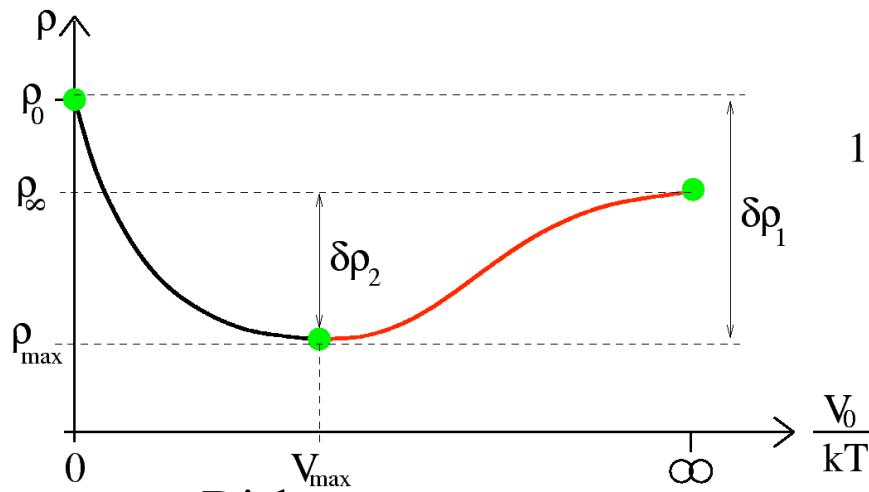


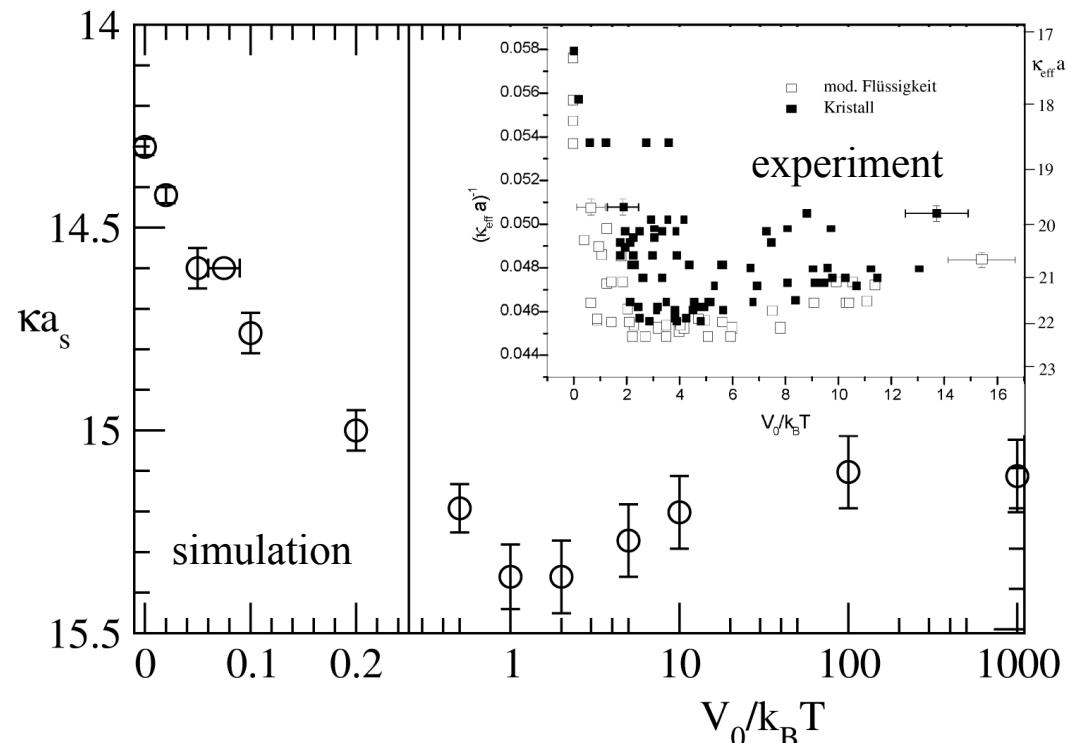
Phase diagrams: Effect of the potential range

DLVO-potential:
good qualitative agreement
with the experiment

Effect on reentrance:



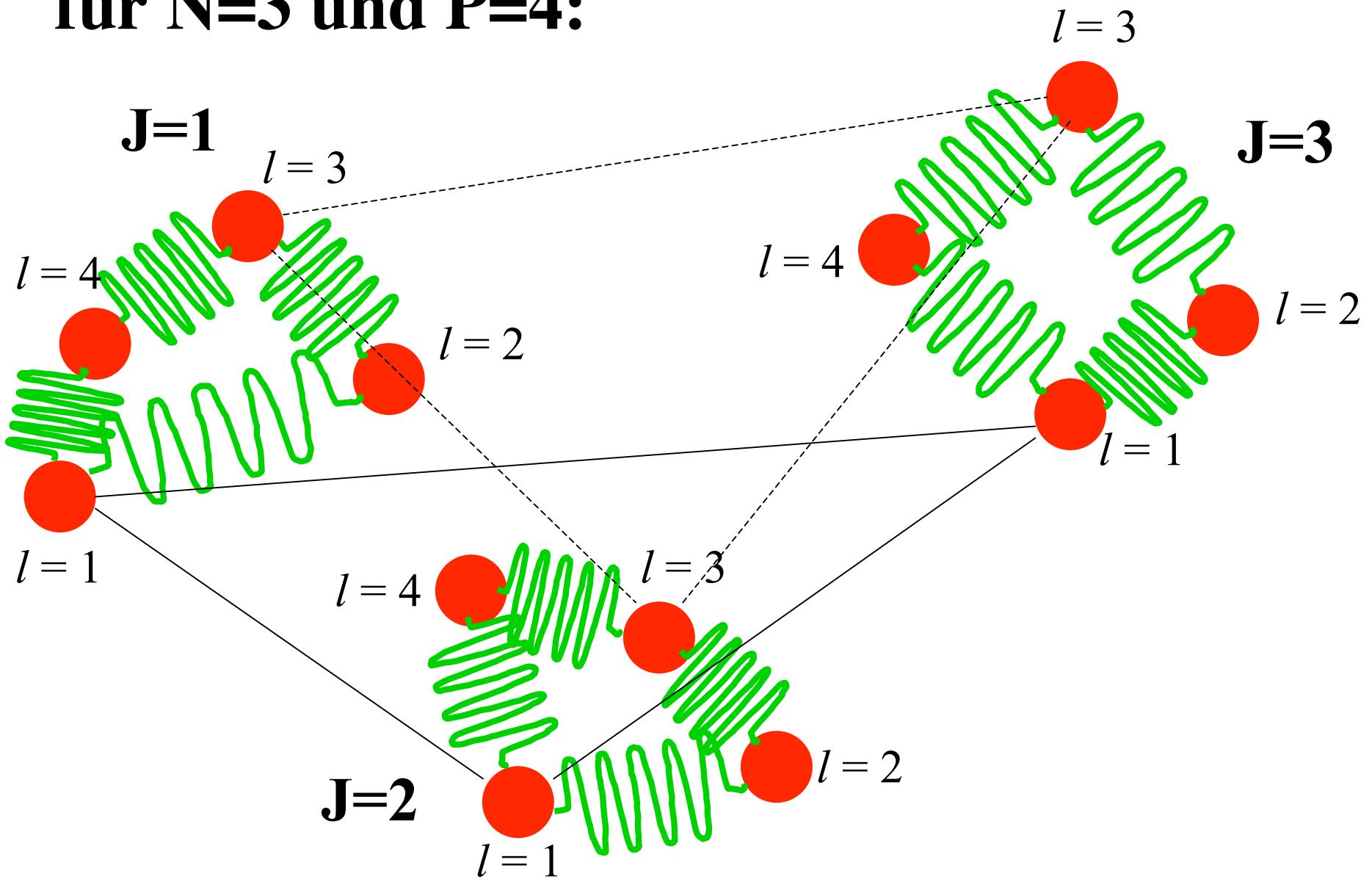
	Disks	DLVO	$1/r^{12}$	$1/r^6$	Expt. Colloids
Δ_1	0.043	0.149	0.091	0.182	0.55
Δ_2	0.028	0.034	0.027	0.007	0.185
Δ_1/Δ_2	1.53	4.63	3.37	26	3.91



