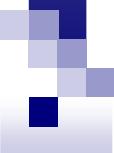


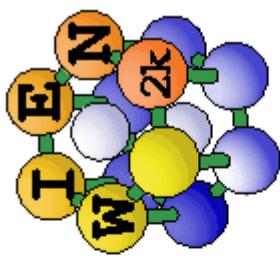
# *AB INITIO* DENSITY FUNCTIONAL CALCULATIONS OF MAGNETIC SUPERSTRUCTURES

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# WIEN2K



P. Blaha, K. Schwarz, G. Madsen, D. Kvasnicka and  
J. Luitz

Inst. f. Materials Chemistry, TU Vienna

The program package **WIEN2k** allows to perform electronic structure calculations of solids using density functional theory (DFT). It is based on the full-potential (linearized) augmented plane-wave ((L)APW) + local orbitals (lo) method, one among the most accurate schemes for band structure calculations. In DFT the local (spin) density approximation (LDA) or the improved version of the generalized gradient approximation (GGA) can be used. WIEN2k is an all-electron scheme including relativistic effects and has many features.

[www.wien2k.at](http://www.wien2k.at)

# The basic concepts of the density functional theory

LSDA – local spin density approximation is an efficient and accurate scheme for solving the many-electron problem of a crystal within density functional theory.

*Kohn W. and Sham L.J. 1965 Phys. Rev. 140, A1133*

$$H\Psi = E\Psi$$

1. Non-interacting electrons are in an “external” potential  $V_{xc}^\sigma$
2. Nuclei at fixed positions
3.  $\rho_\sigma(r)$  - the spin densities are the key quantities

$$E_{\text{tot}}(\rho_\uparrow, \rho_\downarrow) = T_s(\rho_\uparrow, \rho_\downarrow) + E_{ee}(\rho_\uparrow, \rho_\downarrow) + E_{N\sigma}(\rho_\uparrow, \rho_\downarrow) + E_{NN} \quad (1)$$

The exact many-particle hamiltonian for this system is:

$$\begin{aligned} \hat{H} = & -\frac{\hbar^2}{2} \sum_i \frac{\nabla_{\vec{R}_i}^2}{M_i} - \frac{\hbar^2}{2} \sum_i \frac{\nabla_{\vec{r}_i}^2}{m_e} \\ & - \frac{1}{4\pi\epsilon_0} \sum_{i,j} \frac{e^2 Z_i}{|\vec{R}_i - \vec{r}_j|} + \frac{1}{8\pi\epsilon_0} \sum_{i \neq j} \frac{e^2}{|\vec{r}_i - \vec{r}_j|} + \frac{1}{8\pi\epsilon_0} \sum_{i \neq j} \frac{e^2 Z_i Z_j}{|\vec{R}_i - \vec{R}_j|} \end{aligned} \quad (1.1)$$

$$\Psi(\vec{r}_1, \vec{r}_2, \vec{r}_3, \dots, \vec{r}_N) \rightarrow \rho(\vec{r}) \quad \rho = \frac{\#_{electrons}}{V} \quad \rho(\vec{r}) = N \int \dots \int \Psi^*(\vec{r}, \vec{r}_2, \vec{r}_3, \dots, \vec{r}_N) \Psi(\vec{r}, \vec{r}_2, \vec{r}_3, \dots, \vec{r}_N) d\vec{r}_2 \dots d\vec{r}_N,$$

To minimize  $E_{tot}$  in accordance with variational principle it is necessary introduce orbitals constrained to construct the spin densities as

$$\chi_{ik}^\sigma = \sum_{i,k} \rho_{ik}^\sigma |\chi_{ik}^\sigma(r)|^2 \quad (2)$$

$\rho_{ik}^\sigma$  are occupation numbers such that  $0 \leq \rho_{ik}^\sigma \leq 1/w_k$   
 $w_k$  is the symmetry-required weight of point  $k$

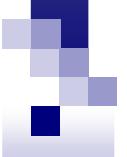
## Two approximations comprise the LSDA:

i) the assumption that  $E_{xc}$  can be written in terms of a local exchange-correlation energy density  $\mu_{xc}$  times the total (spin-up plus spin-down) electron density

$$E_{xc} = \int \mu_{xc}(\rho_\uparrow, \rho_\downarrow) * [\rho_\uparrow + \rho_\downarrow] dr \quad (3)$$

ii) the particular form chosen for that  $\mu_{xc}$ .

The accurate fit to the Monte-Carlo simulations has used in WIEN2k package.  
 Perdew J.P., et. al. 1992 Phys.Rev.B46, 6671

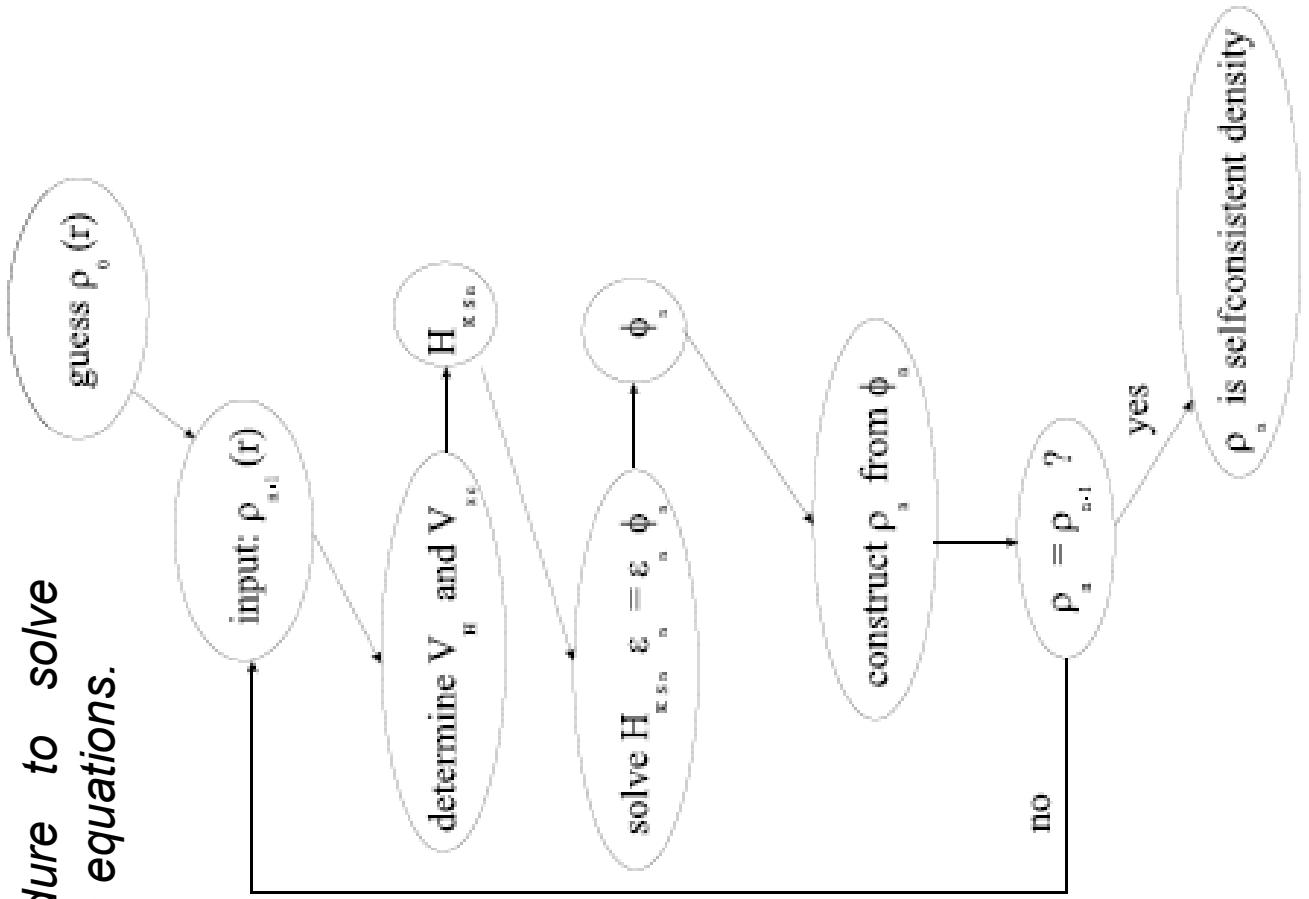


The variation of  $E_{tot}$  gives the Kohn-Sham (KS) equations

$$[-\nabla^2 + V_{N\sigma} + V_{ee} + V_{xc}] \chi_{ik}^\sigma(r) = \epsilon_{ik}^\sigma \chi_{ik}^\sigma(r) \quad (4)$$

This Kohn-Sham equations must be solved self-consistently in an iterative process, since finding the Kohn-Sham orbitals requires the knowledge of the potentials which themselves depend on the (spin-) density and thus on the orbitals again.

## The selfconsistent procedure to solve Hartree-Fock or Kohn-Sham equations.

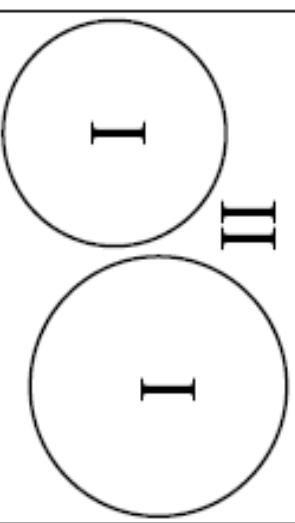


# The LAPW method

The linearized augmented plane wave (LAPW from Slater's APW) is based on the DFT for the treatment of exchange and correlation. The LAPW method is a procedure for solving the KS equations for many-electron system (crystal)

- Local spin density approximation (LSDA)
- Generalized gradient approximation (GGA)
- Relativistic effects (scalar relativistic treatment)
- Spin-orbit coupling
- Core states are treated fully relativistically
- Electron density in the ground state
- Total energy
- KS-eigenvalues (energy bands)
- Basis set

# The basis set is especially adapted to the problem.



This adaptation is achieved by dividing the unit cell into

- (I) non-overlapping atomic spheres (centered at the atomic sites)
- (II) an interstitial region.

In the two types of regions different basis sets are used:

- (I) inside atomic sphere
- (II) in the interstitial region

# (1) inside atomic sphere

a linear combination of radial functions times spherical harmonics  $Y_{lm}(r)$  is used

$$\phi_{\mathbf{k}_n} = \sum_{lm} [A_{lm, \mathbf{k}_n} u_l(r, E_l) + B_{lm, \mathbf{k}_n} \dot{u}_l(r, E_l)] Y_{lm}(\hat{\mathbf{r}}) \quad (5)$$

$u_l(r, E_l)$  is the regular solution of the radial Schrodinger equation  $E_l$  and the spherical part of the potential inside sphere

$\dot{u}_l(r, E_l)$  is the energy derivative of  $u_l$  evaluated at the same energy  $E_l$ .

$u_l$  and  $\dot{u}_l$  are obtained by numerical integration of the radial Schrodinger equation on a radial mesh inside the sphere. A linear combination of these two functions constitute the linearization of the radial function

The coefficients  $A_{lm}$  and  $B_{lm}$  are functions of  $\kappa_n$  determined by requiring that this basis function matches (in value and slope) each plane wave (PW) the corresponding basis function of the interstitial region.

# (II) in the interstitial region

a plane wave expansion is used

$$\phi_{\mathbf{k}_n} = \frac{1}{\sqrt{\omega}} e^{i \mathbf{k}_n \cdot \mathbf{r}} \quad (6)$$

$$\mathbf{k}_n = \mathbf{k} + \mathbf{K}_n$$

$\mathbf{K}_n$  are the reciprocal lattice vectors

$\mathbf{k}$  is the wave vector inside the first Brillouin zone.

Each plane wave is augmented by an atomic-like function in every atomic sphere.

The solutions to the Kohn-Sham equations are expanded in this combined basis set of LAPW's according to the linear variation method

$$\psi_{\mathbf{k}} = \sum_n c_n \phi_{\mathbf{k}_n} \quad (7)$$

$c_n$  are the coefficients determined by the Rayleigh-Ritz variational principle.

## Local Orbitals (LO)

additional  $\mathbf{k}_n$ -independent basis functions can be added to improve the linearization (i.e. to increase the flexibility of the basis) and to make possible a consistent treatment of semicore and valence states in one energy window (to ensure orthogonality).

$$\phi_{lm}^{LO} = [A_{lm}u_l(r, E_{1,l}) + B_{lm}\dot{u}_l(r, E_{1,l})]Y_{lm}(\hat{r}) \quad (8)$$

# General considerations

The LAPW method expands the potential (and charge densities analogously) in the following form

$$V(r) = \begin{cases} \sum_{lm} V_{lm}(r) Y_{lm}(\hat{r}) & \text{inside sphere} \\ \sum_K V_K e^{iK r} & \text{outside sphere} \end{cases} \quad (9)$$

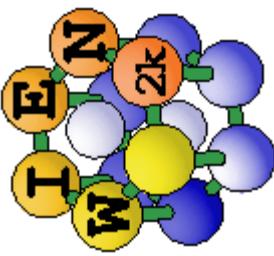
LAPW procedure frequently called the ``full-potential'' method because no shape approximations are made .

## PROPERTIES:

- The density of states (DOS) (modified tetrahedron method)
- X-ray absorption and emission spectra (Fermi's golden rule)
- X-ray structure factors (Fourier Transformation of the charge density)
- Optical properties ('Joint density of states" modified with dipole matrix elements. A Kramers-Kronig transformation is also possible.
- An analysis of the electron density according to Bader's ``atoms in molecules" theory can be made.

# Calculated properties

- Energy bands and density of states,
- electron densities and spin densities, x-ray structure factors,
- Baders's "atoms-in-molecule" concept,
- total energy, forces, equilibrium geometries, structure optimization, molecular dynamics,
- Phonons, with an interface to K.Parlinski's PHONON program
- electric field gradients, isomer shifts, hyperfine fields,
- spin-polarization (ferro- or antiferromagnetic structures), spin-orbit coupling,
- x-ray emission and absorption spectra, electron energy loss spectra
- optical properties,
- fermi surfaces,
- LDA, GGA, meta-GGA, LDA+U, orbital polarization,
- centro- or non-centrosymmetric cells, all 230 spacegroups built in



# Manganise oxides

- **Manganise oxides  $A_{1-x}B_x\text{MnO}_3$**

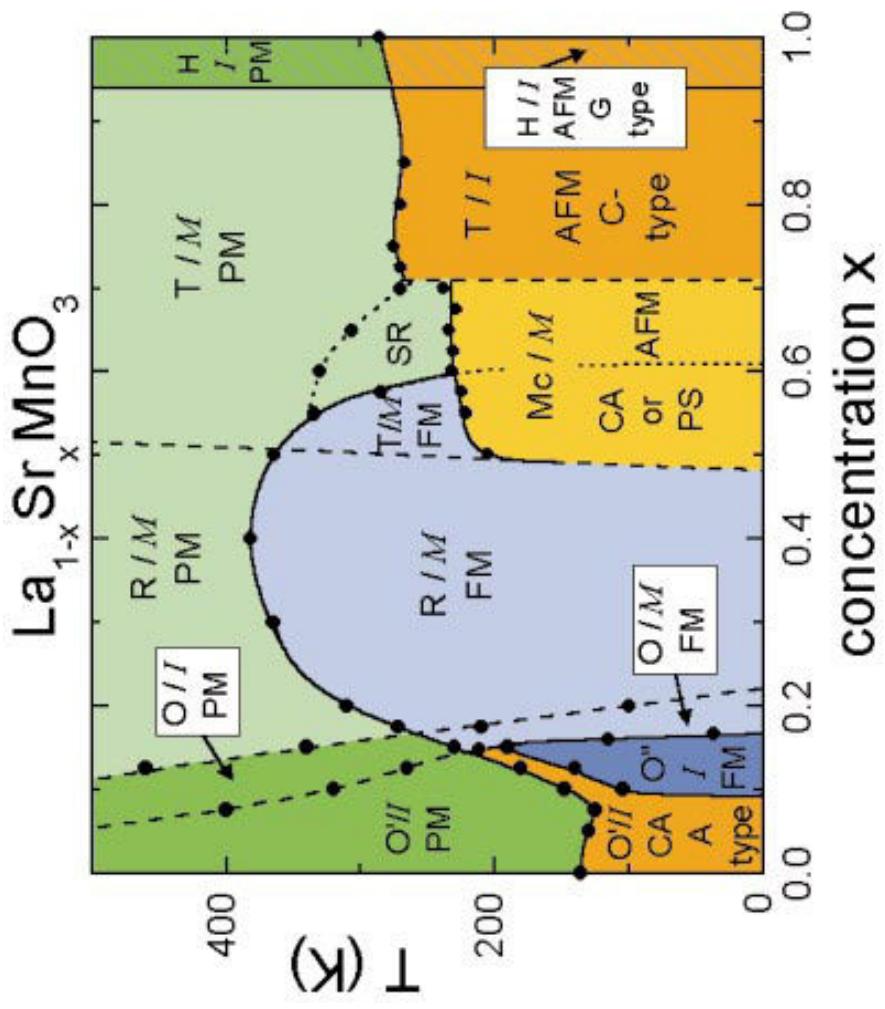
(A rare-earth ions, B divalent ions) with perovskite structure

- **Very rich structure-property phase diagram**

(a lot of phase transitions over x, field induced phase transitions)

- **Half-metallic behavior**

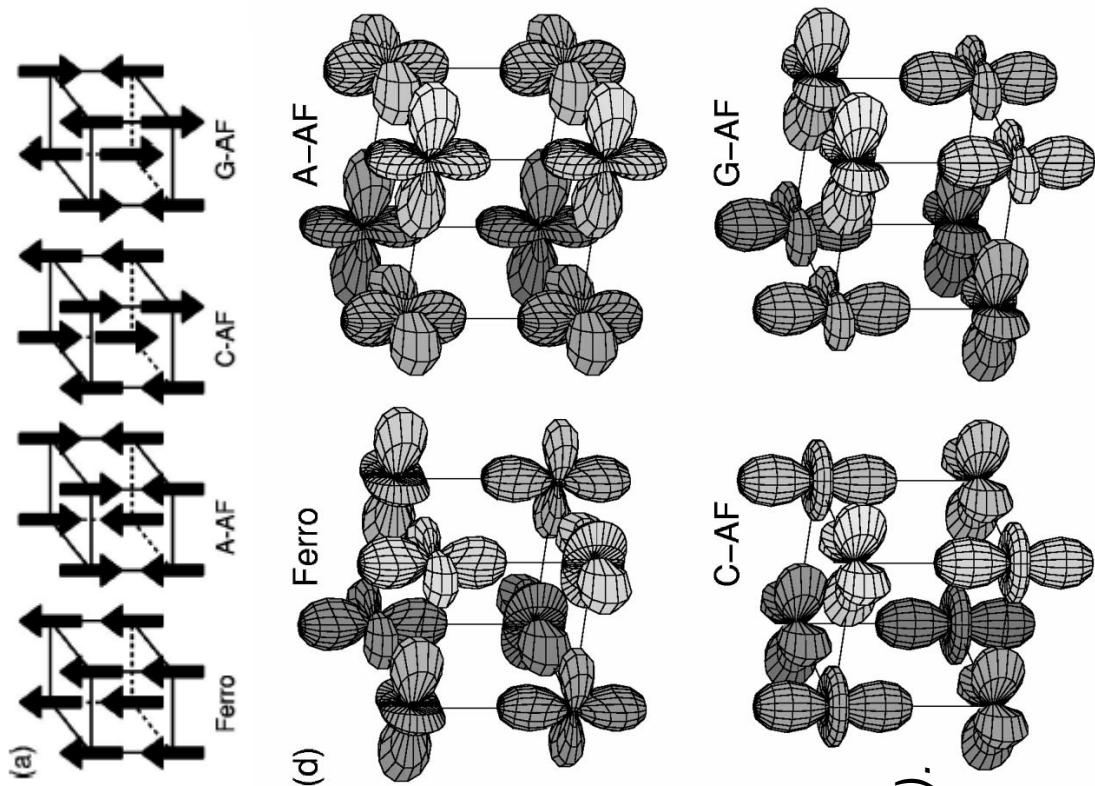
- **Magnetic semiconductors**  
(spintronics)



