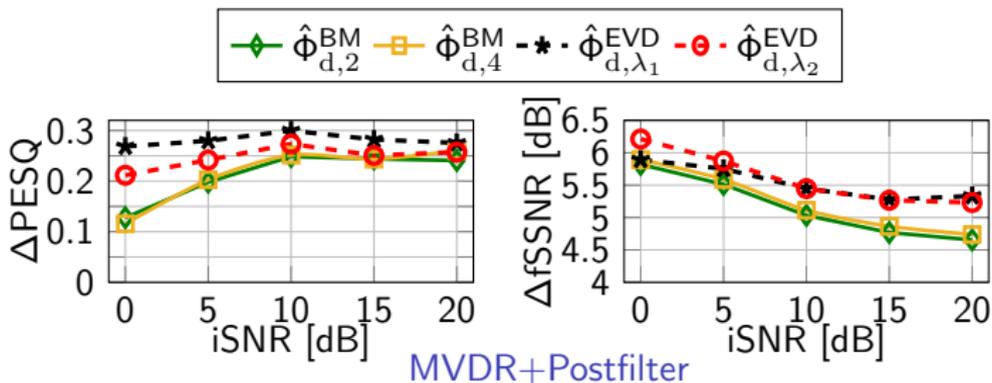
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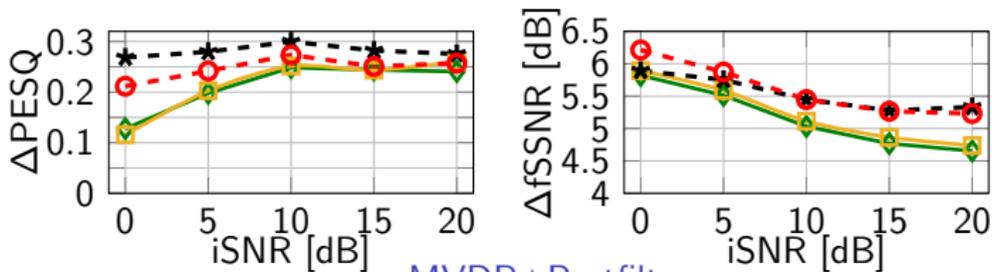
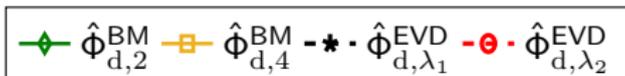
#### Using

- Binaural MVDR beamformer distorts interference MSC
- Binaural MVDR-N beamformer sets interference MSC to desired MSC

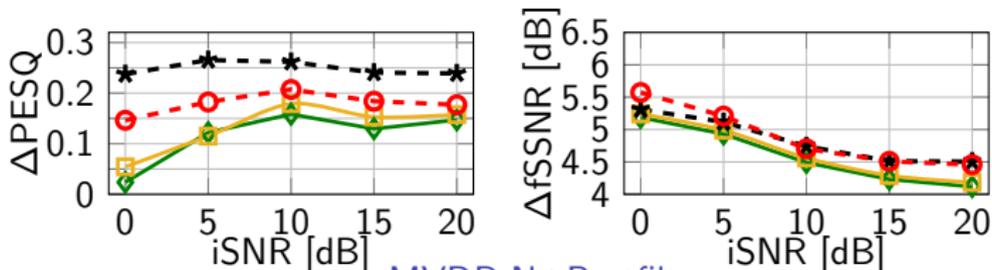
## Stationary Speaker



## Stationary Speaker



MVDR+Postfilter



MVDR-N+Postfilter

## Stationary Speaker

### When dereverberating and denoising a stationary speaker

- As expected, interference reduction performance of MVDR-N is lower than MVDR, but binaural cues of interference are preserved
- **EVD-based estimators outperform blocking-based estimators** (best performance with  $\hat{\Phi}_{d,\lambda_1}^{EVD}$ )
- Increasing the number of microphones for blocking-based estimators does not significantly increase the performance

## Moving Speaker

$\Delta fSSNR$ [dB]	$\hat{\phi}_{d,2}^{BM}$	$\hat{\phi}_{d,4}^{BM}$	$\hat{\phi}_{d,\lambda_1}^{EVD}$	$\hat{\phi}_{d,\lambda_2}^{EVD}$
MVDR+Postfilter	7.42	7.55	6.78	<b>7.86</b>
MVDR-N+Postfilter	6.83	6.89	6.66	<b>7.63</b>

## Moving Speaker

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### When dereverberating and denoising a moving speaker

- EVD-based estimators (in particular  $\hat{\Phi}_{d,\lambda_2}^{EVD}$ ) outperform blocking-based estimators
- Increasing the number of microphones for blocking-based estimators does not significantly increase the performance

## Summary and Outlook

### Simulations show that

- State-of-the-art diffuse PSD estimators yield a high performance also when used for binaural dereverberation and noise reduction
- **EVD-based PSD estimators, not requiring DOA/RETF, yield the best performance**

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- **EVD-based PSD estimators, not requiring DOA/RETF, yield the best performance**

### In the future

- Analyze performance in the presence of non-diffuse background noise
- Subjective listening tests to truly evaluate quality and spatial awareness