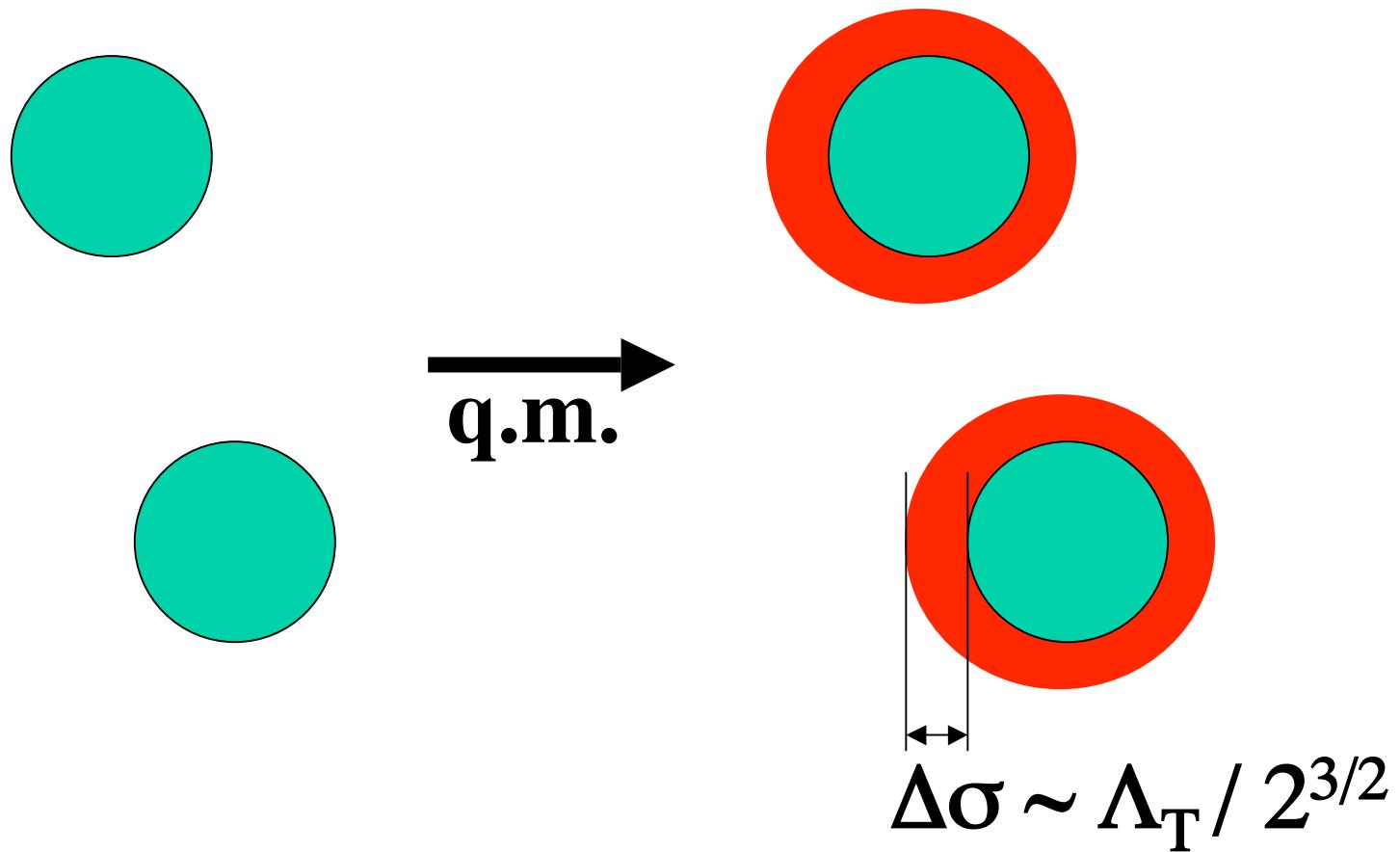
$$\Delta_{1,2} = \frac{\delta\rho_{1,2}}{\rho_0} = \frac{-2\delta(\kappa a_s)_{1,2}}{(\kappa a_s)_0}$$

Quanteneffekte für kleine Teilchenmassen?

Schema der „effektiven“ Wechselwirkungen für N=3 und P=4:

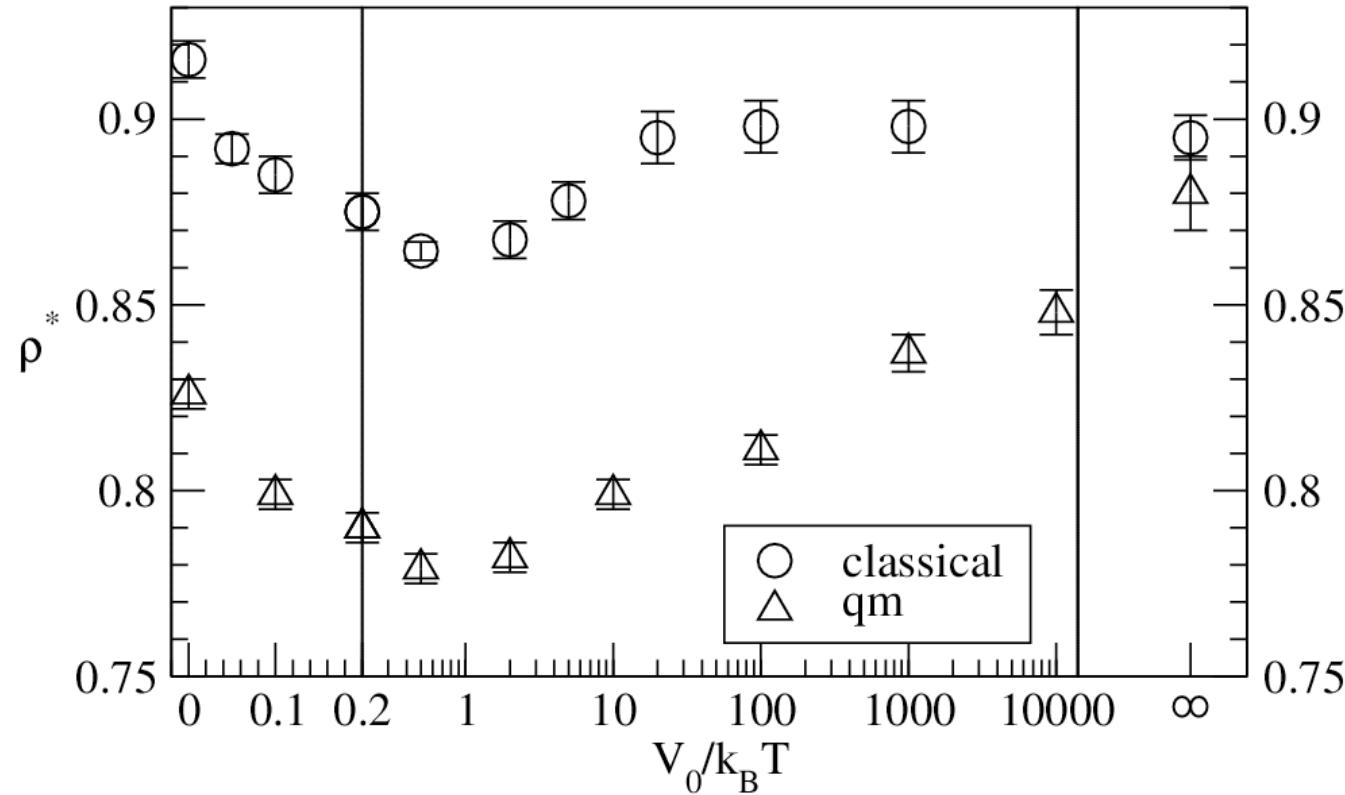


Zunahme des „effektiven“ harte Kugel-Durchmessers aufgrund der Orts-Impuls Unschärfe:



Quantum effects on the phase diagram :

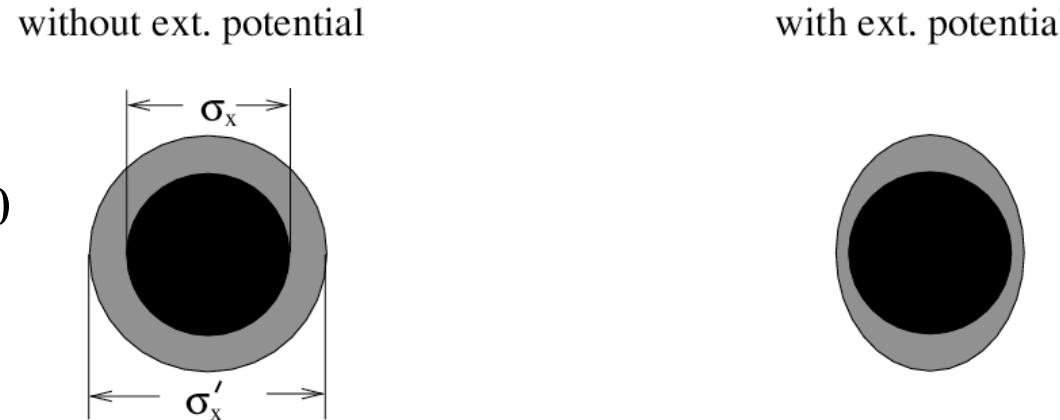
Qualitative difference: quantum-melting (prediction!)



qm :