J. Hemberger, A. Krimmel et all, *Phys. Rev. B* **66**, 094410 (2002).

# Manganese oxides

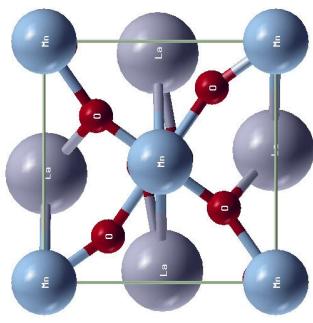
- **Giant magnetoresistance**  
(very large negative magnetoresistance – decreasing on some orders of value)
- **Giant volume magnetostriiction effect**
- **Correlations between charge and magnetic ordering**
- **Magneto-optic Faraday effect**



T. Hotta et. al., Phys. Rev. B 60, 15009 (1999).

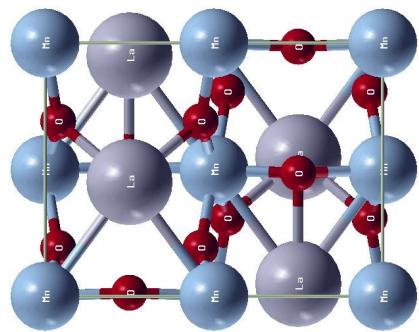
# $\text{LaMnO}_3$ 62-Pnma orthorhombic structure

(001)

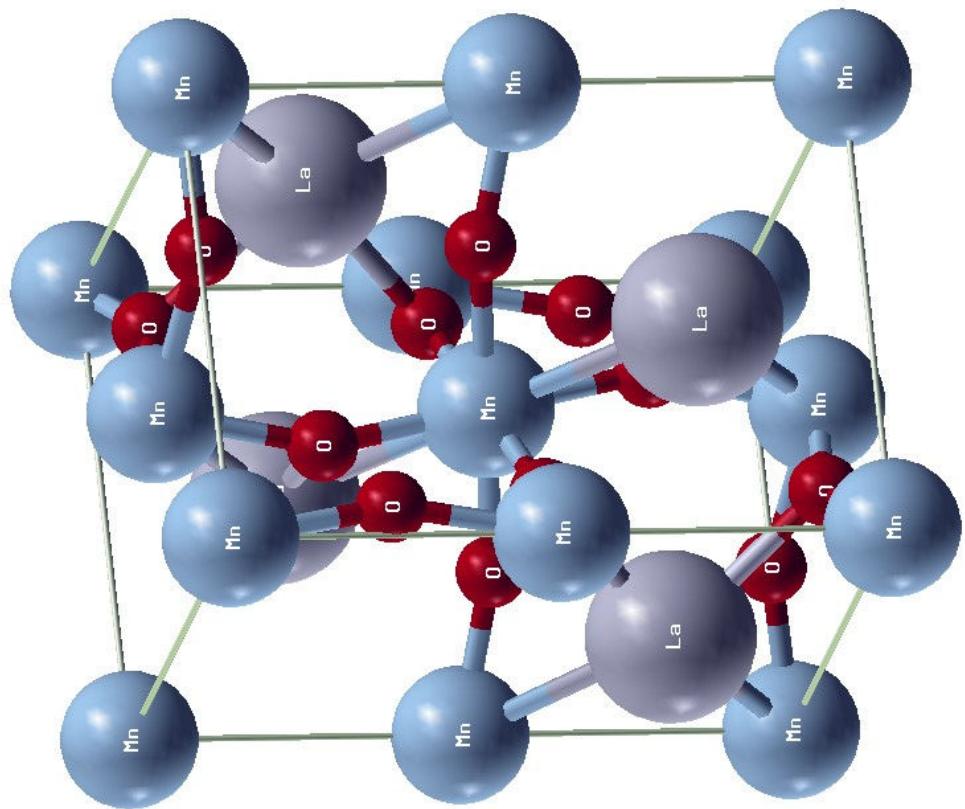
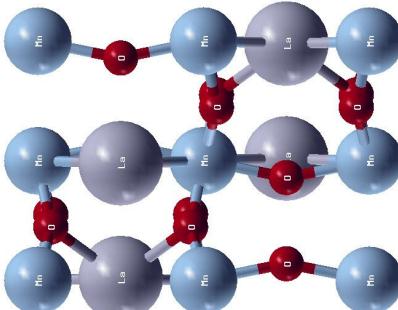


57 <b>La</b> $\text{Xe}5\text{d}6\text{s}^2$	38 <b>Sr</b> $\text{Kr}5\text{s}^2$	25 <b>Mn</b> $\text{Ar}3\text{d}^54\text{s}^2$	8 <b>O</b> $\text{He}2\text{s}^22\text{p}^4$
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(010)



(100)

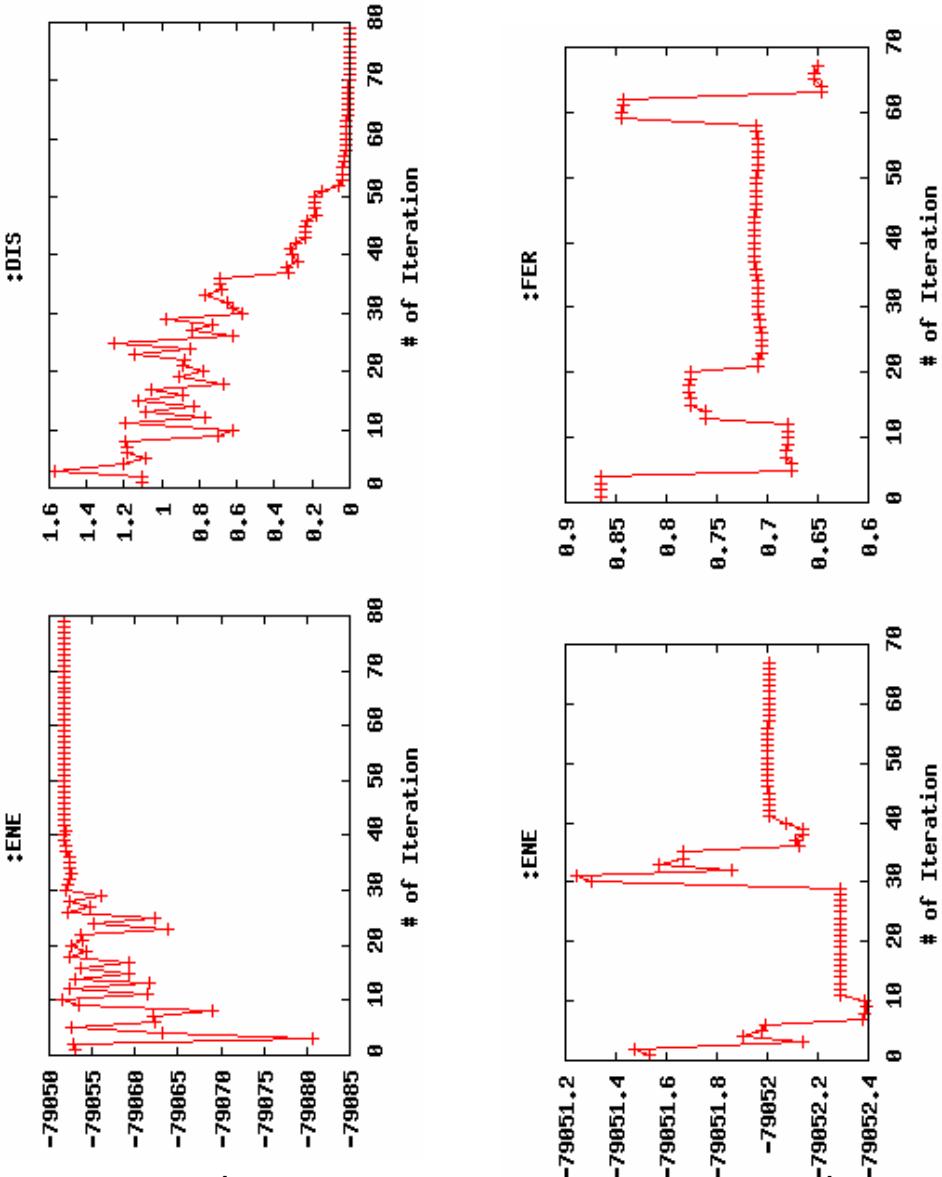


# LaMnO<sub>3</sub>

Nonequivalent atoms,  $R_{\text{mt}}^* K_{\text{max}} = 4$ , Max L=10,  $V_{\text{nmt}} = 4$ ,  $G_{\text{max}} = 12$   
 $a = 10.454$ ,  $b = 10.85$ ,  $c = 14.49$  (bohr), Angles 90, Tot Number electrons per unit cell=262, Temp 0.0005

## A-type antiferromagnet

Total Energy -79051.781922 Ry  
Magnetic moment for Mn +(-)0.001  
Interstitial magnetic moment 0.0000...  
Total magnetic moment 0.00000...  
Mn1 0, 0, 0 (up);  
Mn2 0.5, 0.5, 0 (up);  
Mn3 0, 0, 0.5 (dn);  
Mn4 0.5, 0.5, 0.5 (dn).  
AFM translation vector (0,0,0.5).



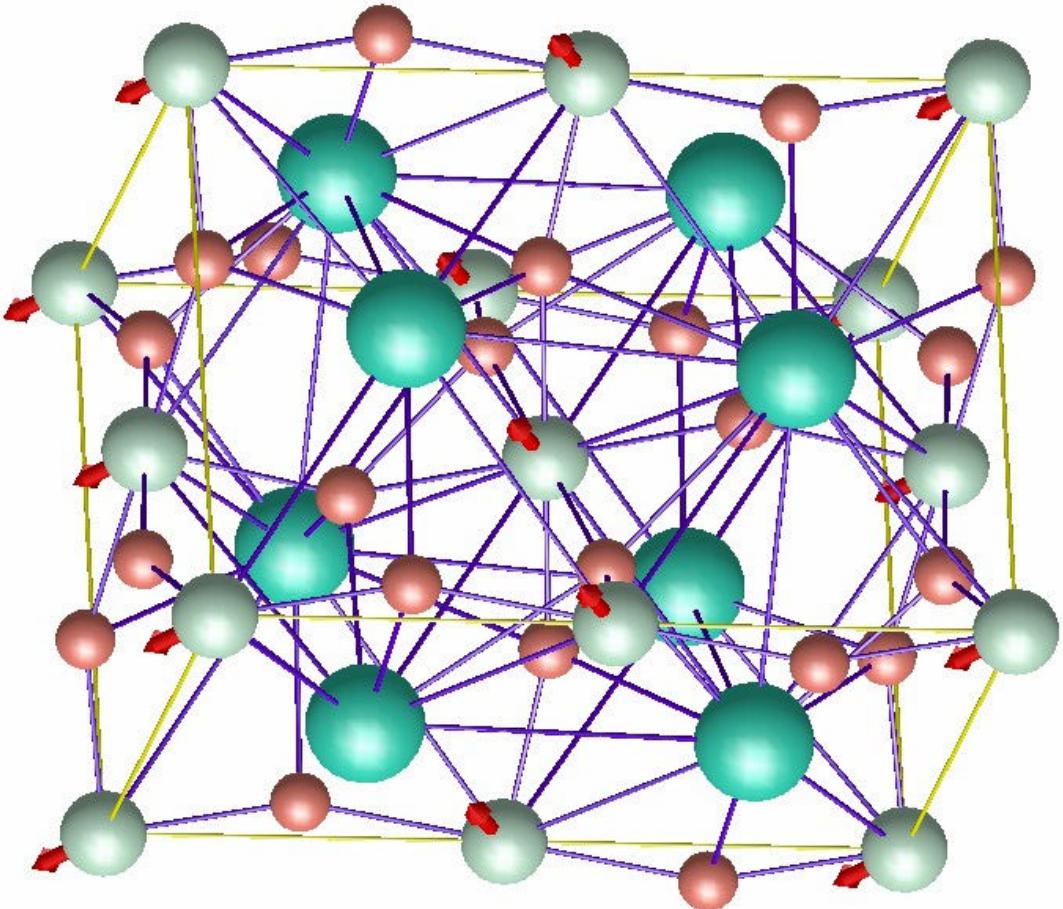
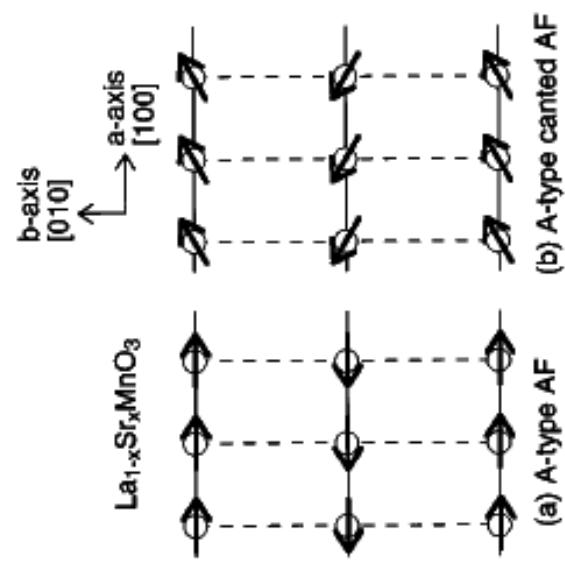
# Eigenvalues FM LaMnO<sub>3</sub>

-5.4416173	-5.4414292	-5.4405377	-5.4391653	-3.1225084	-5.1471806	-5.1468945	-5.1447119	-2.8530340
-3.1206812	-3.1198857	-3.1171011	-3.1157927	-3.1144662	-2.8520102	-2.8499407	-2.8472225	-2.8324627
-3.1126133	-3.1087108	-3.1051687	-3.1012278	-3.1005985	-2.8314742	-2.8265639	-2.7957210	-2.7897570
-3.1004642	-1.7309450	-1.7253740	-1.7225515	-1.7165326	-2.7894719	-1.7295814	-1.7240796	-1.7173063
-0.8480429	-0.8185905	-0.8166376	-0.8036936	-0.8013134	-0.8354591	-0.8053001	-0.8041667	-0.7901285
-0.7761941	-0.7642879	-0.7608794	-0.7570046	-0.7551710	-0.7648742	-0.7526091	-0.7484022	-0.7428883
-0.7505847	-0.7436605	-0.5274214	-0.5239525	-0.5230813	-0.7380413	-0.7301787	-0.5236563	-0.5202364
-0.5190848	-0.5068669	-0.5023301	-0.4990767	-0.4947775	-0.5166909	-0.5043266	-0.5005257	-0.4915095
-0.4938860	-0.4600076	-0.4459121	-0.4435057	0.0737671	-0.4905313	-0.4561729	-0.4417674	-0.4390665
0.1122331	0.1261263	0.1684213	0.1781869	0.1906303	0.1620069	0.1674153	0.2193394	0.2339339
0.2036890	0.2231221	0.2270528	0.2472858	0.2529675	0.2466562	0.2622541	0.2646841	0.2764147
0.2548682	0.2593005	0.2641558	0.2683438	0.2721087	0.2897645	0.3019328	0.3032957	0.3125719
0.2874842	0.2976954	0.2984495	0.3028571	0.3218561	0.3293745	0.3340113	0.3403835	0.3559188
0.3474525	0.3726757	0.3851128	0.3912785	0.4011647	0.3726179	0.3898546	0.4068933	0.4159481
0.4166230	0.4259865	0.4303605	0.4345113	0.4419577	0.4437244	0.4507547	0.4526375	0.4532665
0.4426580	0.4498687	0.4712547	0.4777048	0.4867209	0.4709108	0.4749137	0.4957298	0.4974291
0.4896292	0.4979274	0.5188305	0.5199017	0.5423010	0.7121077	0.7317433	0.7361979	0.7451132
0.5505000	0.5539338	0.5777726	0.5780689	0.5947139	0.7822771	0.7962134	0.8030715	0.8125679
0.5963476	0.6216158	0.6366225	0.6510183	0.6586623	0.8251314	0.8548808	0.8700094	0.8742290
0.6953304	0.7116210	0.8360416	0.8852830	0.9059289				0.8852254

Spin down eigenvalues  
80 levels till Fermi\_En

Spin up eigenvalues  
96 levels till Fermi\_En

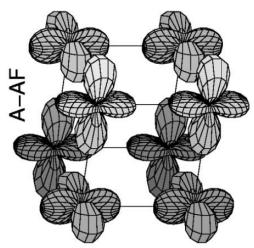
# Canted A-type antiferromagnetic $\text{LaMnO}_3$