PIMC ($P = 64$)

$$m^* = mT\sigma^2 = 10.000$$



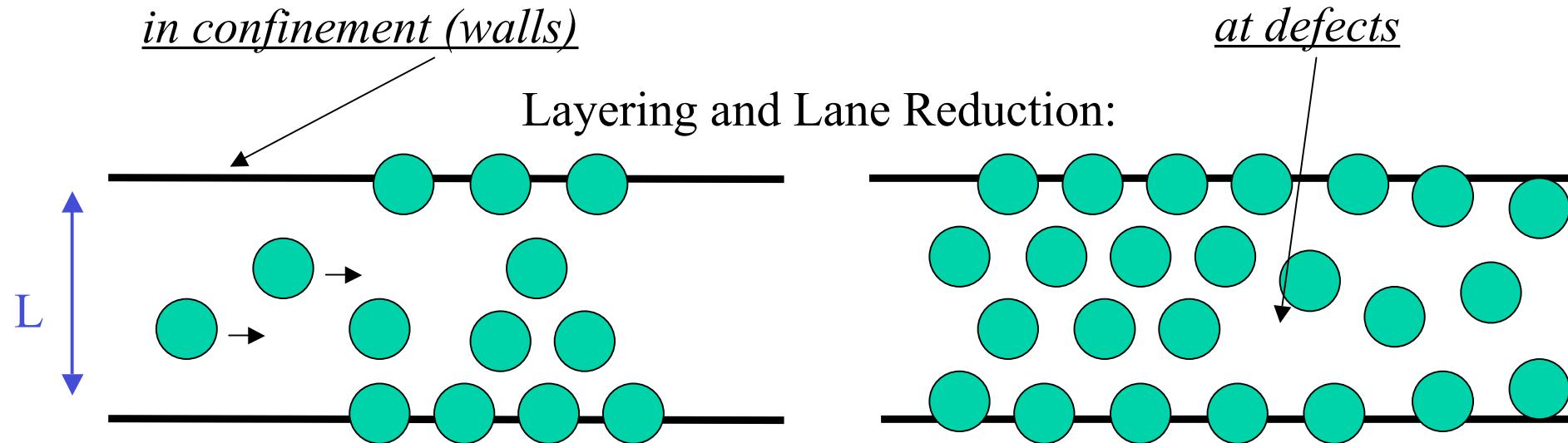
Colloidal dispersions:

Strukturen im Gleichgewicht:
Phasenumwandlungen und Quanteneffekte

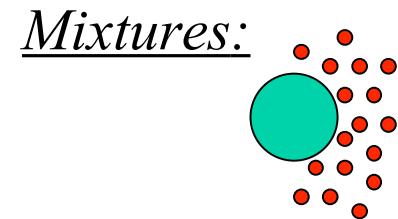
Strukturbildung im Nichtgleichgewicht

Vergleich mit Experimenten und Voraussagen

Structure formation in two dimensions

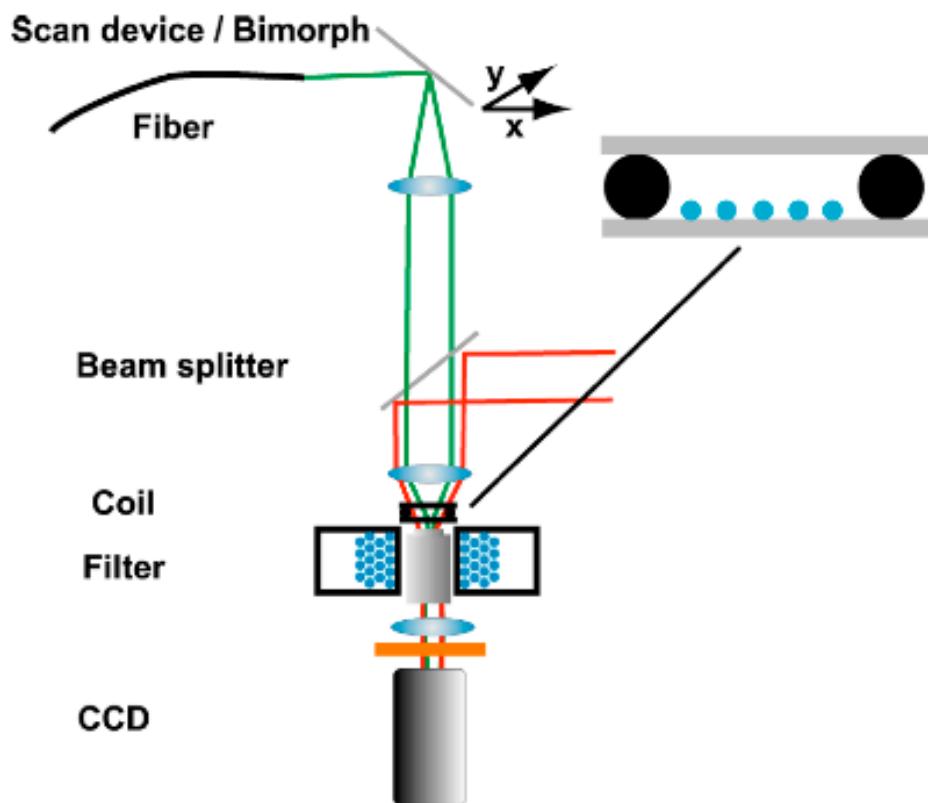
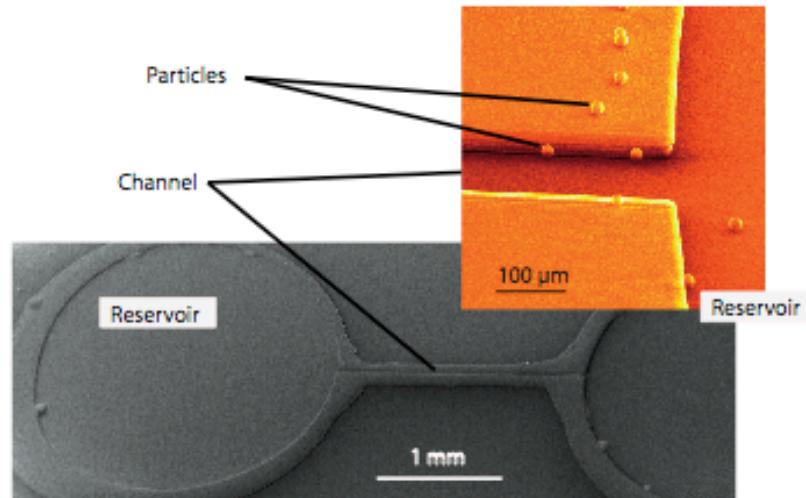


- Study and analysis of structure formation mechanisms
- Effects of geometry (L), diameter ratios, composition, density, temperature, flow velocity,...
- Comparison to three dimensional scenarios
- Test of thermodynamical approximations



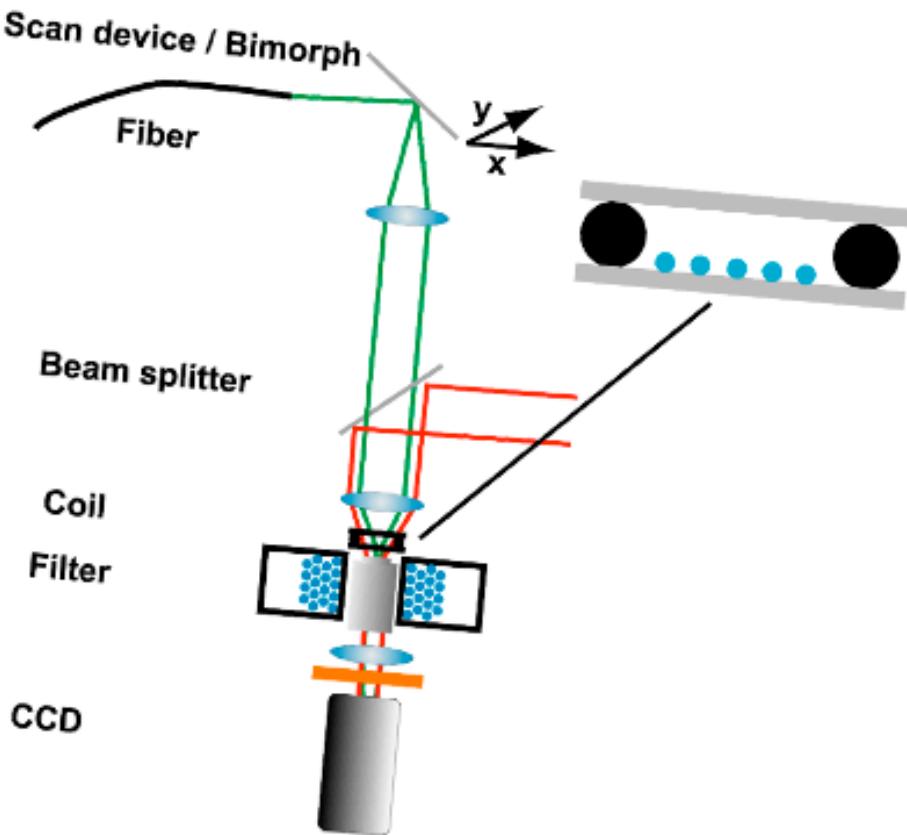
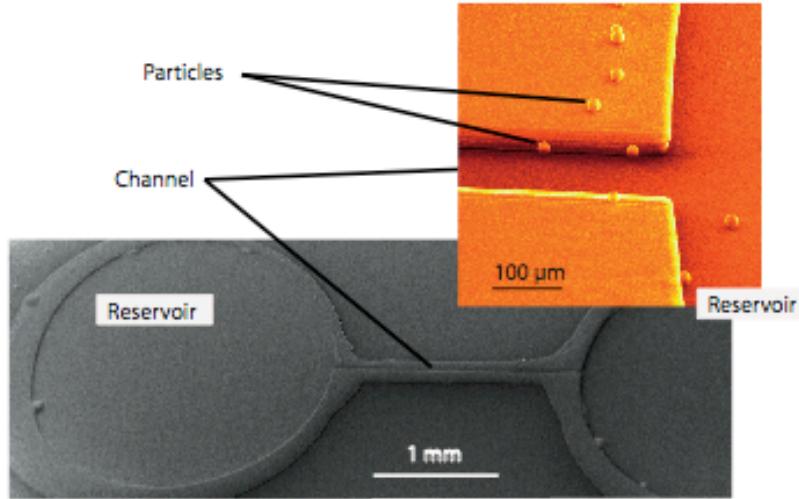
Video microscopy

- Colloidal suspension confined in a glass cell
- The particles settle to the lower surface of the glass cell (quasi 2d system)
- External potentials controlled by laser and magnetic fields.
- Confinement defined by optical lithography

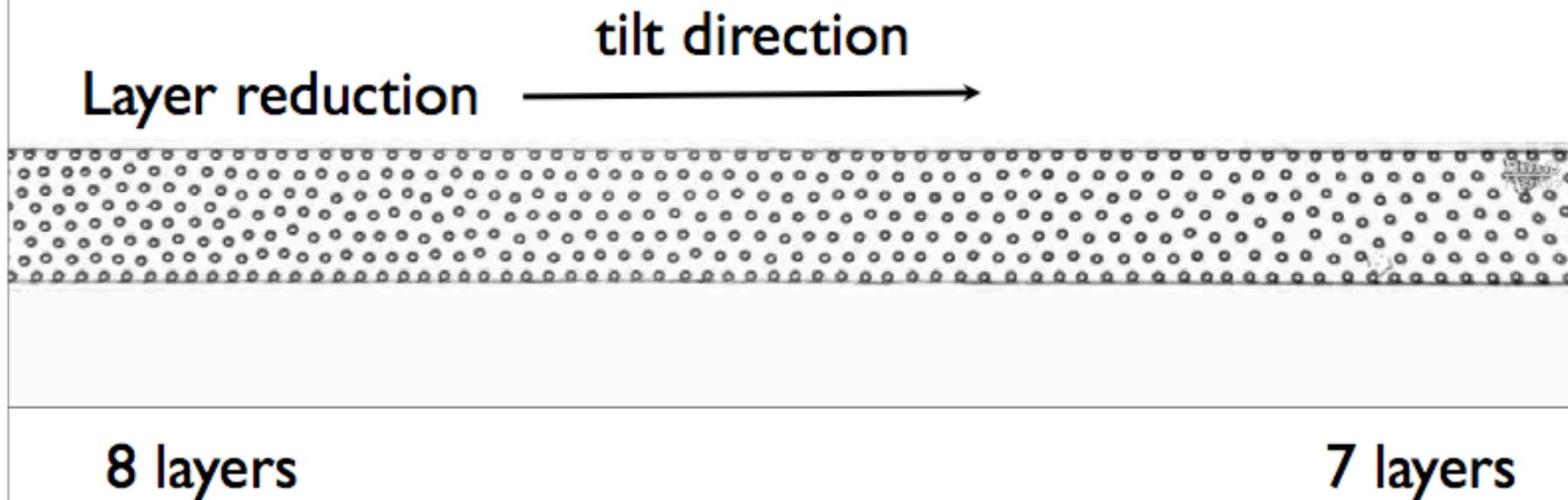


Video microscopy

- Colloidal suspension confined in a glass cell
- The particles settle to the lower surface of the glass cell (quasi 2d system)
- External potentials controlled by laser and magnetic fields.
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Layer formation of particles in a channel



$$B = 0.24 \text{ mT} \Rightarrow \Gamma \approx 72$$

one image every 10 seconds

Method: Computer Simulations

N particles in finite volume at temperature T
(periodic boundary conditions / confinement)

- Molecular Dynamics
- Monte Carlo
- Brownian Dynamics

overdamped Langevin equation with drag coefficient $\xi = 3\pi\eta\sigma$

$$d\mathbf{r}_i(t) = \frac{1}{\xi} \left(-\nabla_{\mathbf{r}_i} \sum_{i \neq j} V_{ij}(r_{ij}) + \mathbf{F}_i^{\text{ext}} \right) dt + \sqrt{\frac{2k_B T}{\xi}} d\mathbf{W}_i(t)$$

- stochastic differential equation, where \mathbf{W}_i is a Wiener process with

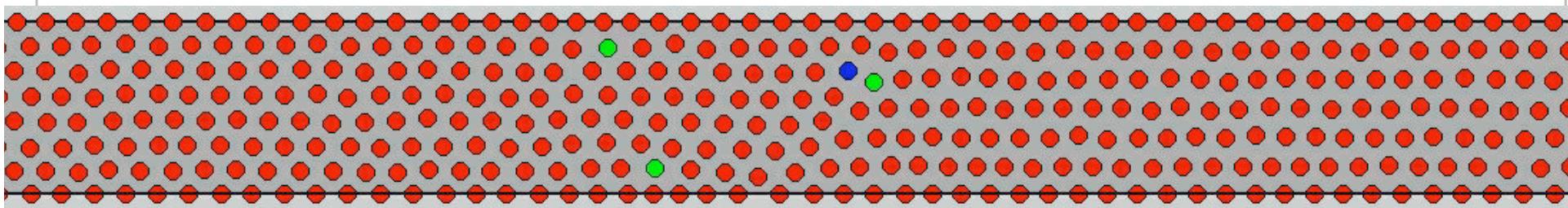
$$\langle d\mathbf{W}_i(t) \rangle = 0 \quad \text{and} \quad \langle dW_{i\alpha}(t) dW_{j\beta}(0) \rangle = \delta(t) \delta_{ij} \delta_{\alpha\beta}$$

Pair interactions:

- Repulsive interactions (magnetic)

Brownian Dynamics simulation

- ➊ Starting configuration: random particle distribution
- ➋ Boundary conditions:
 - channel side walls and channel entrance are ideal hard walls
 - channel end is open
 - particle number N is kept fixed
 - ➡ insert a new particle at channel start, when a particle drops out



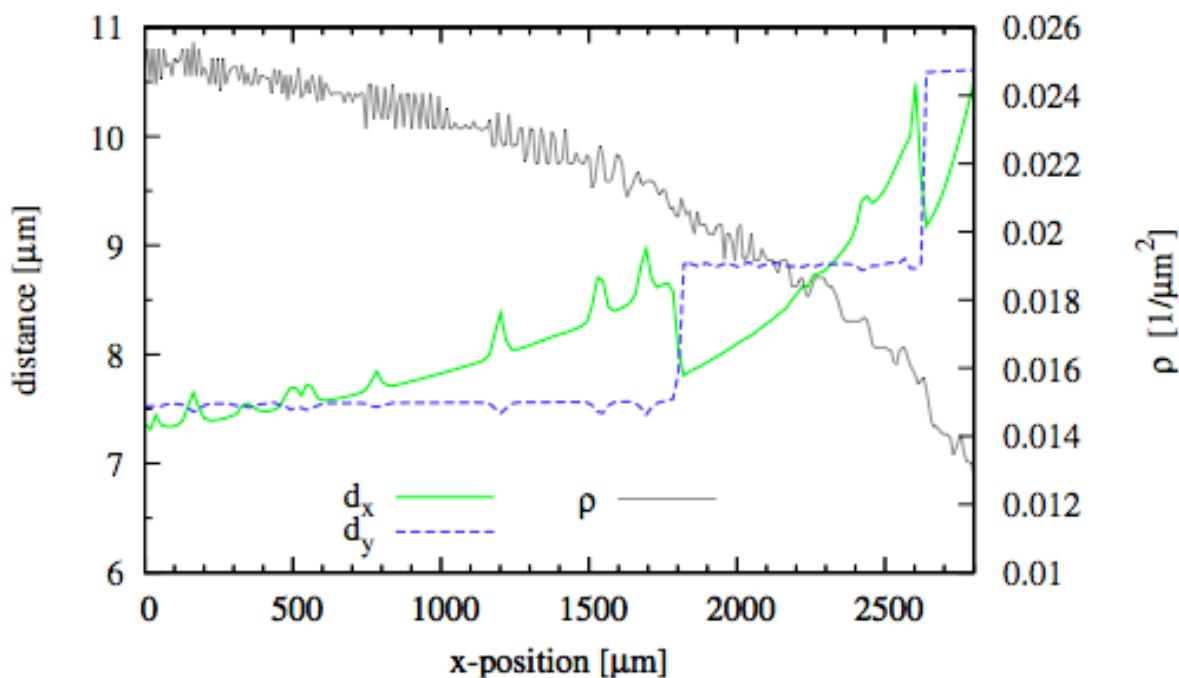
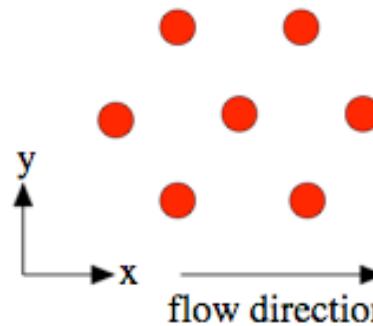
8 lanes

$$\rho = 0.4\sigma^{-2}, \Gamma = 533.74, v_{\text{drift}} = 0.035 \mu\text{m/s}$$