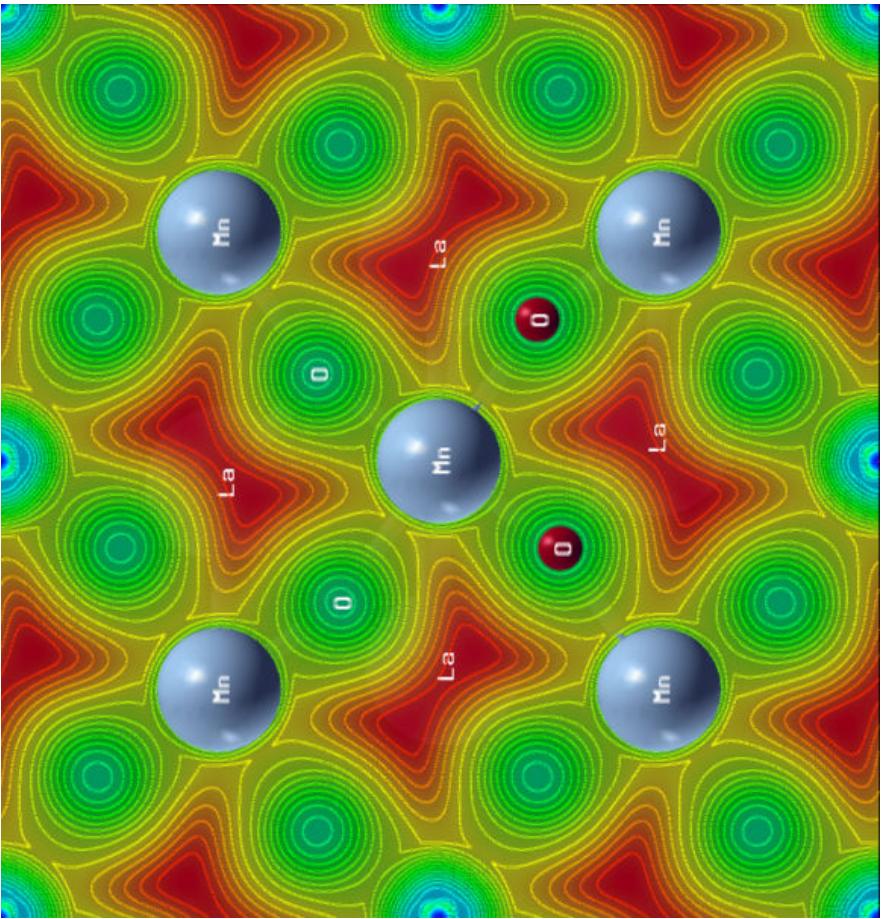
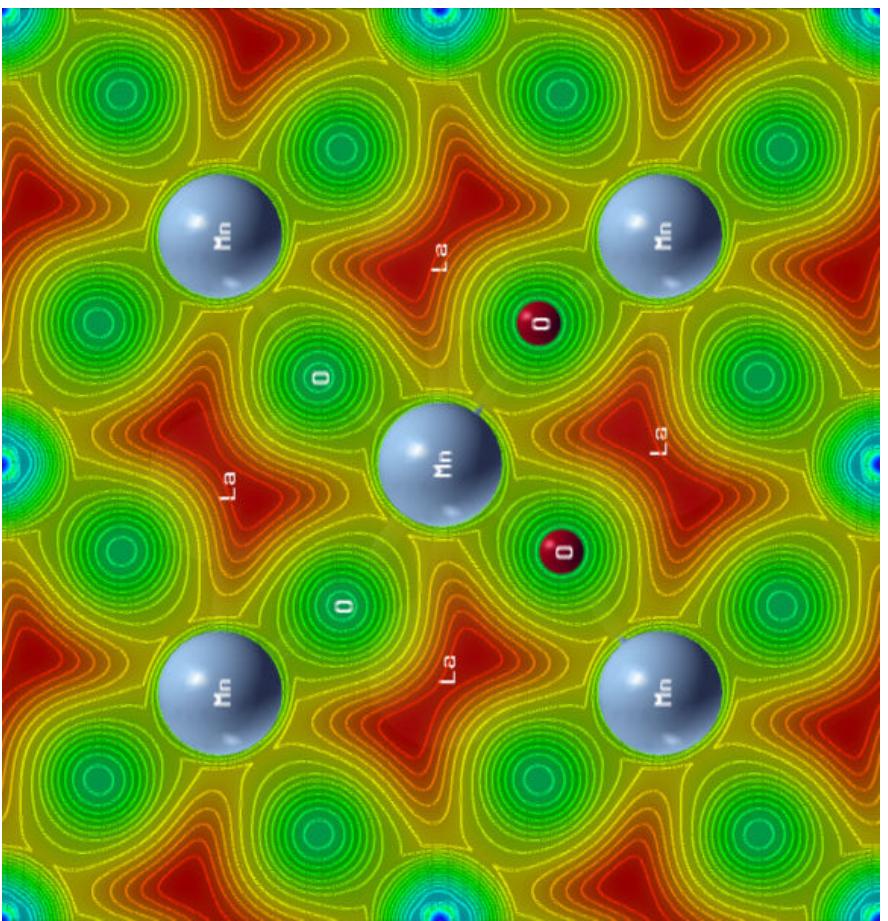
Schematic illustration of a layer-type antiferromagnetic structure. This structure is labeled as A-type after E.O. Wollan and W.C. Koehler, Phys. Rev. **100**, 545 (1955)