7 lanes

Layer reduction in the simulation

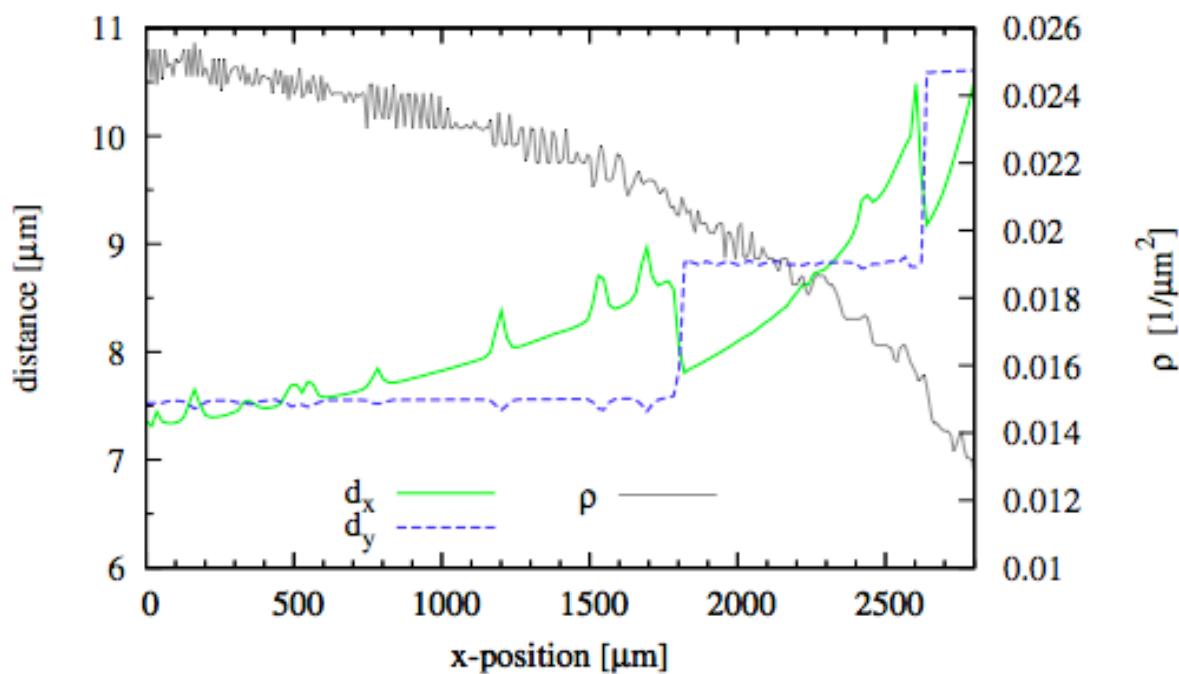
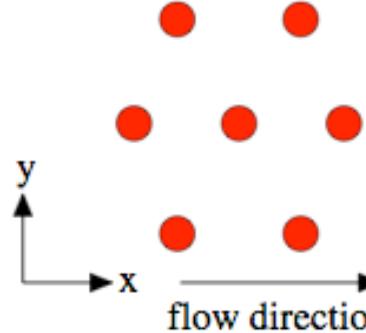
- Local lattice constants and local particle density in the simulation



- continuous decrease of the local density
- stretched structure in flow direction before the point of layer-reduction and compressed structure afterwards

Layer reduction in the simulation

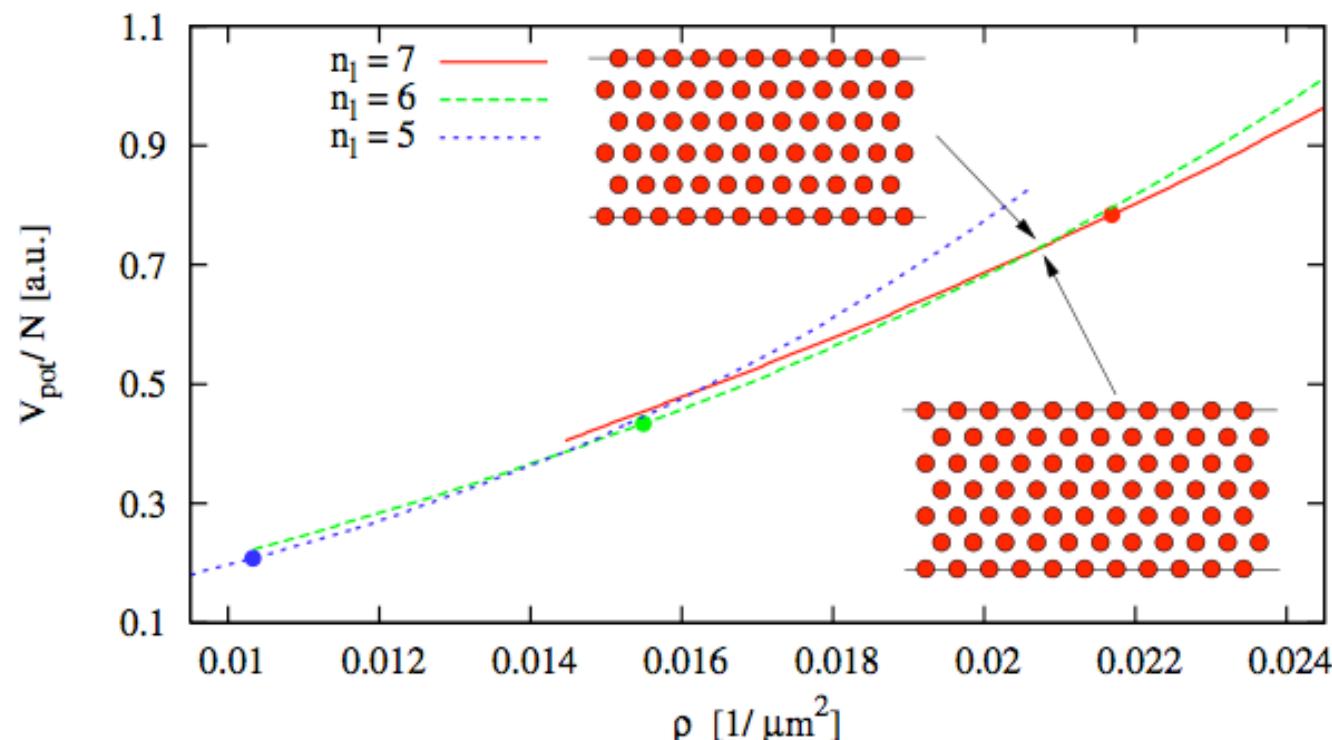
- Local lattice constants and local particle density in the **simulation**



- continuous decrease of the local density
- stretched structure in flow direction before the point of layer-reduction and compressed structure afterwards

Stretching the crystal - a rough estimation

- potential energy per particle obtained by scaling the channel length of different static configurations

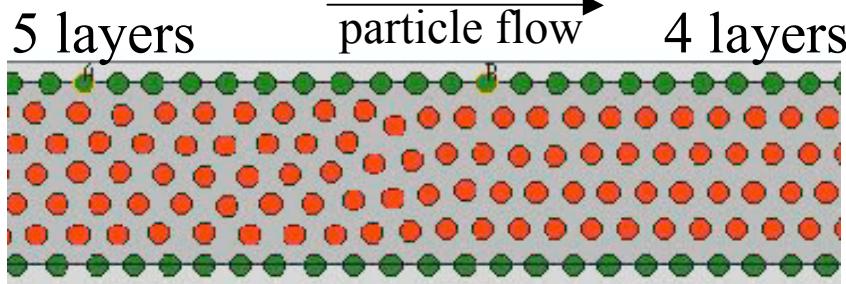


- Intersection points: crystal changes from one configuration to the more favorable

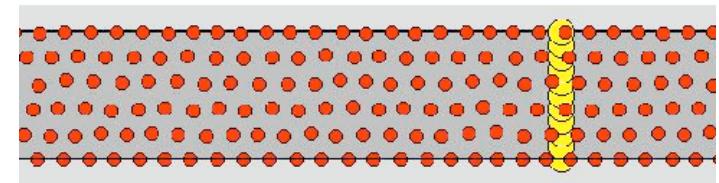
Recent cooperation with experimental projects (Erbe/Leiderer):

M. Köppl, P. Henseler, A. Erbe, P. Nielaba, P. Leiderer, Phys. Rev. Lett. **97**, 208302 (2006)

- *Layer reduction in 2D model colloids
in gravitational fields:*



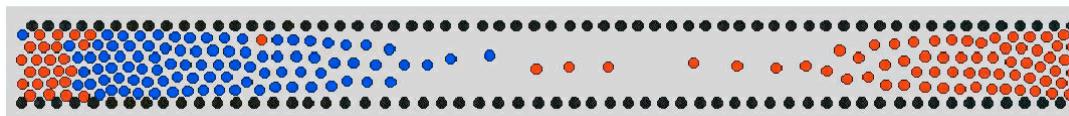
- *Structure formation at
„walls“ in flow direction:*



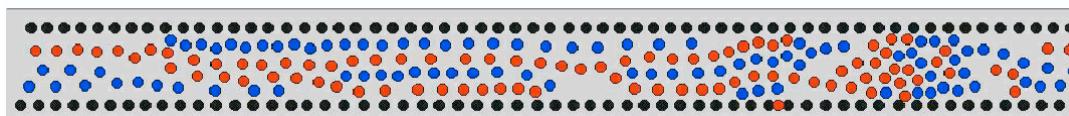
- *Effect of external driving forces (F) in
binary model colloids:*



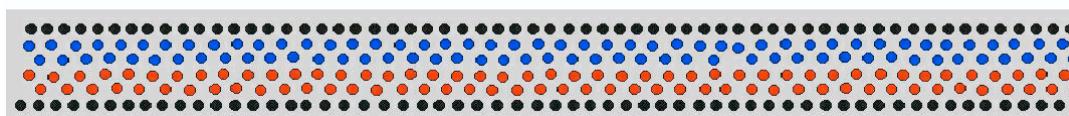
■ $F = 0.2$



■ $F = 0.8$



■ $F = 1.0$





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- Überprüfung analytischer Näherungen
- Voraussagen fürs Experiment

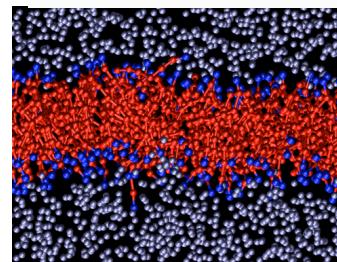
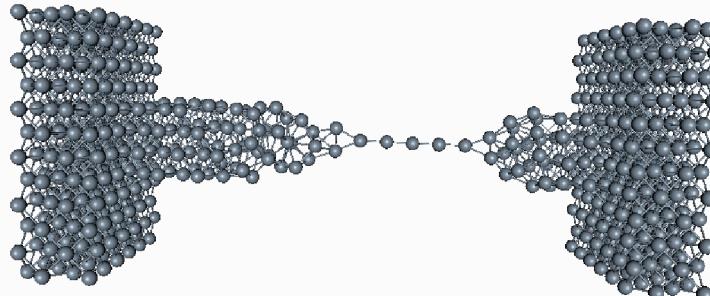
Vielteilchensysteme

- Materialien für die Zukunft
- Struktur-Änderungen durch äußere Felder



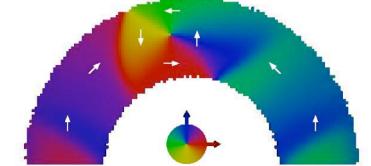
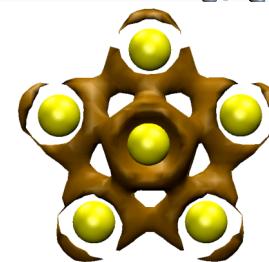
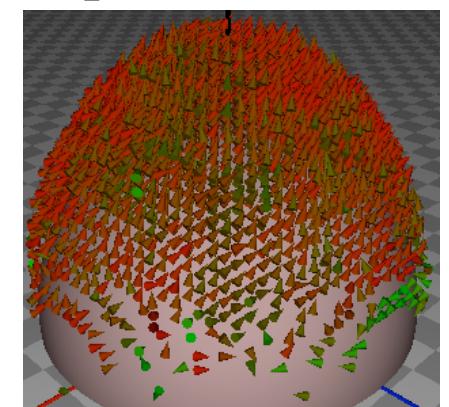
Quantenphänomene

- Nano-Bauelemente

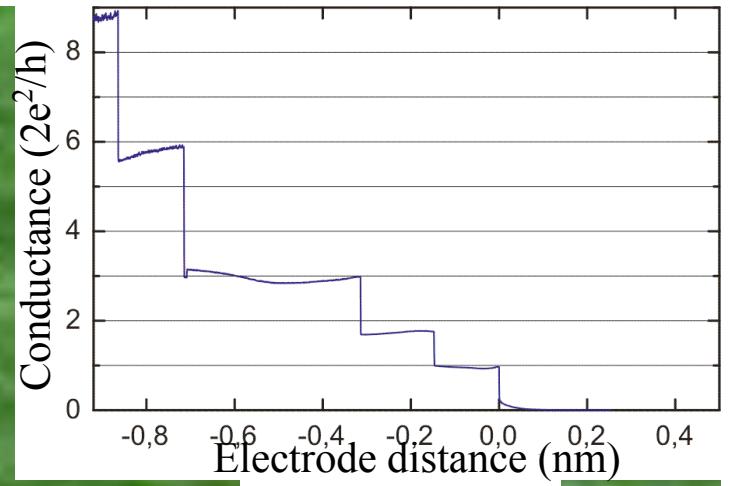


Magnetismus

- Neue Speichermedien



Nachbarwissenschaften: Mathematik (Modellbildung, Methoden), Informatik, Chemie (Moleküle), Biologie (Membran), Finanz-Physik (€)



Quantization of the electrical conductance

E.Scheer, physics department, University of Konstanz

200 nm

Single-atom-contacts:

Electronic properties of Nano-materials can differ much from those of macroscopic systems
(example: conductance-quantization (AG Scheer))

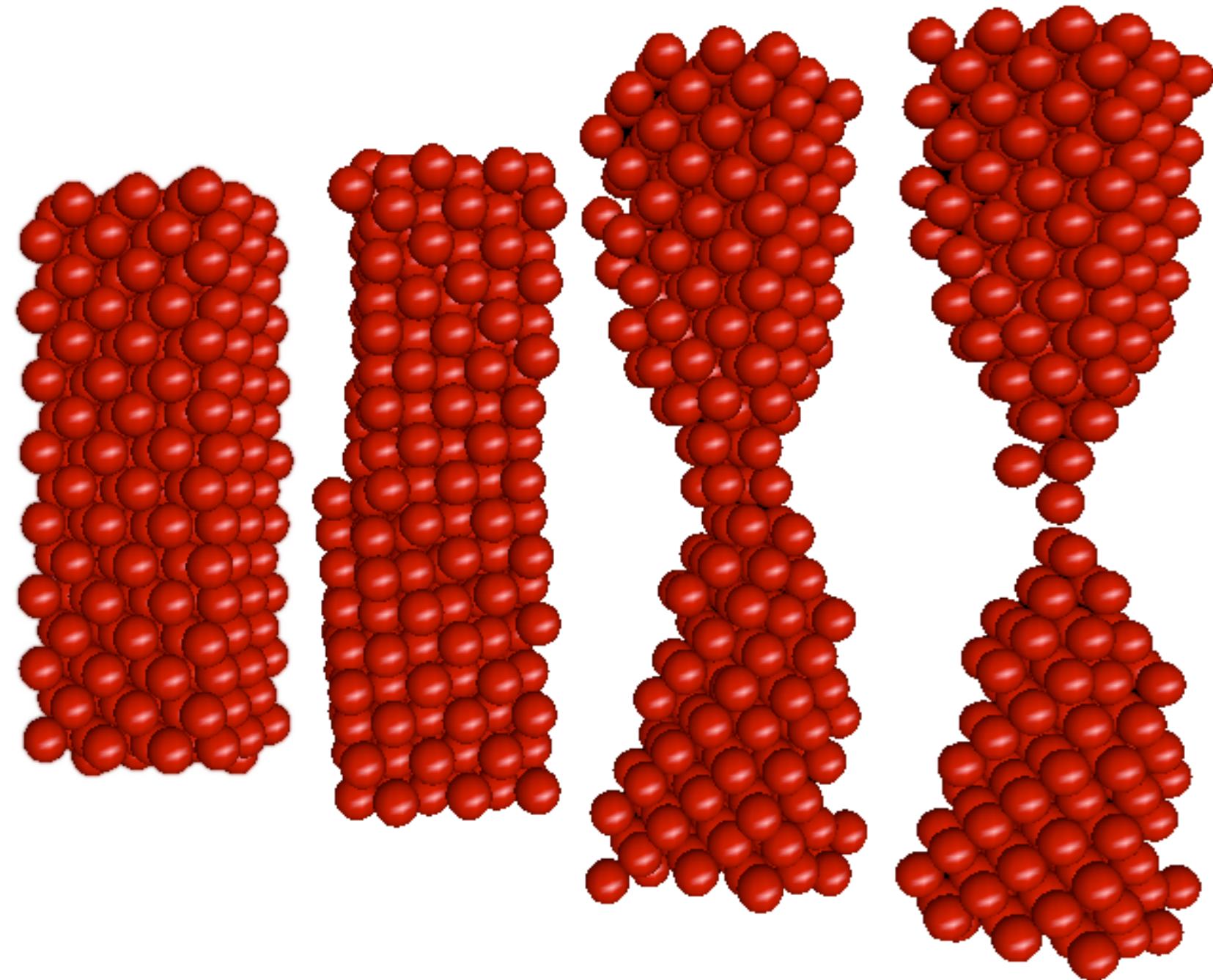
Questions:

- 1) Formation process of single atom contacts ?
- 2) Current through these contacts ?