# Electron density plots A-AFM LaMnO<sub>3</sub>

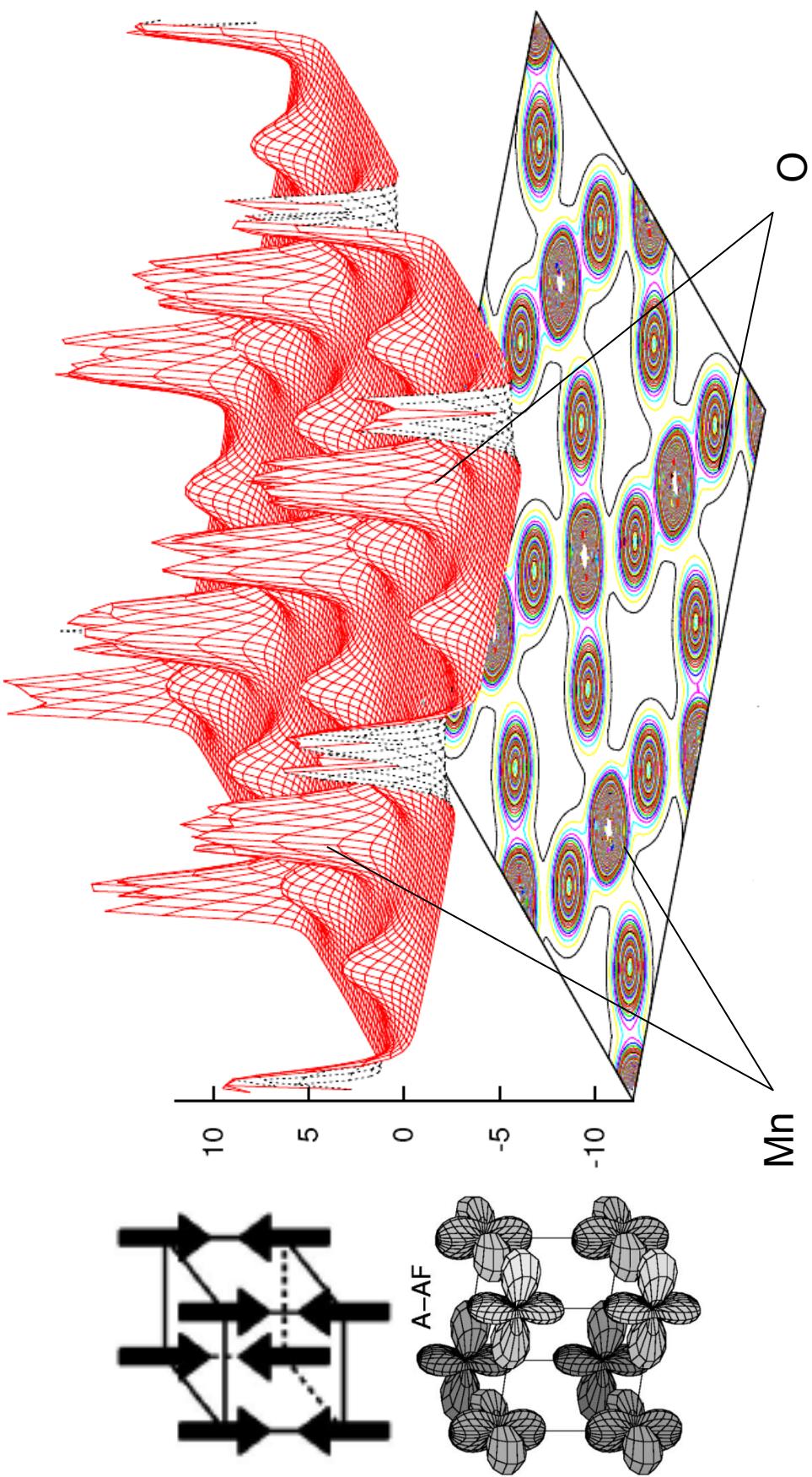
(001), spin down



(001), spin up

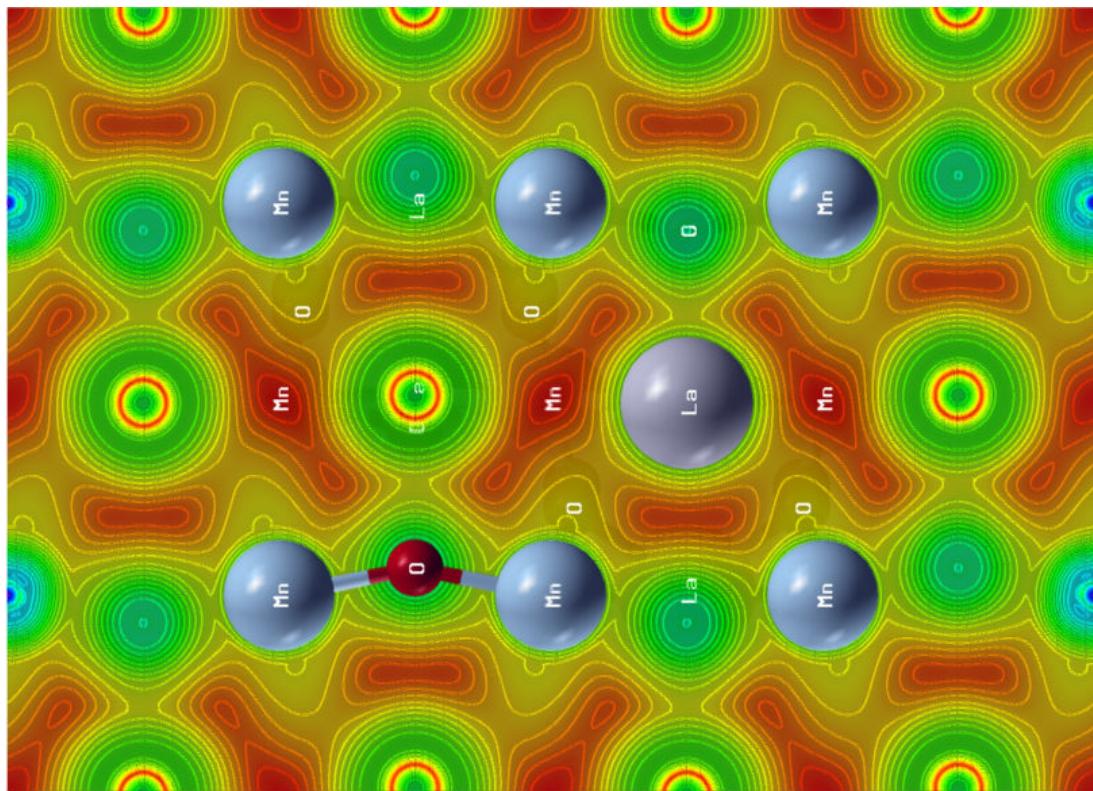


# Charge density of A-AFM LaMnO<sub>3</sub>

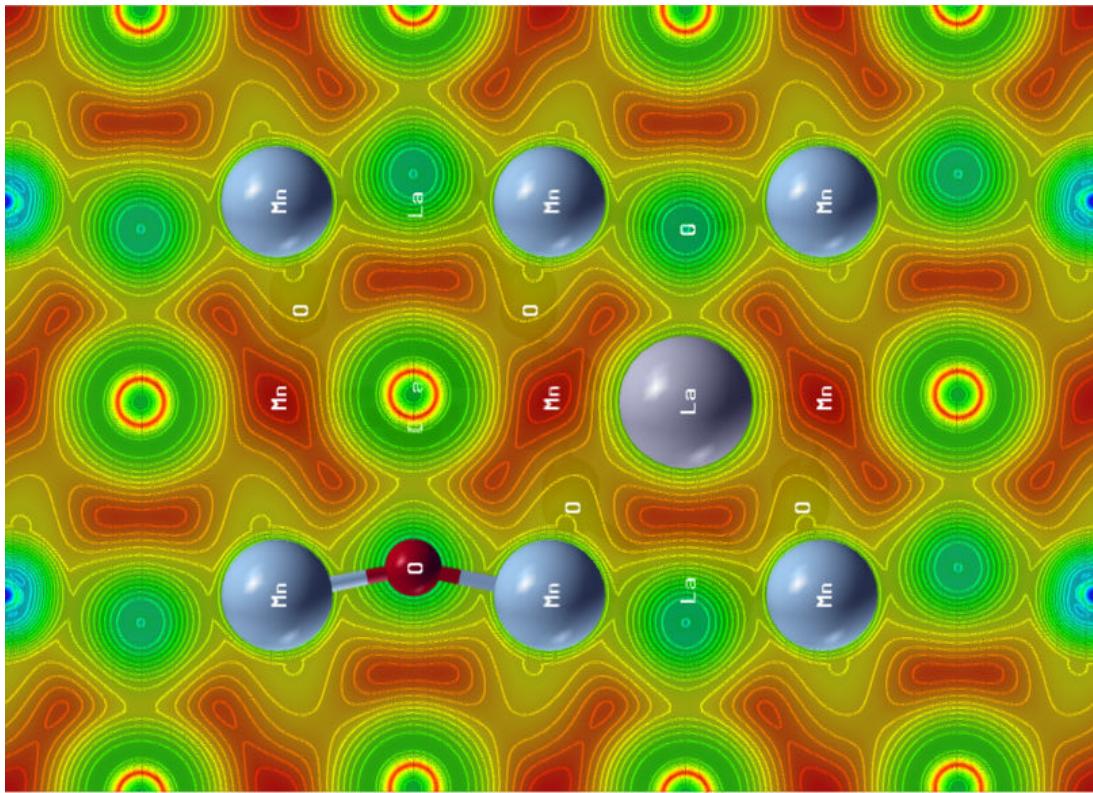


# Electron density plots A-AFM LaMnO<sub>3</sub>

(010), spin up

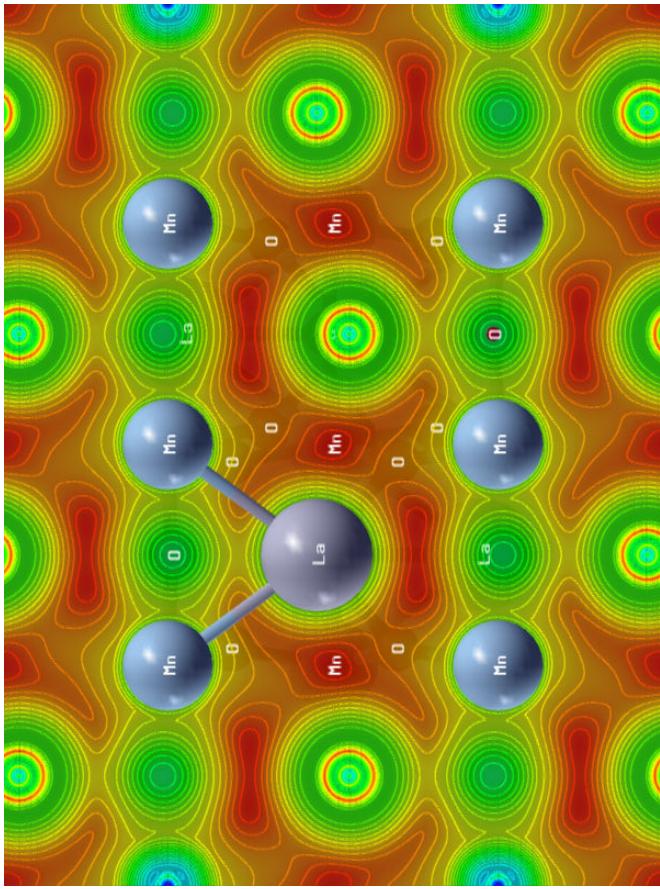


(010), spin down

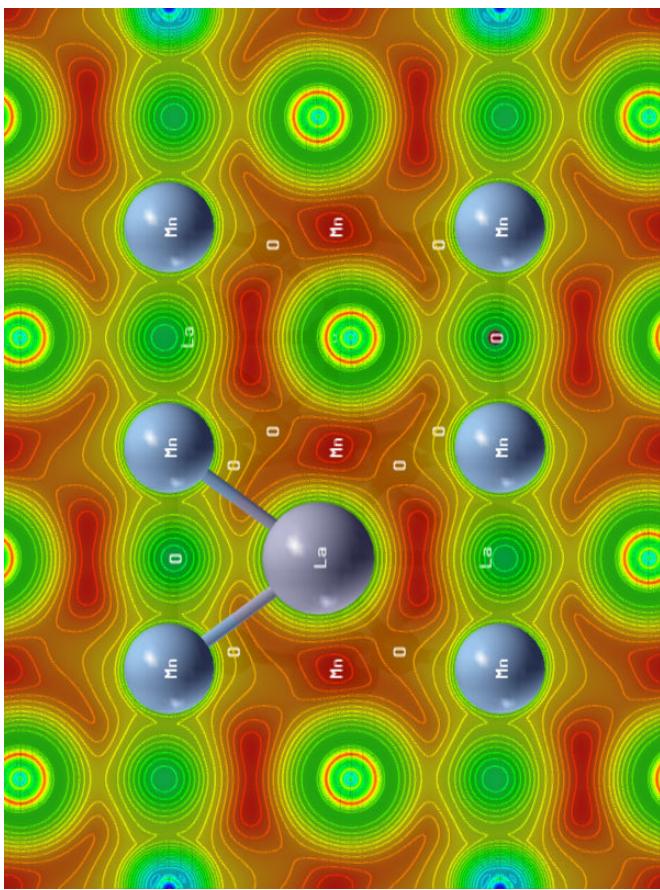


# Electron density plots A-AFM LaMnO<sub>3</sub>

(100), spin down

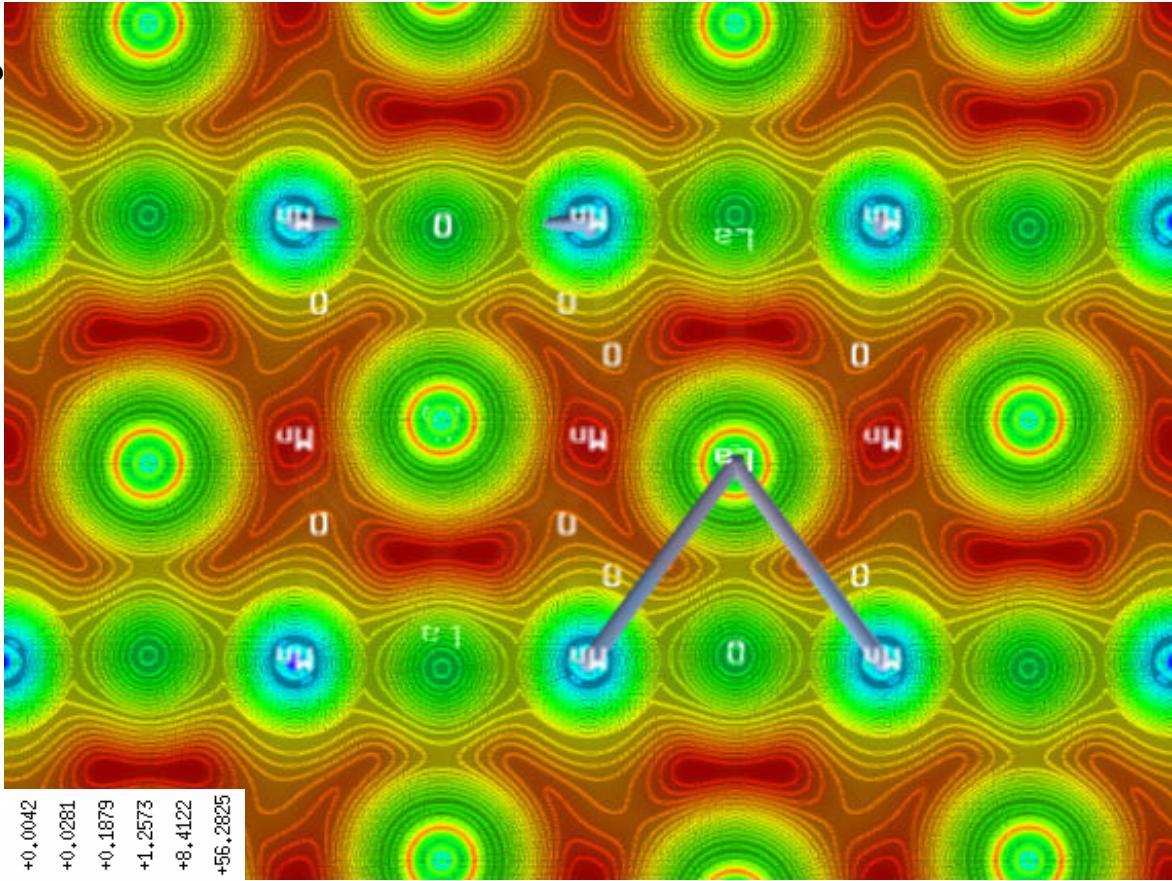


(100), spin up

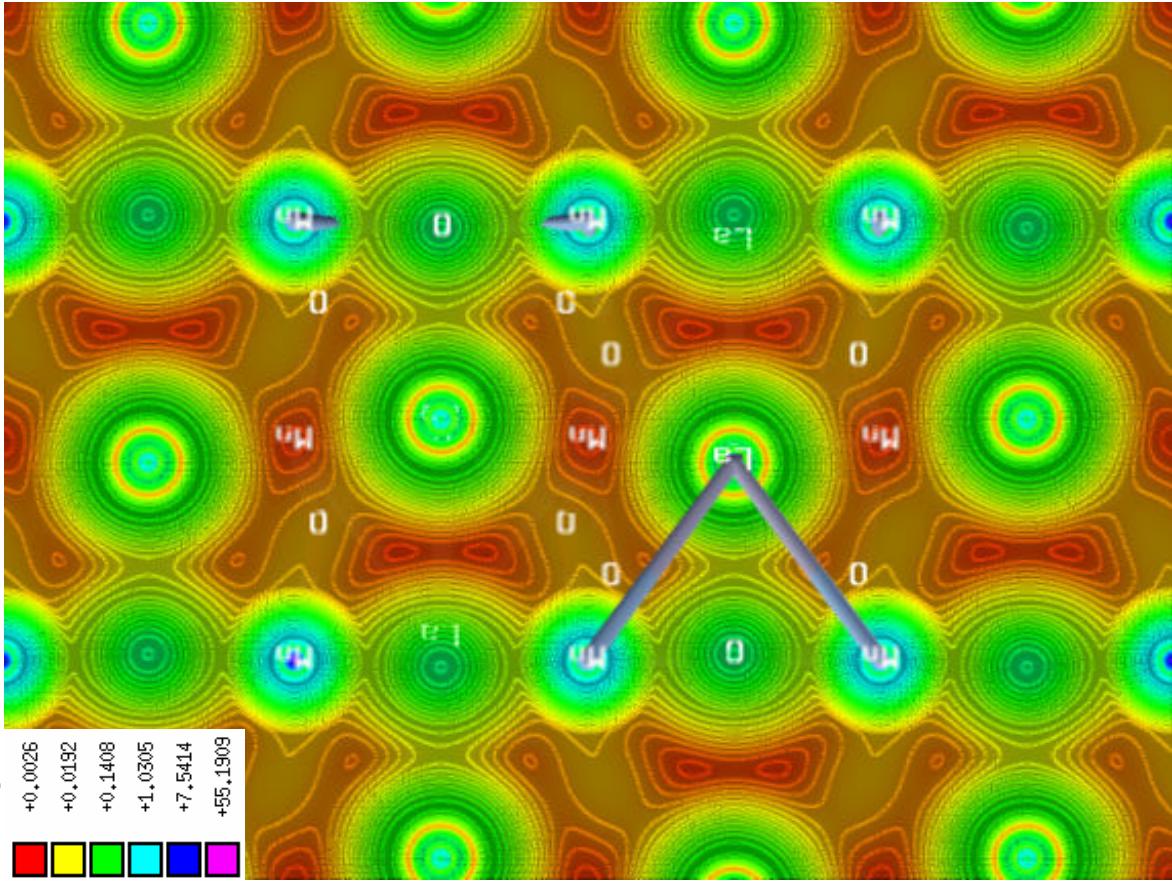


# Electron density plots FM LaMnO<sub>3</sub> (100) plane

$E_c=0.48$  Ry  
spin up

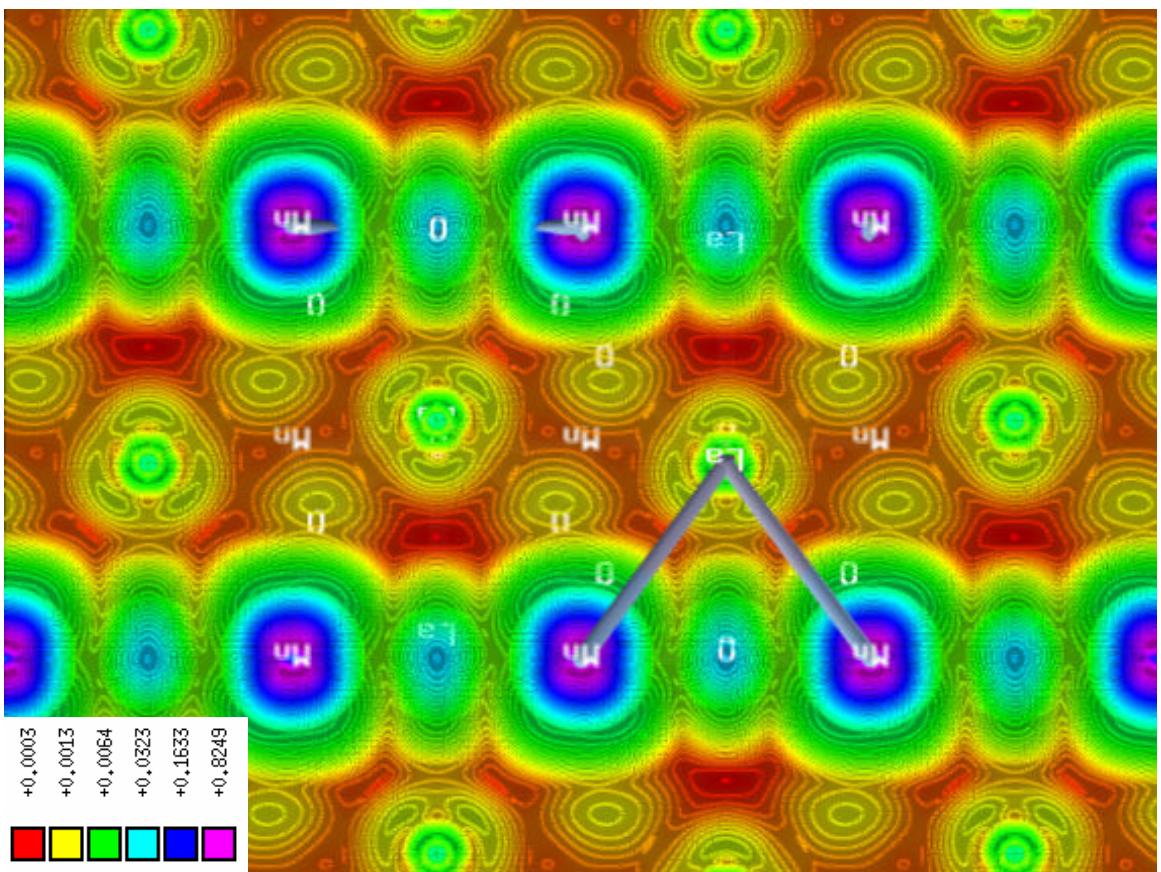
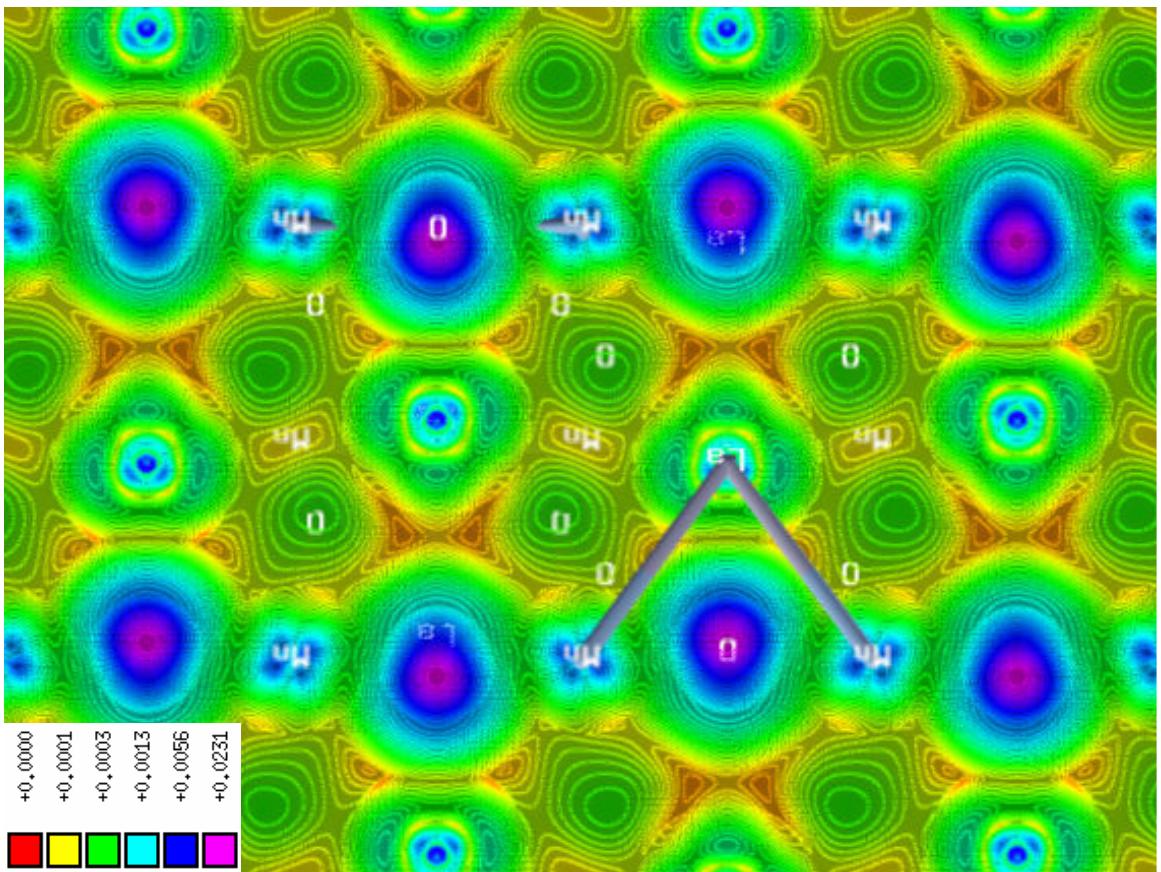


spin down

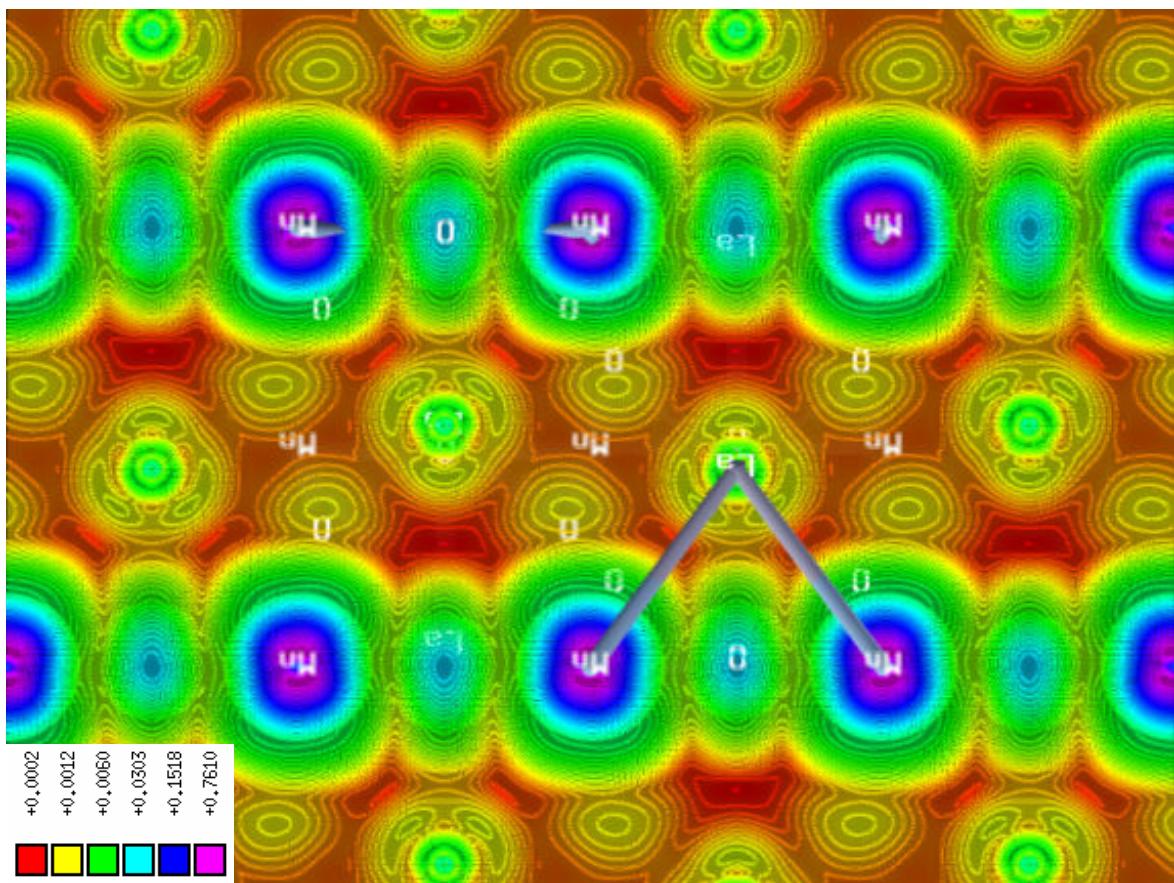
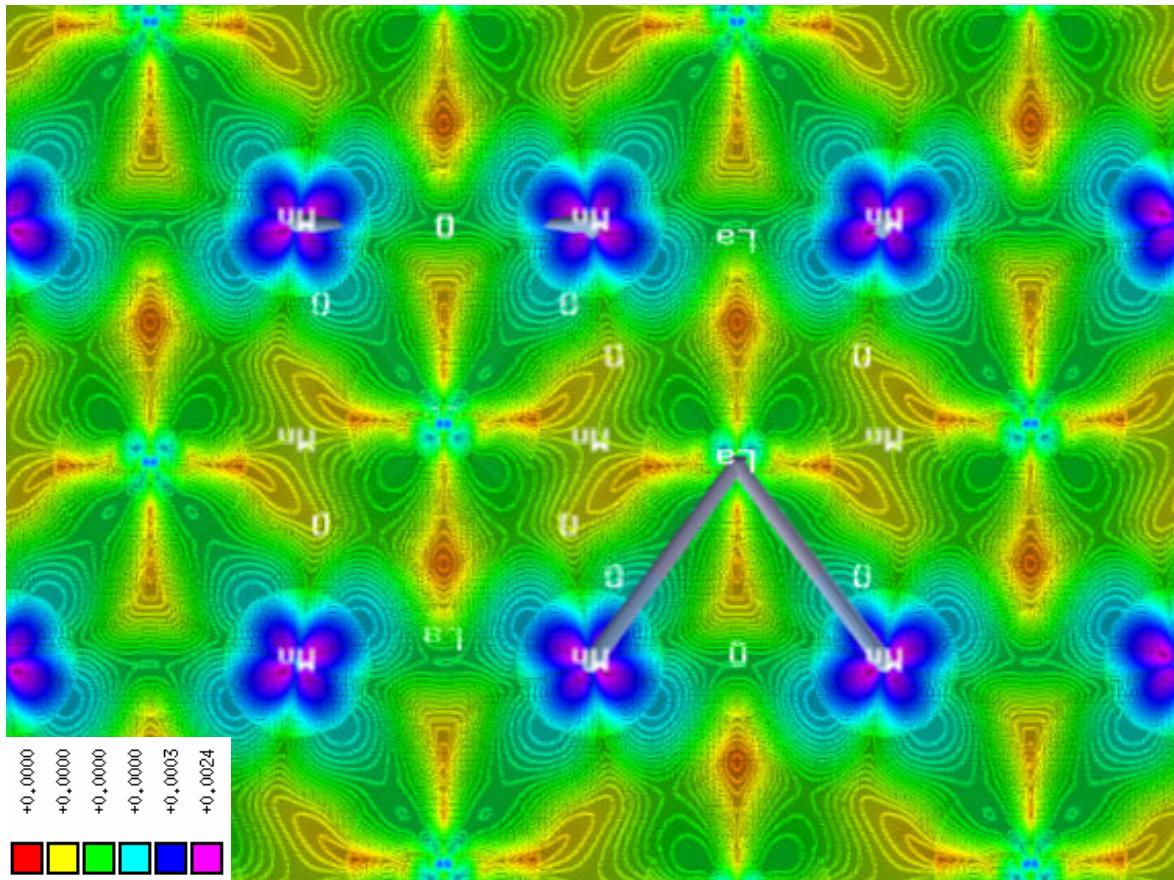


# Electron density plots FM LaMnO<sub>3</sub> (100) plane

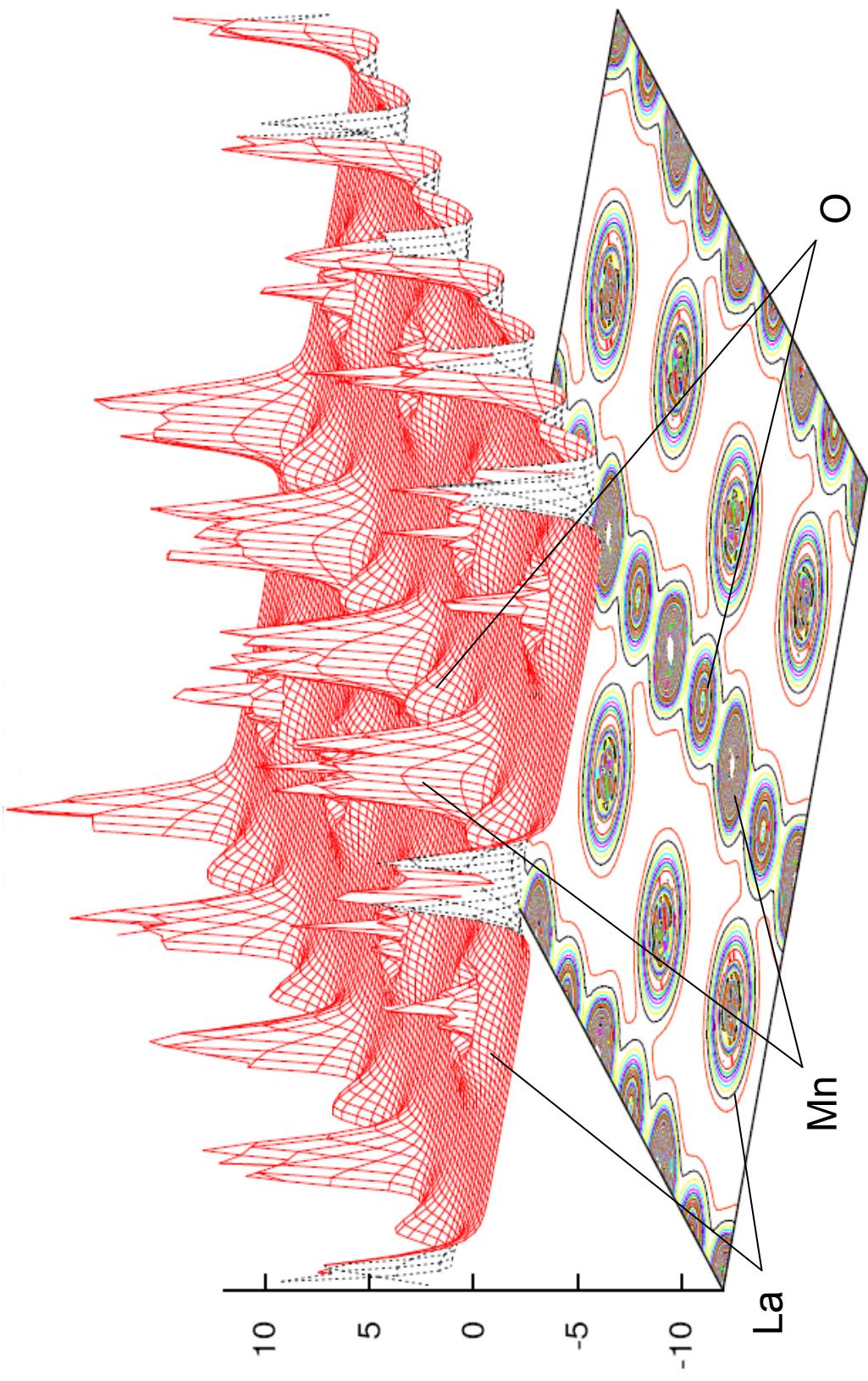
$E_c=0.48$  Ry  
spin up      spin down

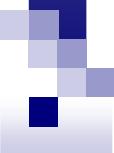


# Electron density plots FM LaMnO<sub>3</sub> (100) plane $E_c=0.52$ Ry



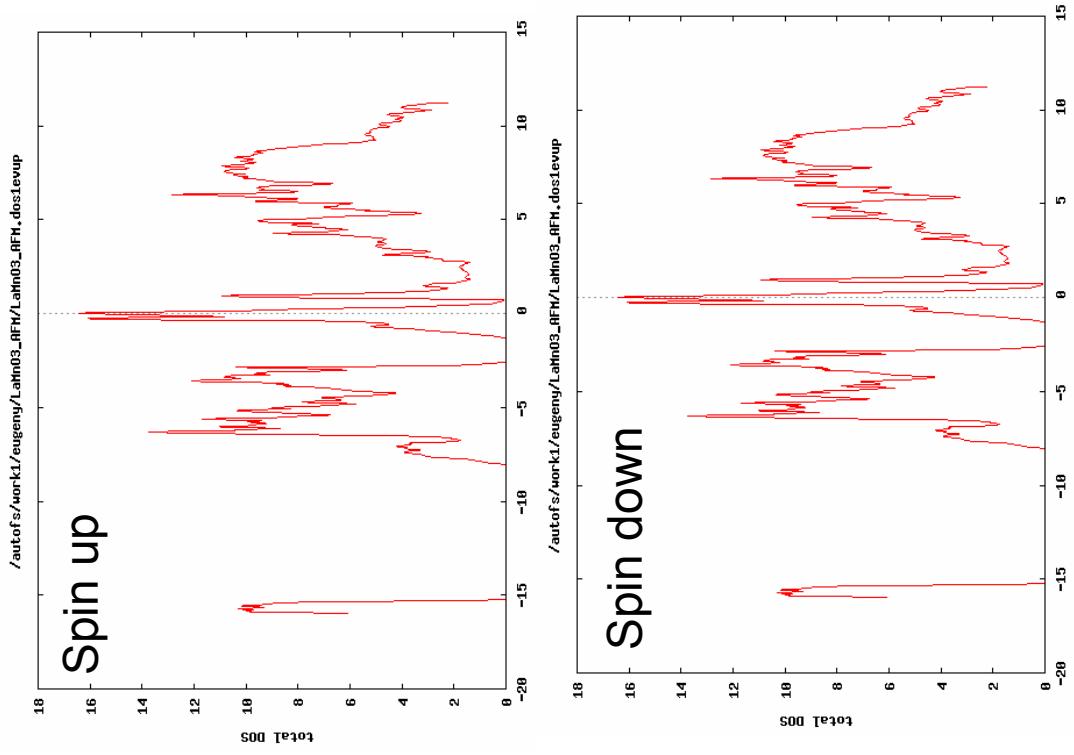
# Charge density of FM LaMnO<sub>3</sub> spin up (100) plane



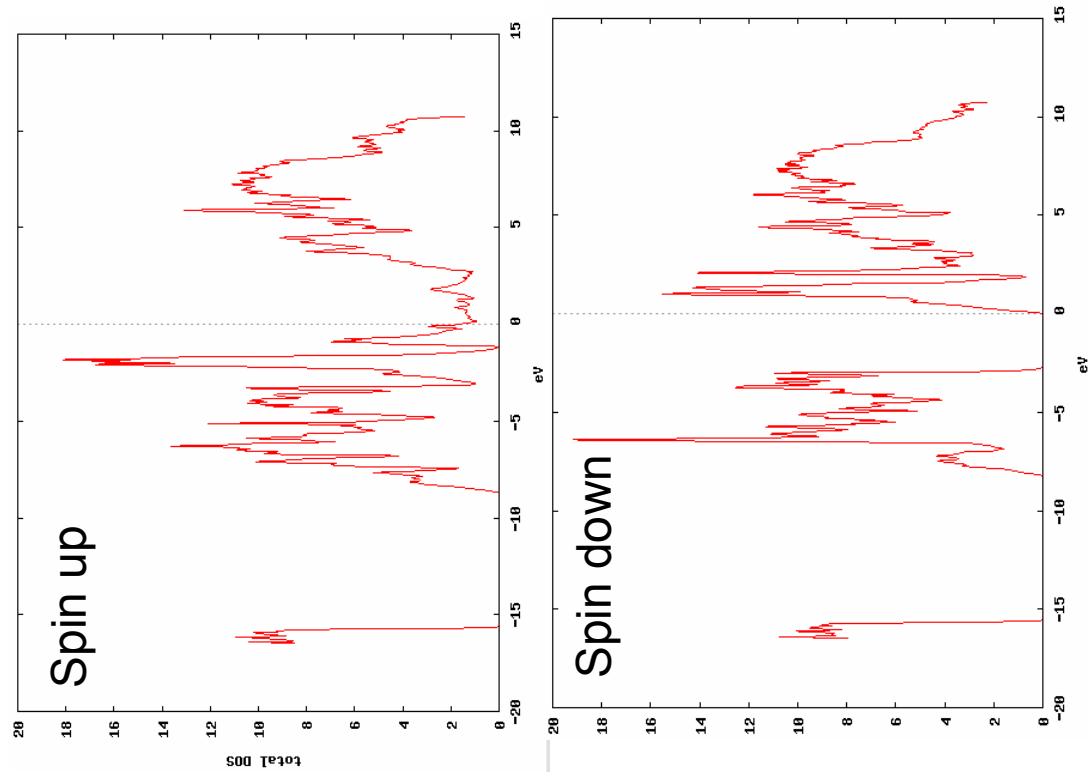


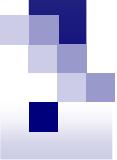
# Total density of states (DOS) $\text{LaMnO}_3$

## A-type Antiferromagnet



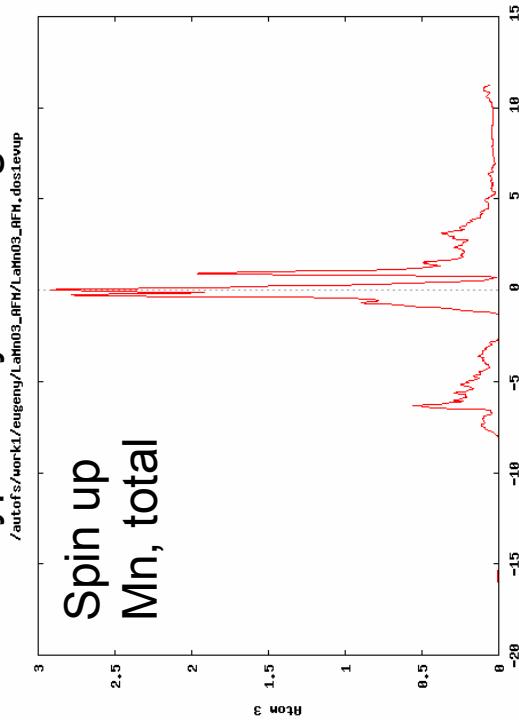
## Ferromagnet



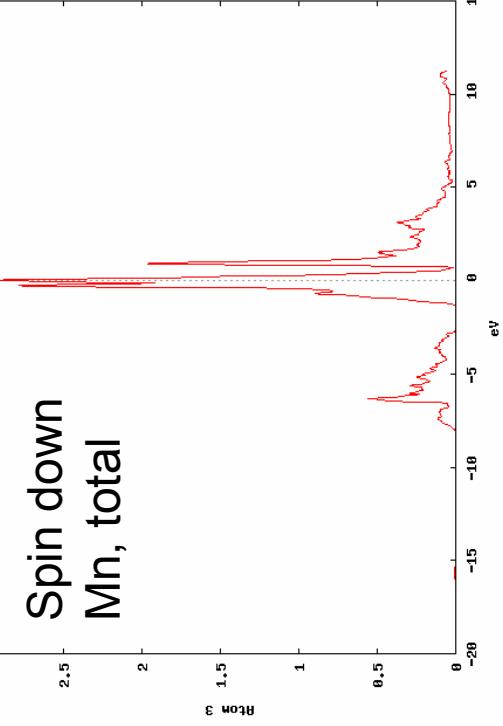
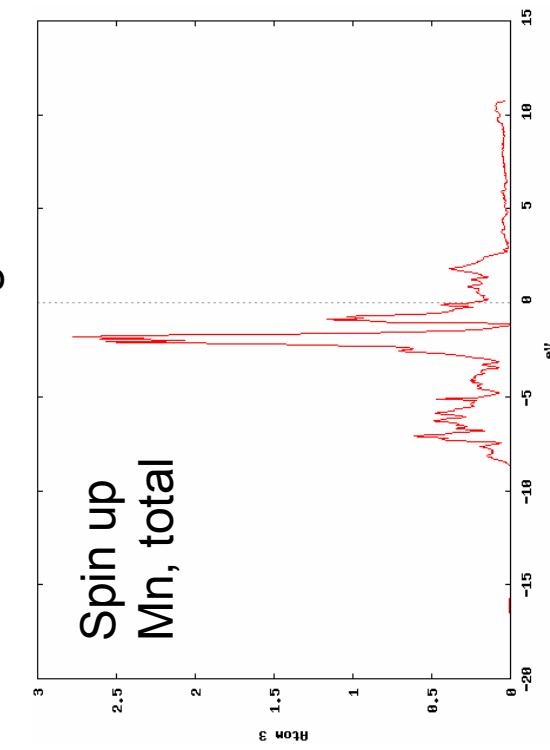


# Partial DOS for Mn atoms LaMnO<sub>3</sub>

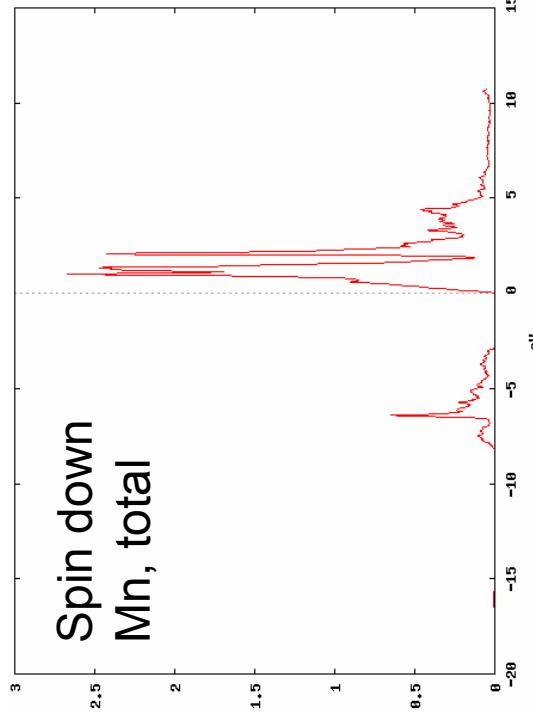
A-type Antiferromagnet



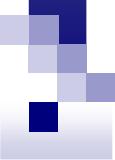
Ferromagnet



Spin down  
Mn, total

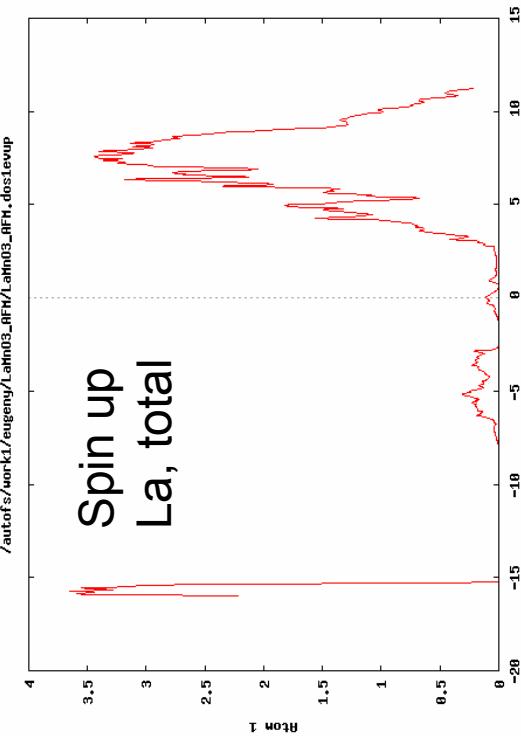


Spin up  
Mn, total

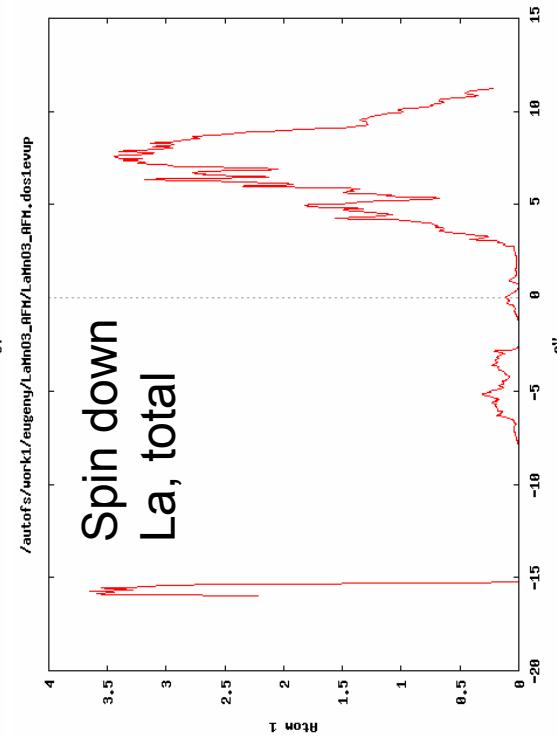
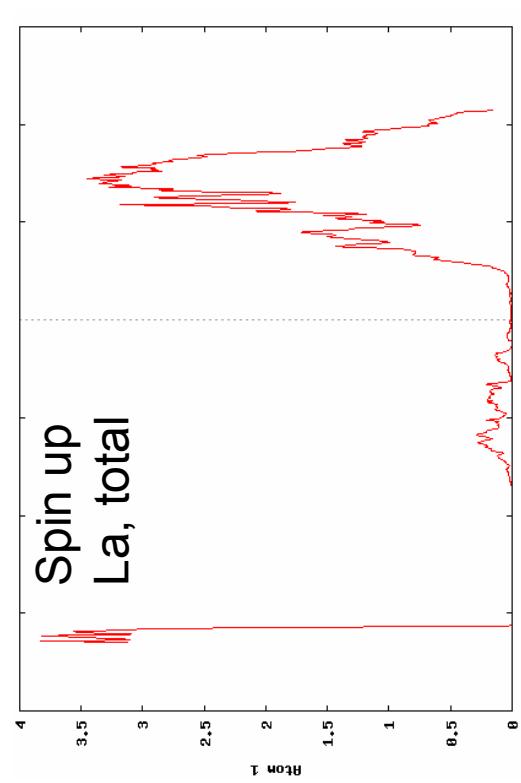


# Partial DOS for La atoms $\text{LaMnO}_3$

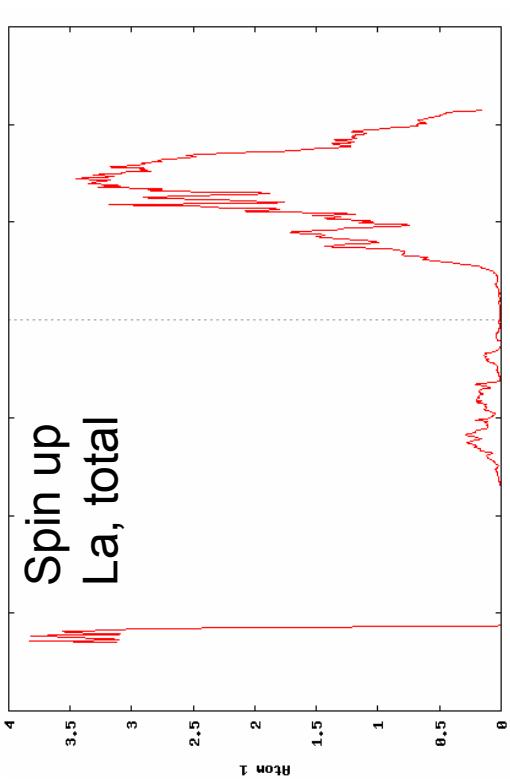
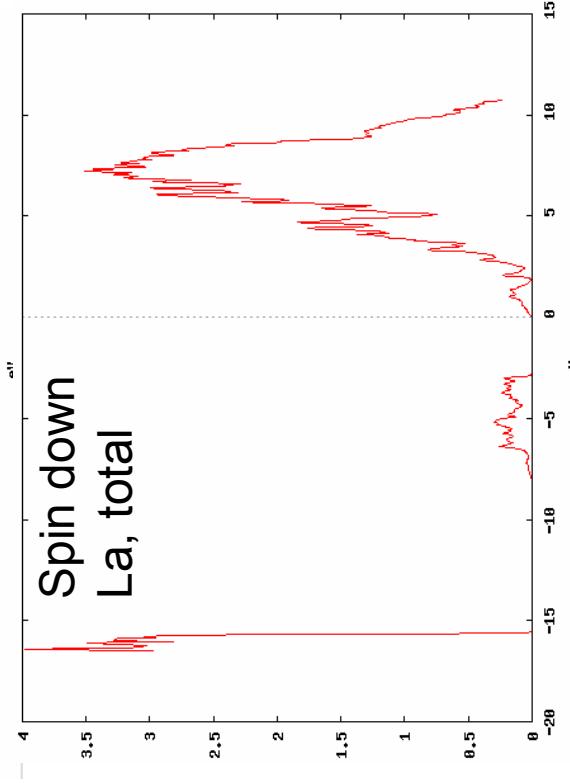
A-type Antiferromagnet