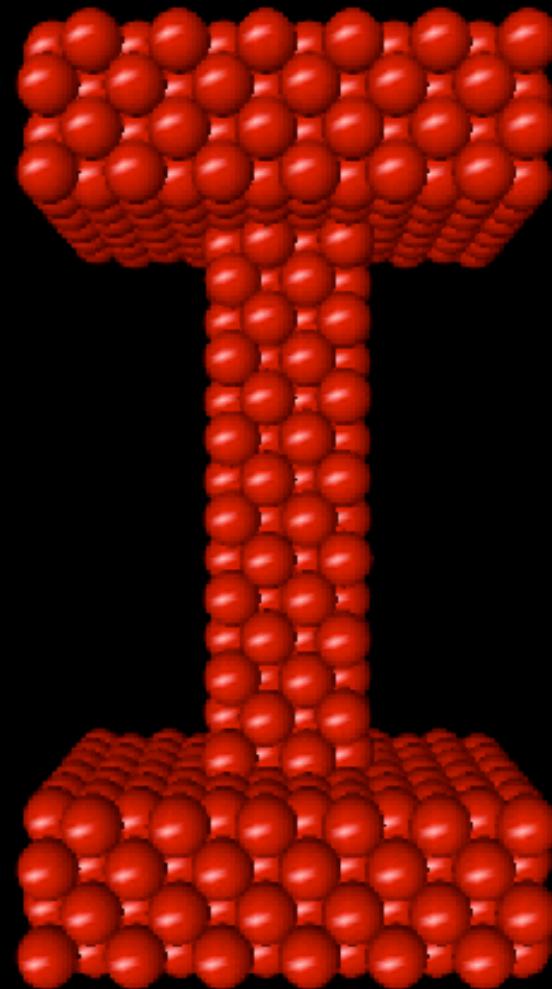
ad 1): MD-simulation of a stretching process in a Au-wire (M. Dreher)
(Au-wire, 300 atoms, oriented in (100) direction)

ad 2): Computation of current in these configurations
Method: tight binding, thermal average
(cooperation with C. Cuevas, J. Heurich and E. Scheer)

3 nm



Simulation of a stretched gold wire



Conductance-quantization in single-atom contacts:

- Conductance-quantization in transport-„channels“ due to the wave-nature of the electrons (see „box-potential“):

$$G = I/V = [ev(\partial n/\partial E)(\mu_1 - \mu_2)T]/[(\mu_1 - \mu_2)/e] = (2e^2/h)T \quad (\text{one channel})$$

$$G = (2e^2/h) \sum_{i=1}^N T_i \quad (\text{N channels})$$

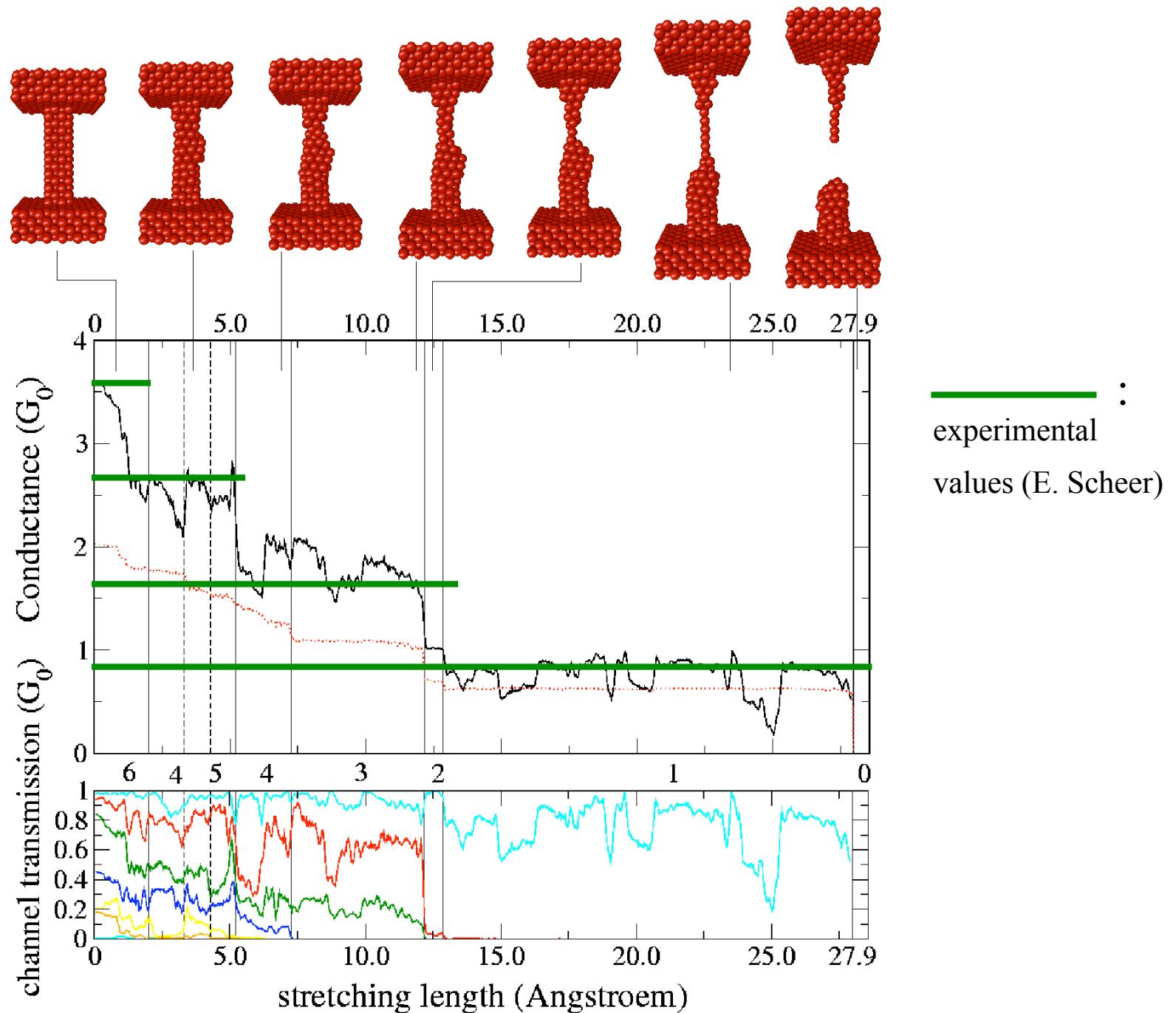
$$G_0 = (2e^2/h) \quad (\text{Landauer-Büttiker-formalism, PRB31,6207 (85)})$$

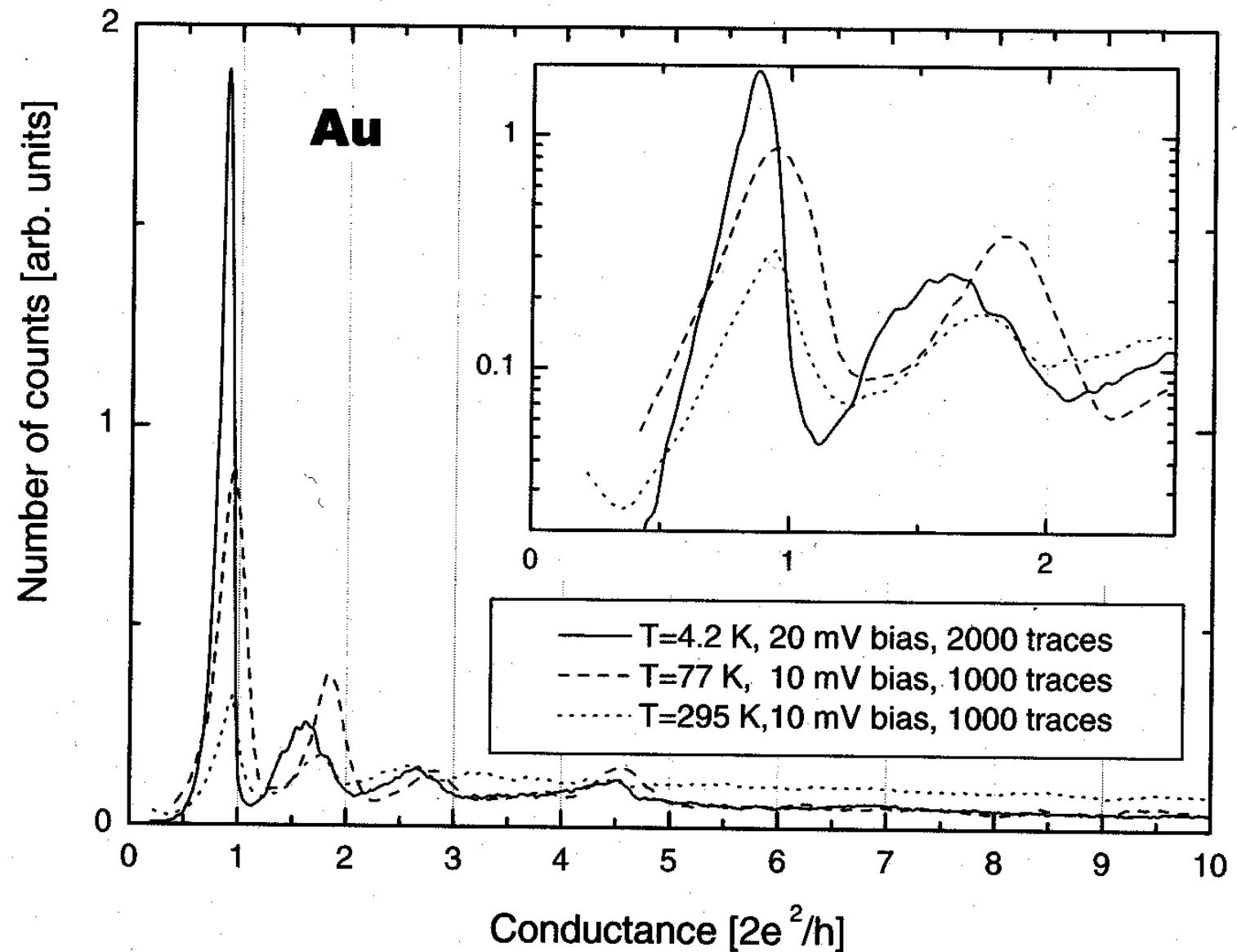
- Computation of G in „tight-binding“ - approximation:

$$H = \sum_{i\alpha,\sigma} \varepsilon_{i\alpha} c_{i\alpha,\sigma}^\dagger c_{i\alpha,\sigma} + \sum_{i\alpha \neq j\beta, \sigma} t_{i\alpha,j\beta} c_{i\alpha,\sigma}^\dagger c_{j\beta,\sigma}$$