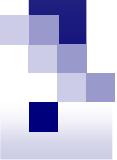
Ferromagnet



Spin down  
La, total

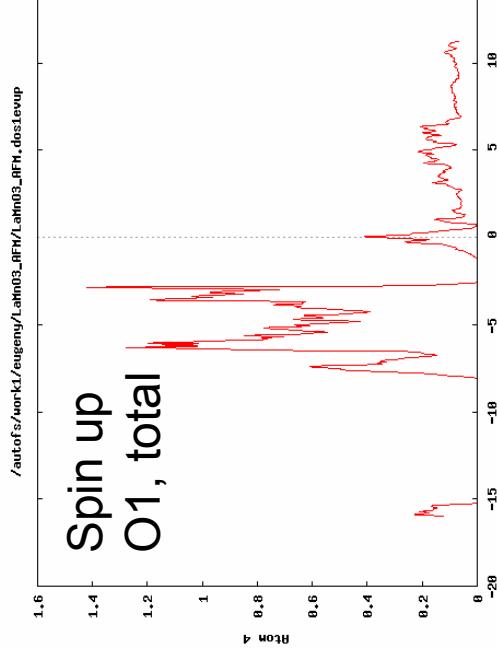


Spin up  
La, total

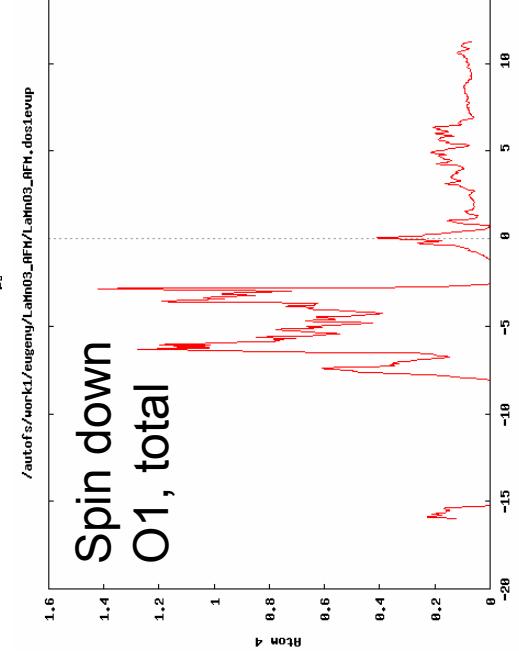
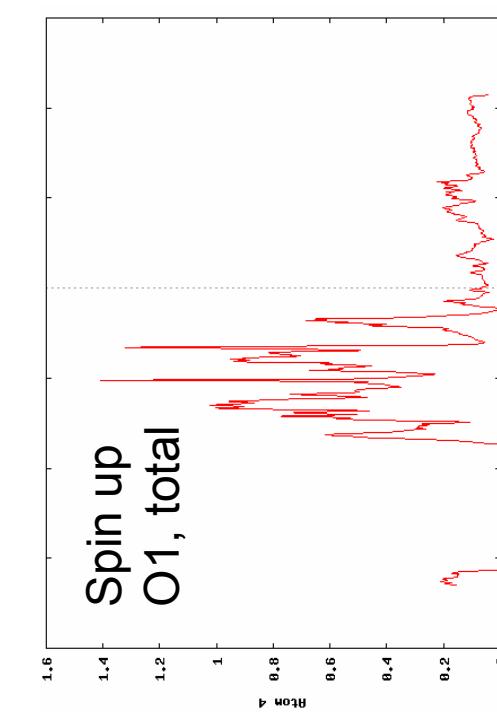


# Partial DOS for O (1) atoms LaMnO<sub>3</sub>

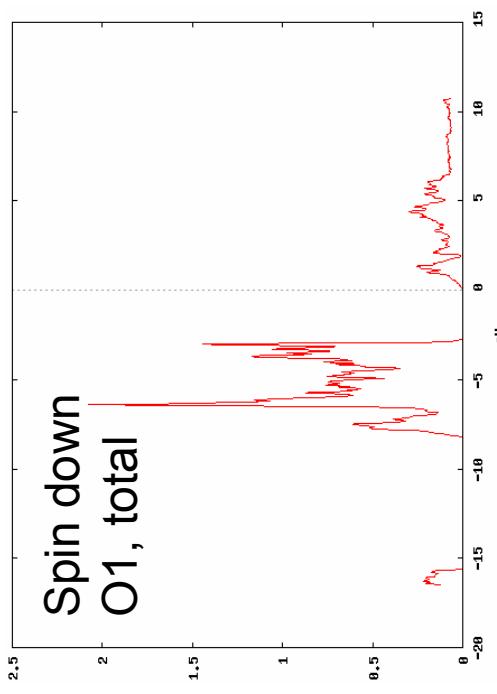
A-type Antiferromagnet



Ferromagnet



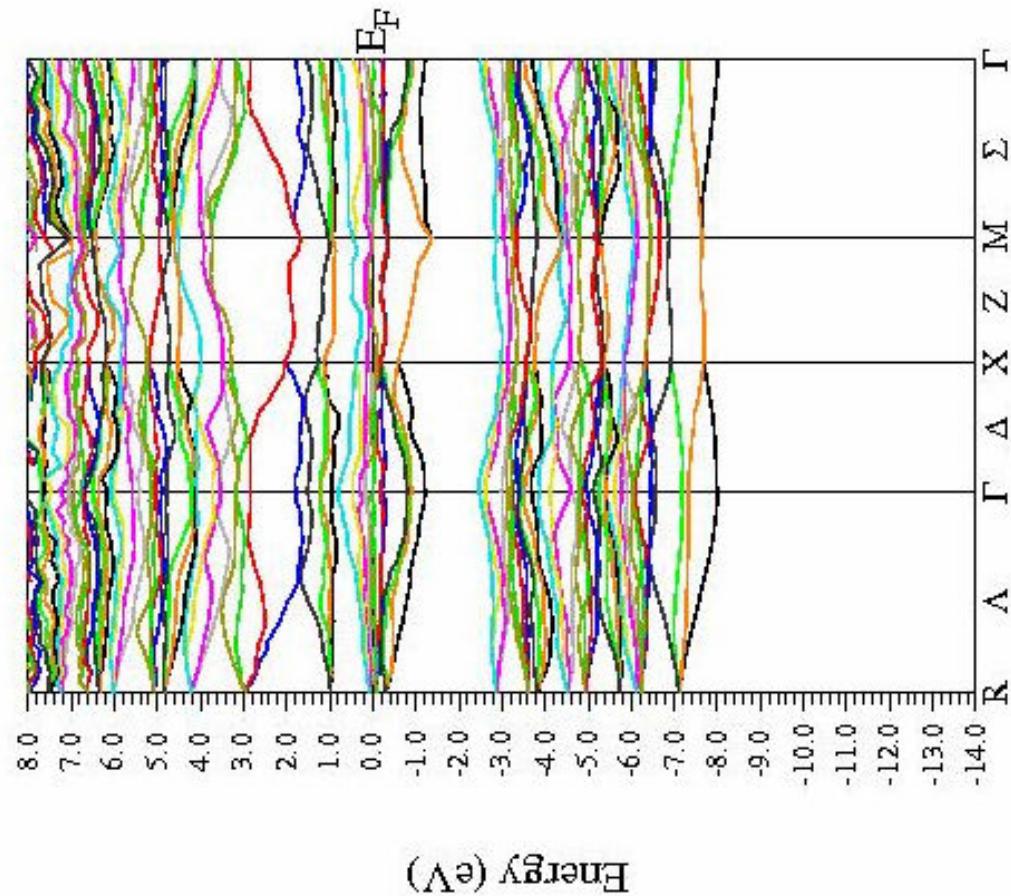
Spin down  
O1, total



# Band structure for A-AFM LaMnO<sub>3</sub>

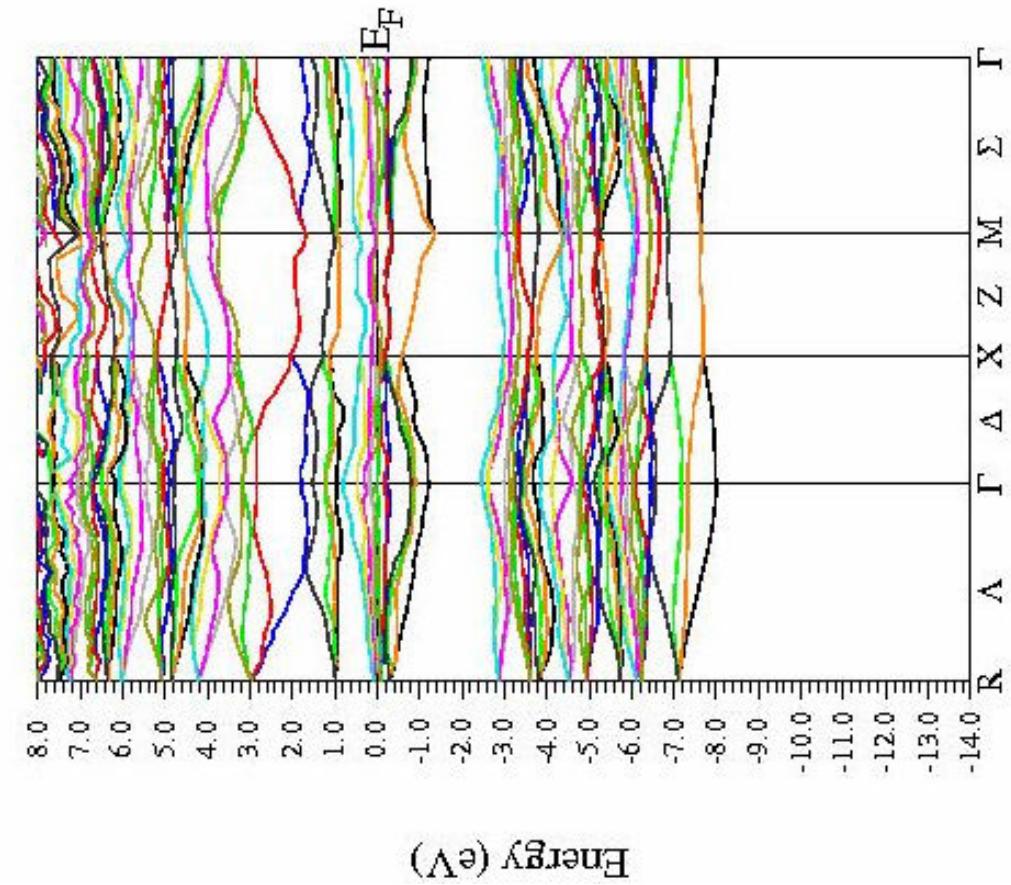
Spin up

LaMnO<sub>3</sub>\_AFM atom 0 size 0.20

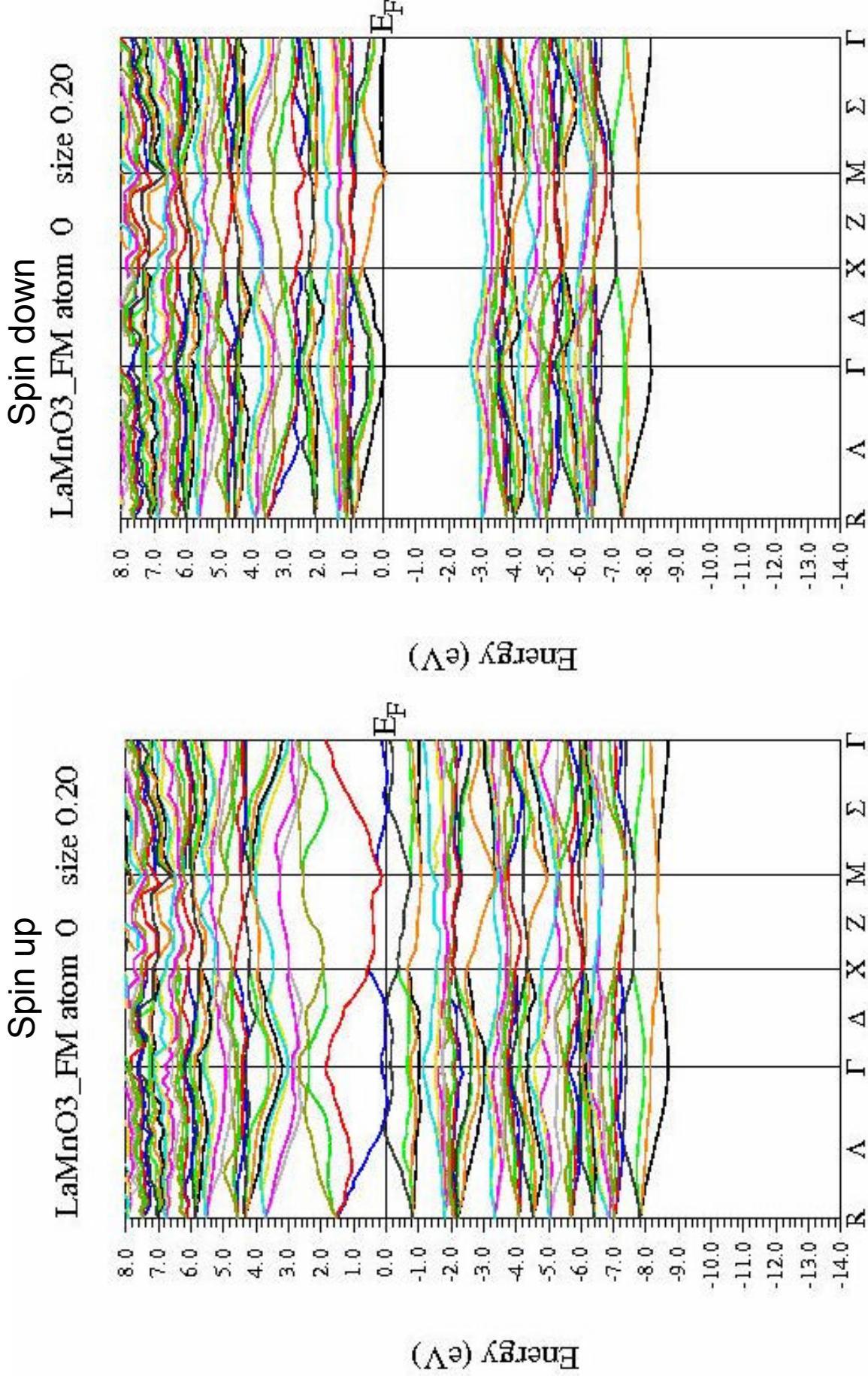


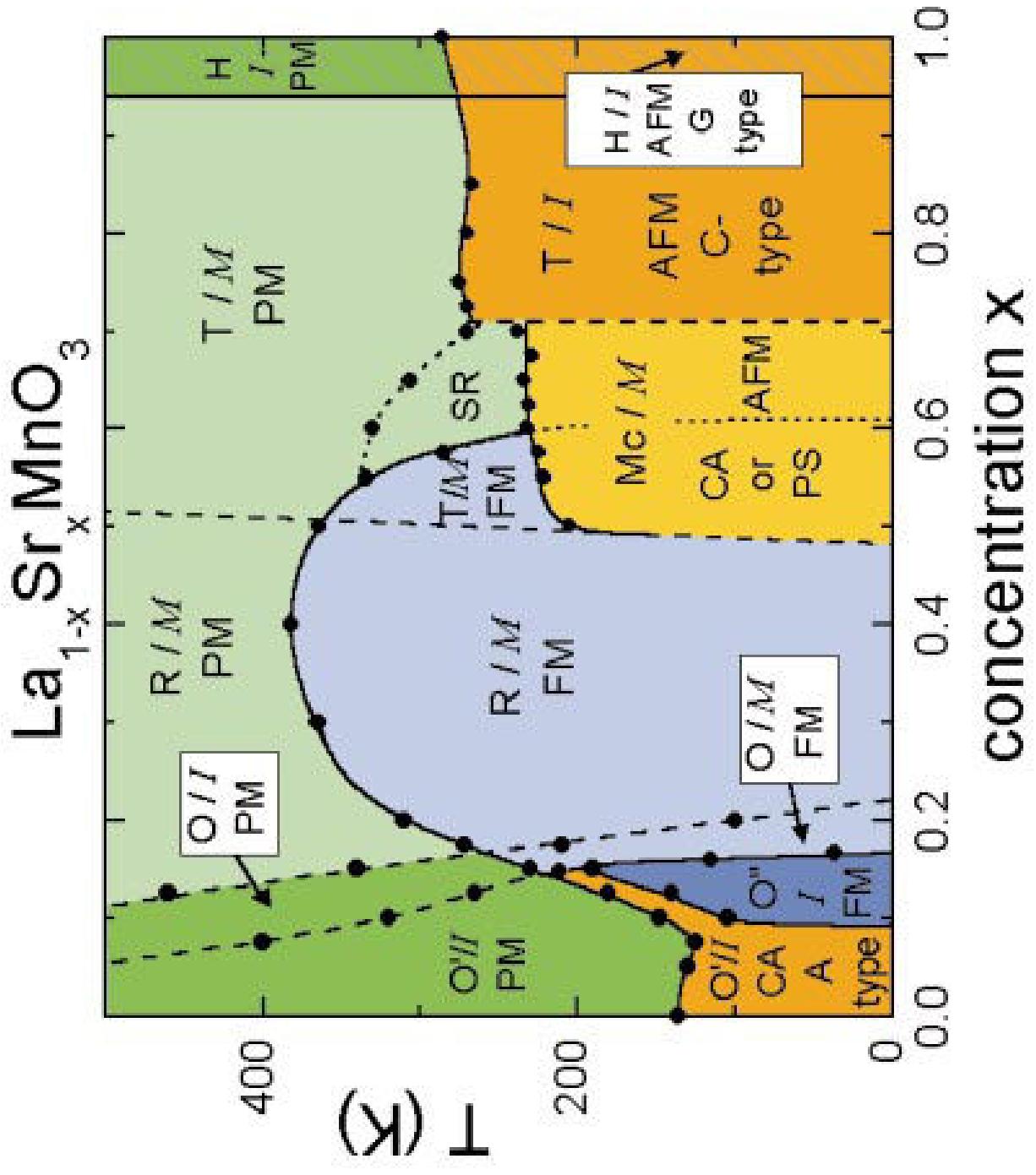
Spin down

LaMnO<sub>3</sub>\_AFM atom 0 size 0.20



# Band structure for FM LaMnO<sub>3</sub>

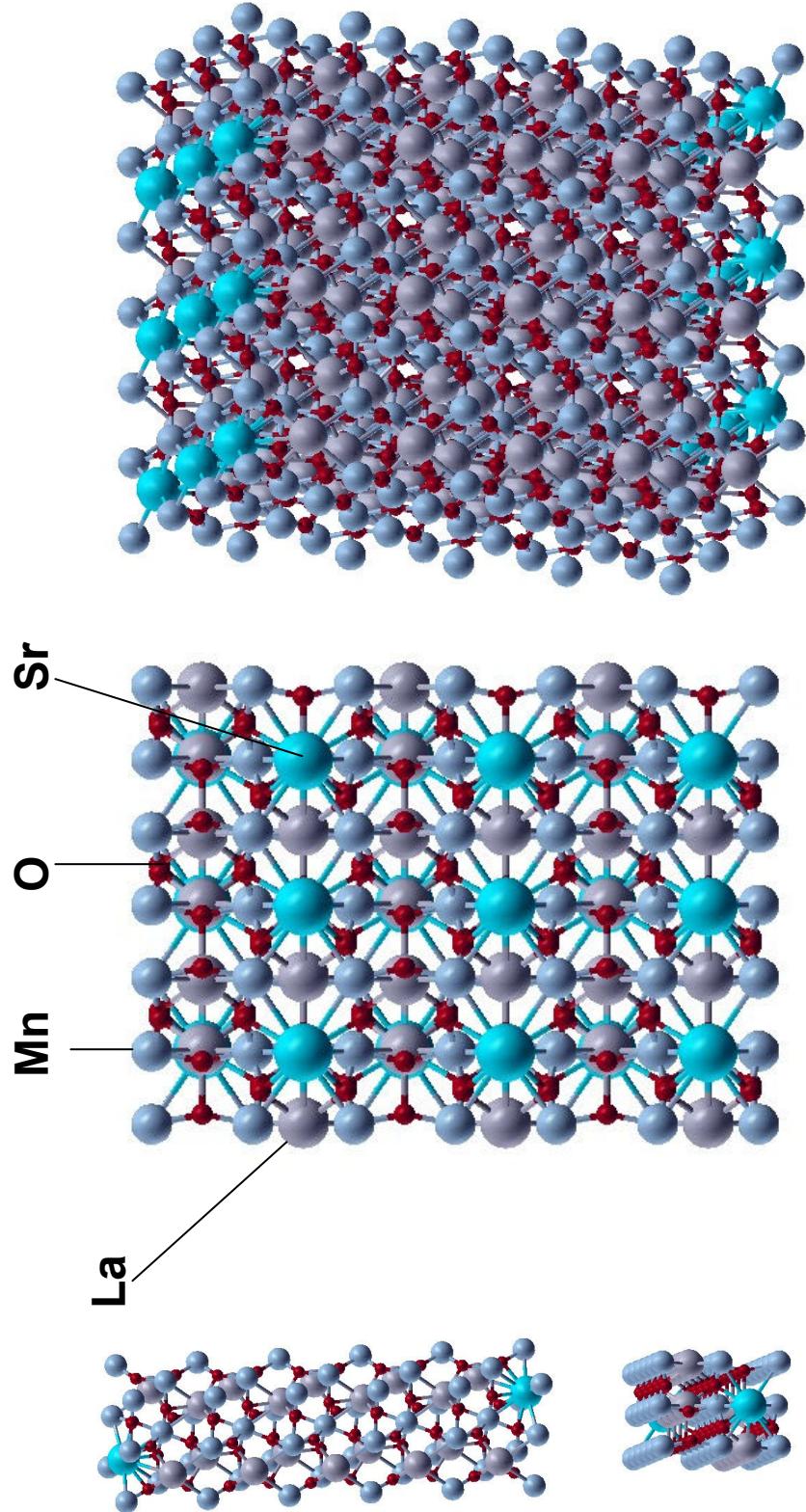




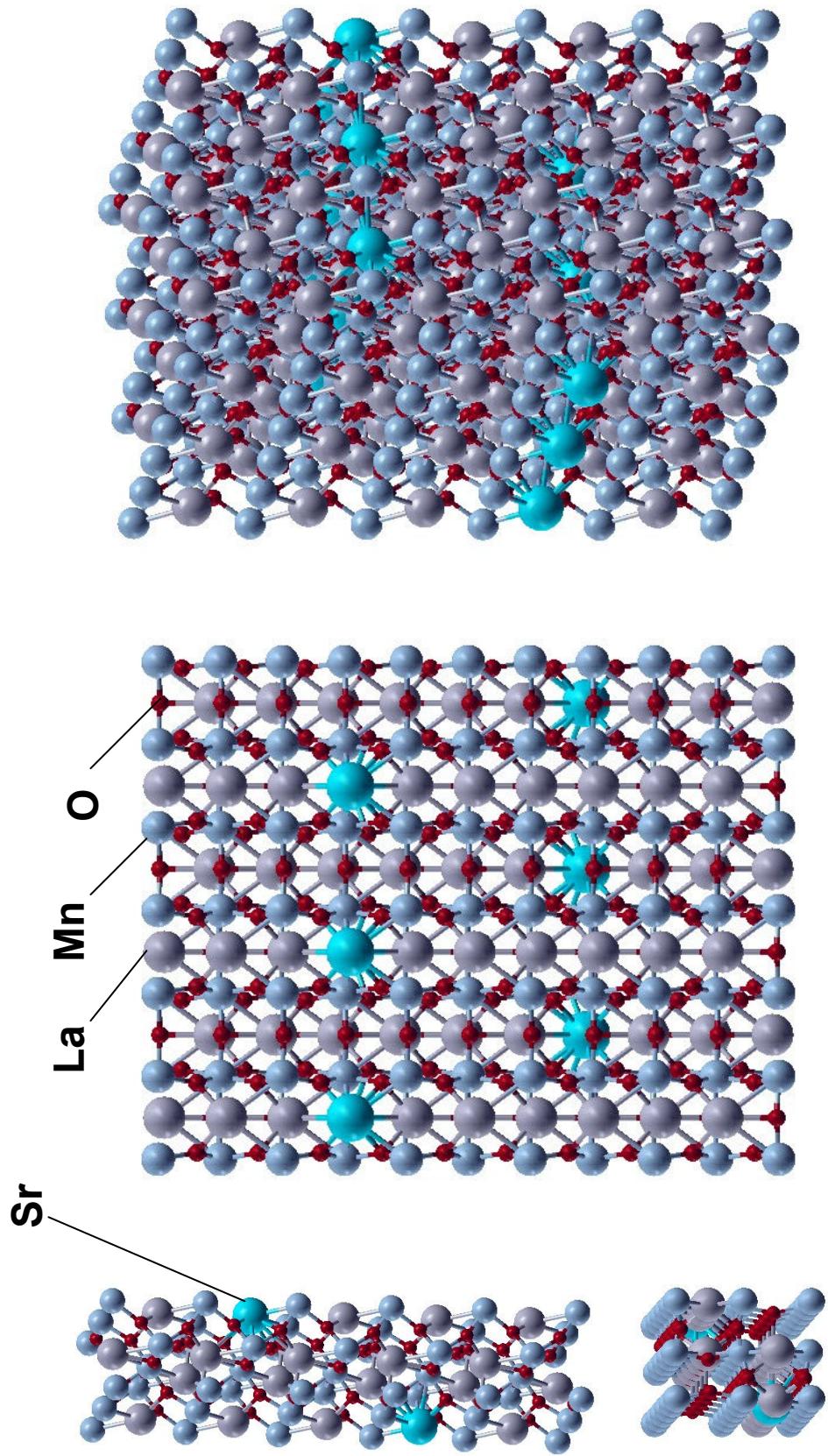
# 100 atoms supercell for thinly layered $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

- Inequivalent Atoms: 36
- Lattice: Spacegroup: 11-P21/m
- Number of symmetry operations: 4
- Lattice parameters:
  - a=10.45, b=54.25, c=14.49 (bohr)
  - $\alpha=\beta=\gamma=90^\circ$
  - Unit cell volume 8218.5
- 5 primitive cells in x direction
- Bravais lattice: Monoclinic primitive
- THE CRYSTAL SYSTEM IS ORTHORHOMBIC
- ORDER OF LATTICE POINT GROUP (NO BASE) : 8
- ORDER OF LATTICE SPACE GROUP (WITH BASE) = 4
- NON-SYMMORPHIC SPACE GROUP OR NON-STANDARD ORIGIN OF COORDINATES
- SPACE GROUP CONTAINS INVERSION

# 1) full occupation of (100) plane by Sr



## 2) half-occupation of (001/4) and (003/4) planes by Sr



# Input parameters $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

- LDA, Perdew-Burke-Ernzerhof 96, energy to separate core and valence states: -6,5 Ry
- RMT\*Kmax=4
- Temperature broadening scheme (TEMP), broadening factor 0.005
- Mixing factor 0.005
- U=4.5 eV ( $L = 2$   $U = 0.331$  Ry  $J = 0.0$  Ry), -orb, G. Trimarchi and N. Binggeli  
*Phys. Rev. B* **71**, 035101 (2005)
- LDA+U potential added for all Mn atoms
- 1 k-mesh before SCF (1 k-point), and 500 after achievement of the convergence (90 k-points was generated )
- Energy and charge convergence –c 0.0001 –ec 0.01
- Spin-polarized calculation

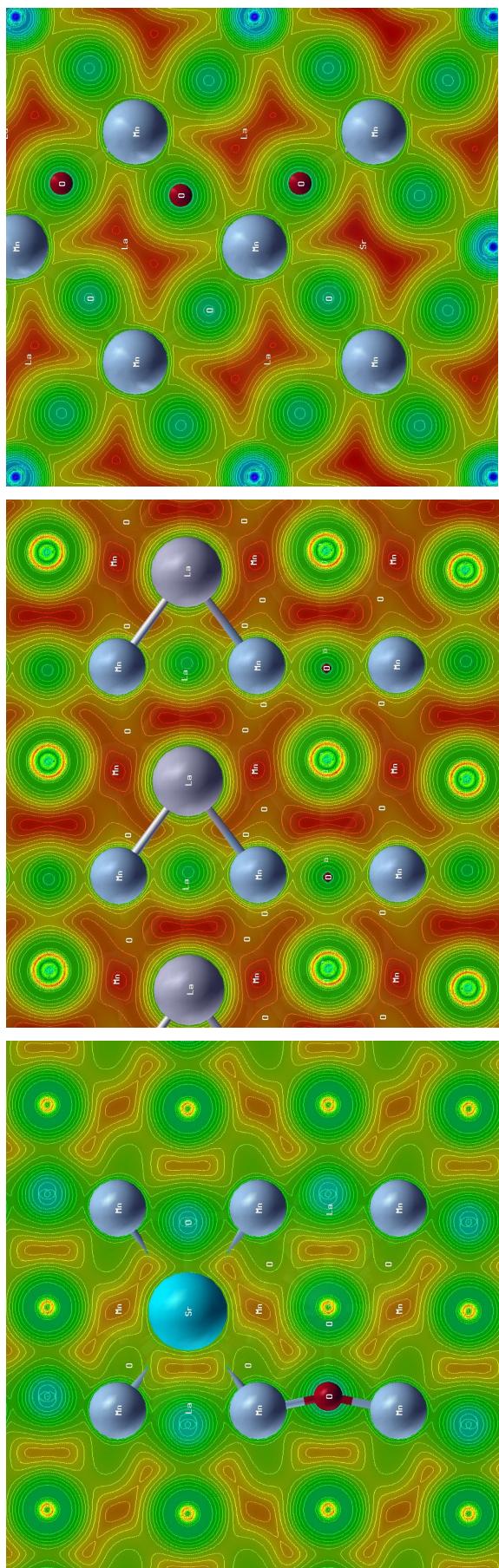
1) FULL OCCUPATION			2) PARTIAL OCCUPATION		
TOTAL ENERGY	-373985.412950 Ry		TOTAL ENERGY	-373985.419297 Ry	
F E R M I – ENERGY	0.627777 Ry		F E R M I – ENERGY	0.61365 Ry	
Chemical Potential	0.63050109 Ry		Chemical Potential	0.61364787 Ry	
ORBITAL MOMENT: PROJECTION ON M	0.0 0.0	0.0 0.0	ORBITAL MOMENT: PROJECTION ON M	0.0 0.0	0.0 0.0
SPIN MOMENT: PROJECTION ON M	0.00 -0.36006	-0.36006	SPIN MOMENT: PROJECTION ON M	0.00 -0.36769	-0.36769

Compound	Space group	Calculation of magnetic ordering	Number of atoms in cell (supercell)	k-mesh/ k-points	$E_{\text{tot}}$ per unit cell/ $E_{\text{tot}}$ per atom (Ry)	$M_{\text{tot}}$ per cell/ Mtot per atom Mn ( $\mu_B$ )	$E_F$ , eV
LaMnO <sub>3</sub>	62- Pmnma	nonmagnetic	20	1000 120	-79058.406 -3952.92	0	0.71504
LaMnO <sub>3</sub>	62- Pmnma	Spin-polarized	20	1000 120	-79058.812 -3952.94	15.99750 3.999	0.74194
LaMnO <sub>3</sub>	1-P1	ferromagnetic	20	10 4	-79058.525 -3952.93	16.13940 4.034	0.73543
LaMnO <sub>3</sub>	1-P1	antiferromagnetic, A-type	20	10 4	-79058.396 -3952.92	0	0.71875
LaMnO <sub>3</sub>	1-P1	antiferromagnetic, C-type	20	10 4	-79058.396 -3952.92	0	0.71875
LaMnO <sub>3</sub>	1-P1	antiferromagnetic, G-type	20	10 4	-79058.396 -3952.92	0	0.71875
La <sub>87.5</sub> Sr <sub>12.5</sub> MnO <sub>3</sub> 1 cluster (1 atom Sr)	1-P1	Spin-polarized	40	10 4	-147473.101 -3686.83	-	-0.12127
La <sub>75</sub> Sr <sub>25</sub> MnO <sub>3</sub> 1 cluster (1 atoms Sr)	1-P1	Spin-polarized	20	10 4	-68423.090 -4921.16	15.17455 3.79	0.67372

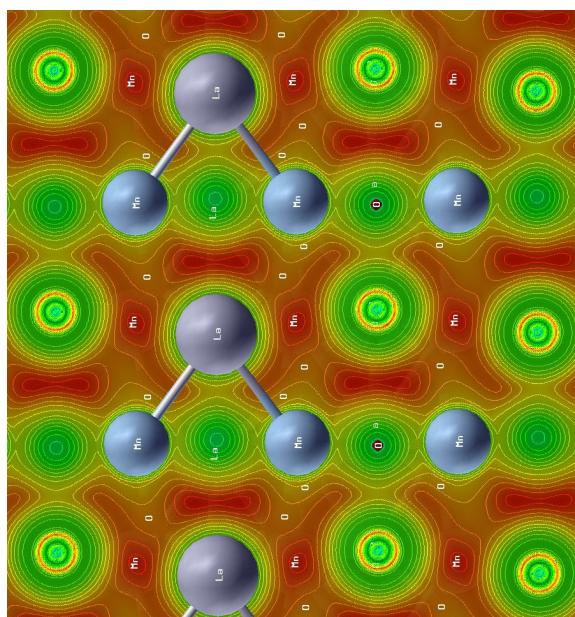
# Electron density plots $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

## 1) Full occupation spin up

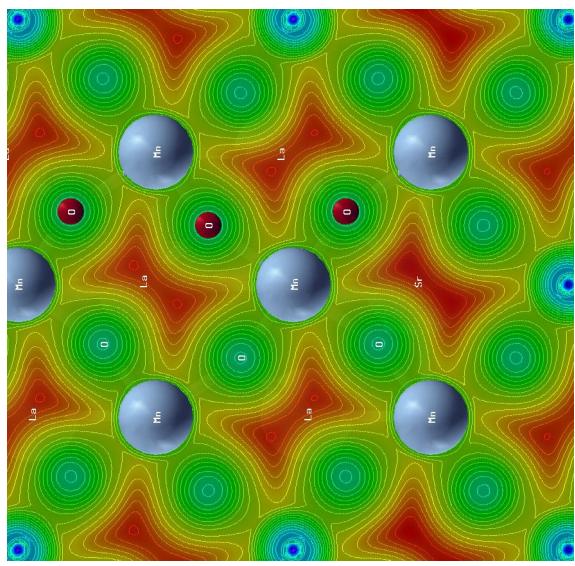
(100)



(001)



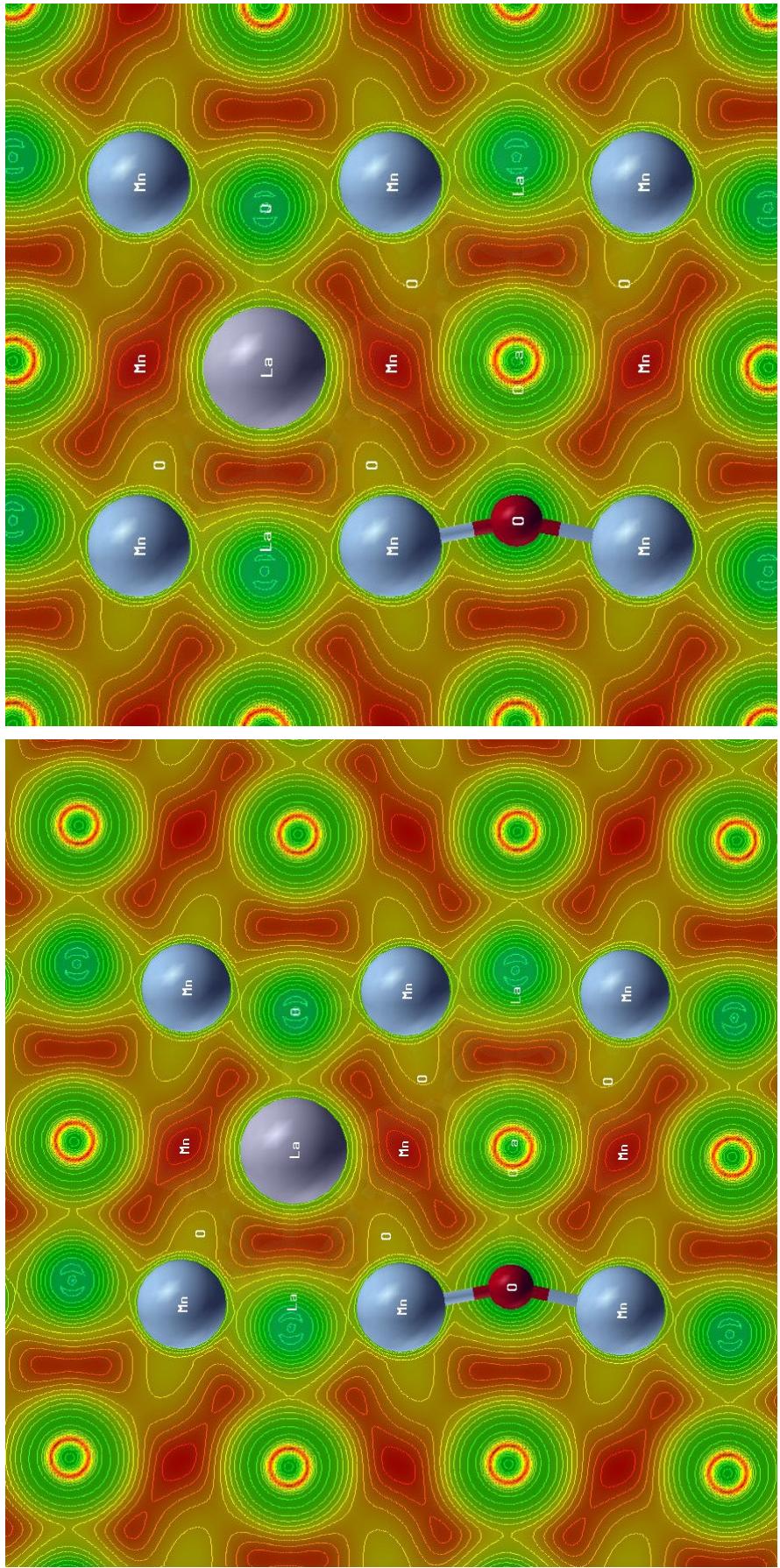
(010)