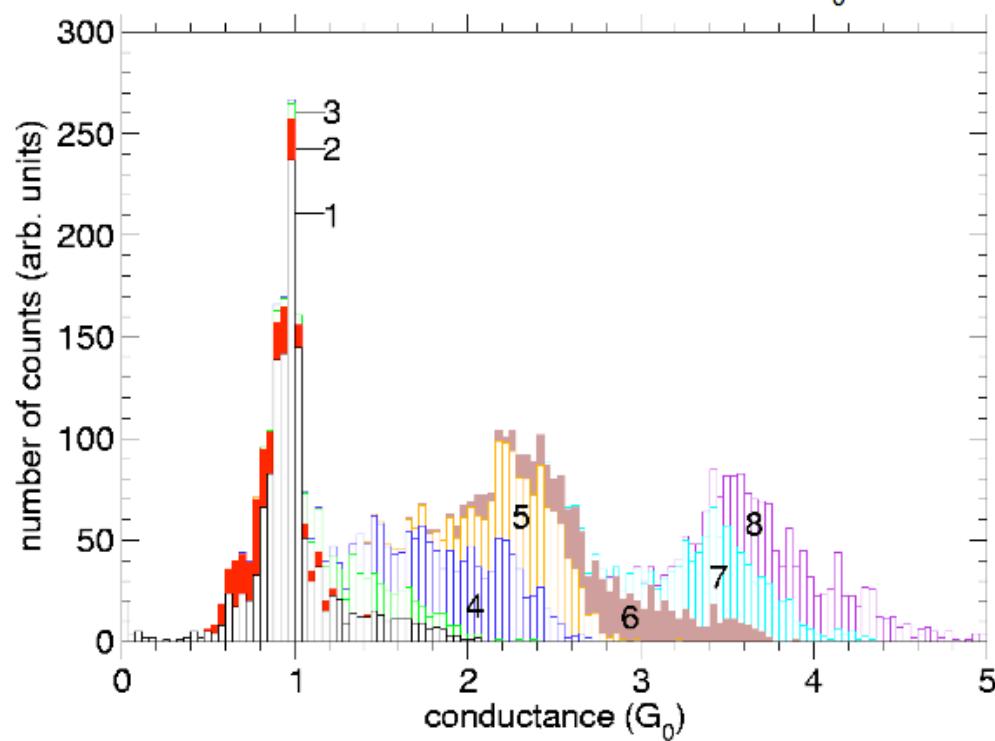
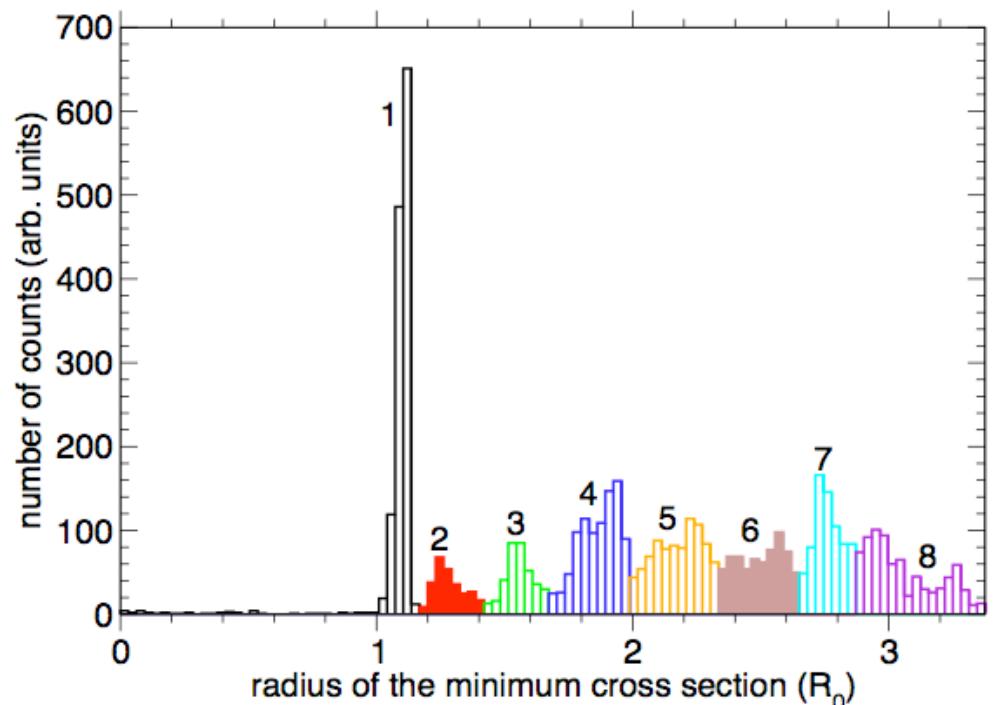
$$G = (2e/h) \text{Tr}(\hat{t}\hat{t}^\dagger) \quad , \quad \hat{t}\hat{t}^\dagger - \text{Matrix with N Eigen values } T_i \quad , \quad G = G_0 \sum_{i=1}^N T_i$$

(Levy Yeyati et al., PRB56, 10369 (97), Cuevas et al., PRL80, 1066 (98))





Aus: A.I. Yanson, „Atomic chains and electronic shells:
 quantum mechanisms for the formation of nanowires“
 Ph.D. thesis, Leiden (2001).





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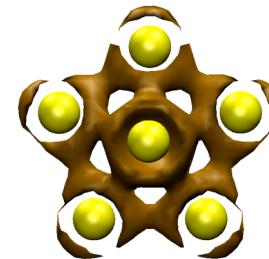
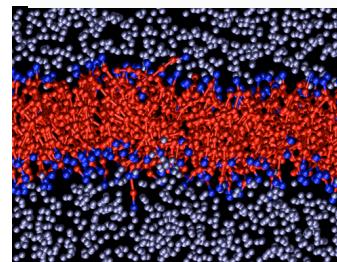
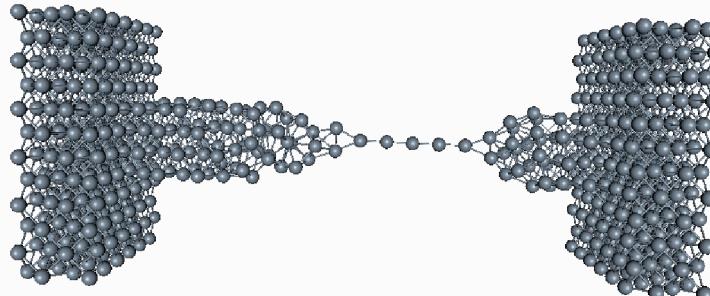
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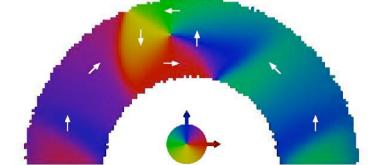
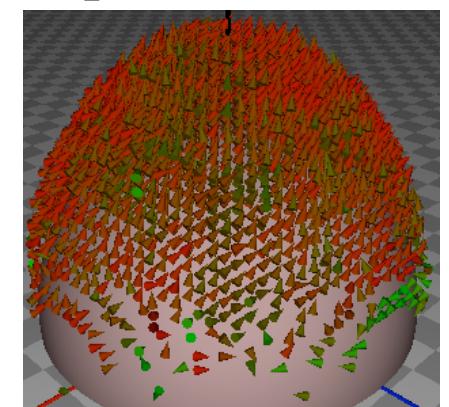
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References:

- Phys. Rev. E78, 026106 (2008)
- Phys. Rev. E76, 061503 (2007)
- Phys. Rev. E76, 051112 (2007)
- Phys. Rev. E75, 011405 (2007)
- Phys. Rev. Lett. 97, 208302 (2006)
- Phys. Rev. B74, 235106 (2006)
- Phys. Rev. B72, 075435 (2005)
- Phys. Rev. Lett. 90, 155506 (2003)
- Phys. Rev. E66, 056109 (2002)
- Phys. Rev. E63, 046106 (2001)