# Electron density plots $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

## 2) Partial occupation: view of (100) plane

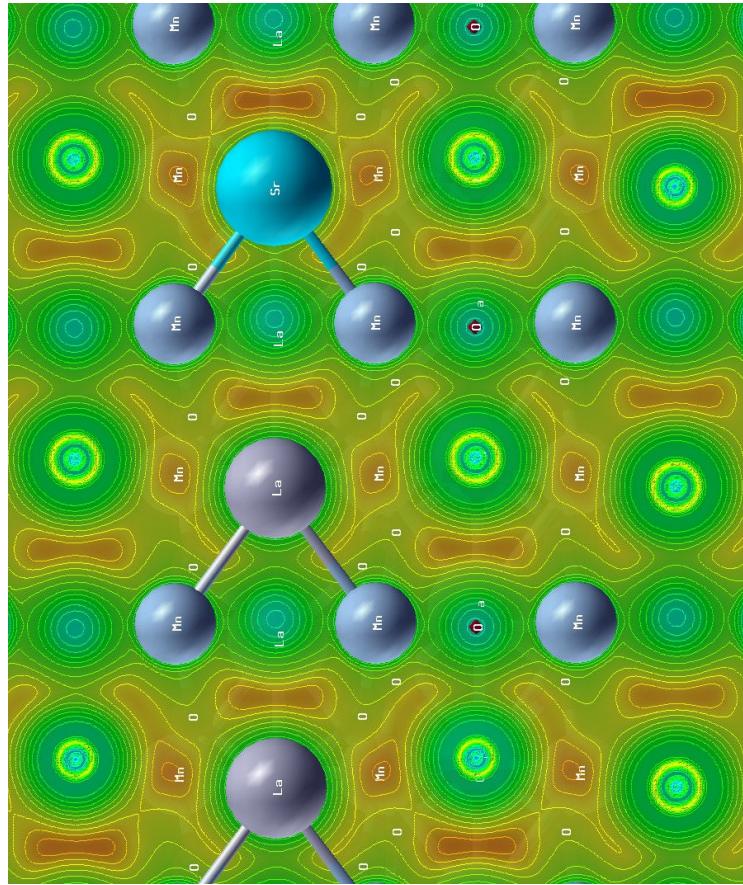
spin dn  
spin up



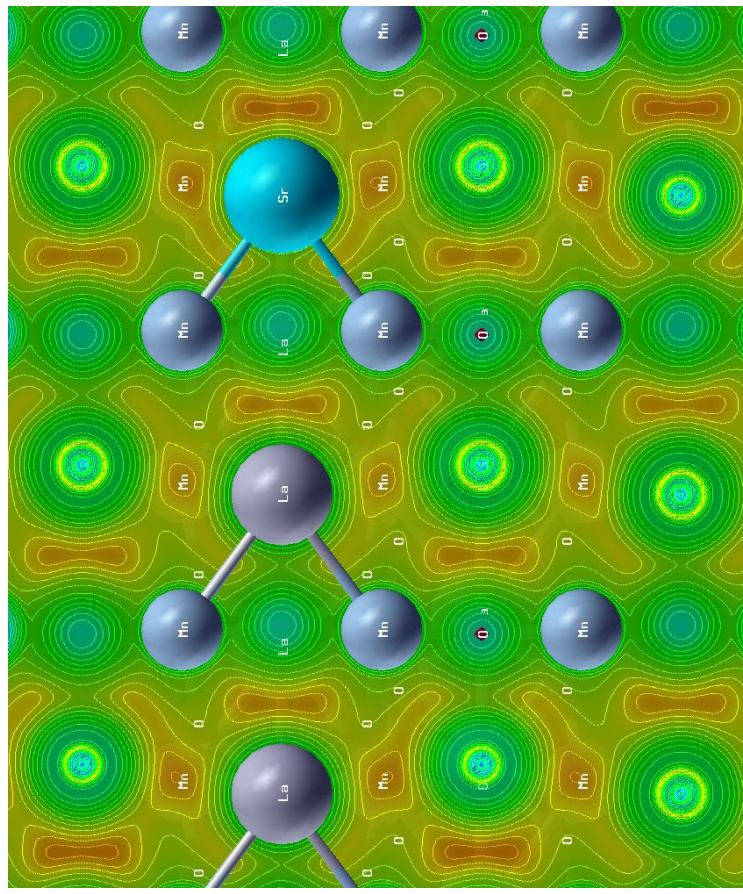
# Electron density plots $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

## 2) Partial occupation: view of (001) plane

spin up

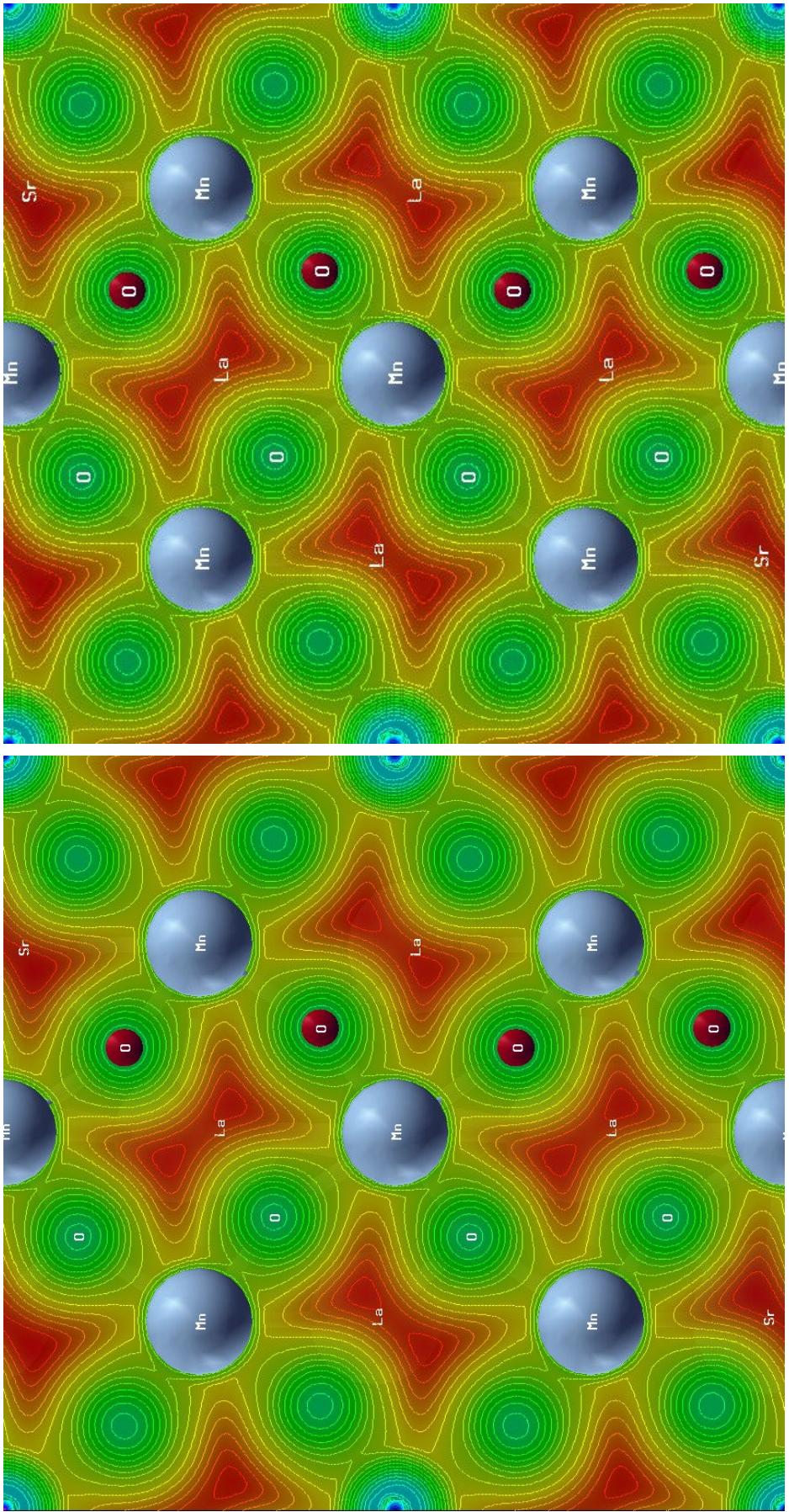


spin dn



# Electron density plots $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

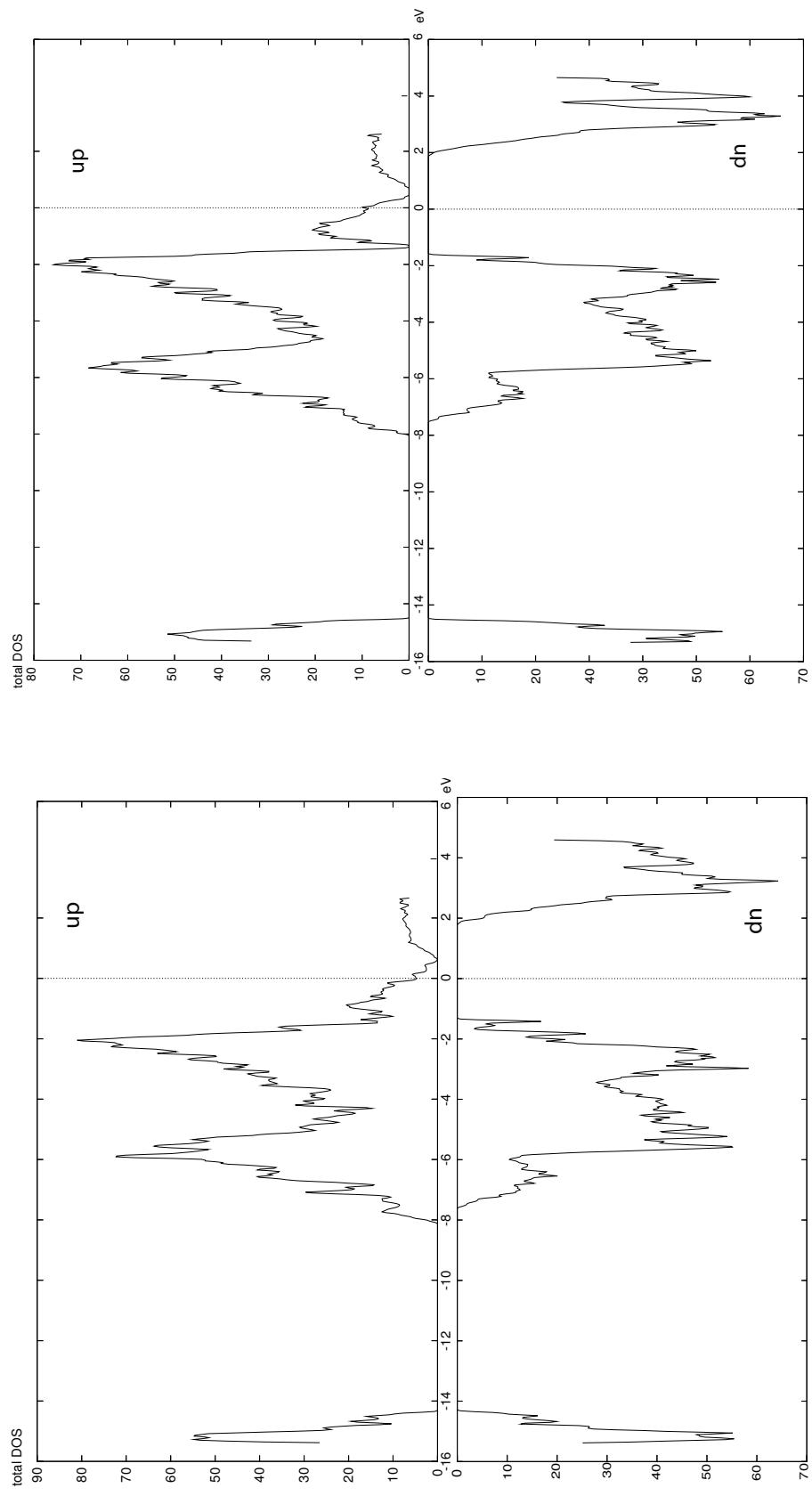
## 2) Partial occupation: view of (010) plane spin dn



# Total DOS La<sub>0.9</sub>Sr<sub>0.1</sub>MnO<sub>3</sub>

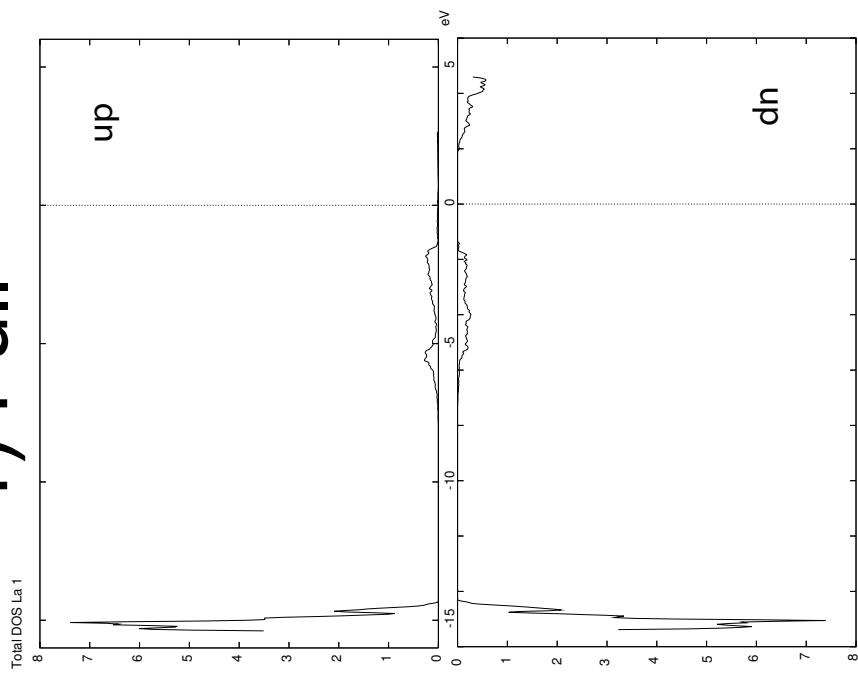
## 1) Full

## 2) Partial

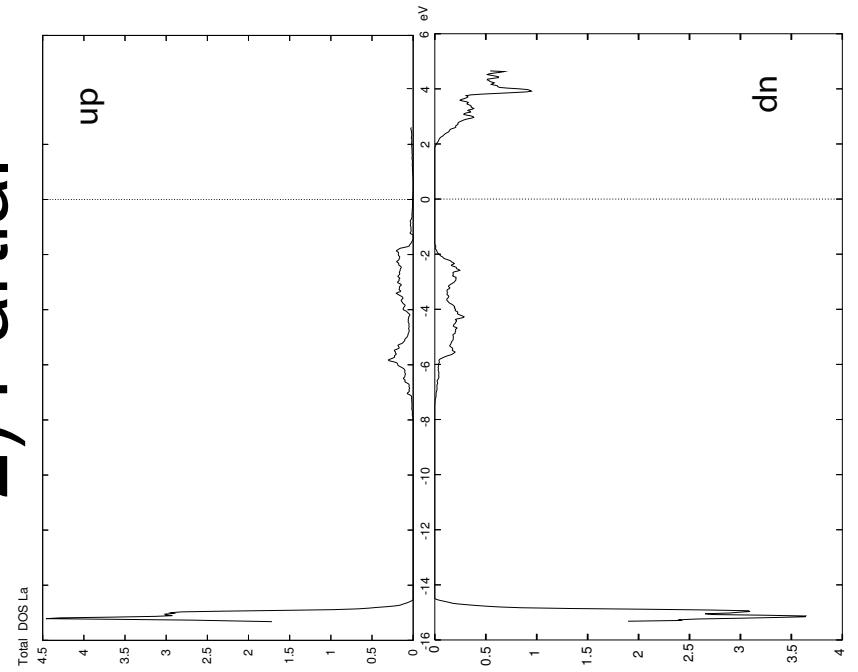


# Total DOS La

1) Full

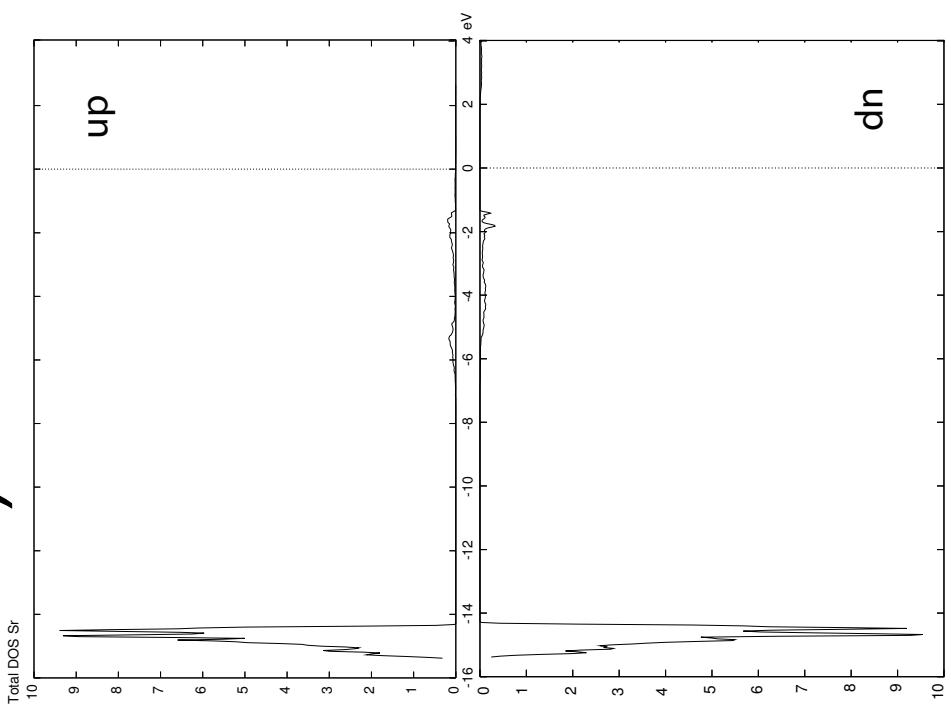


2) Partial

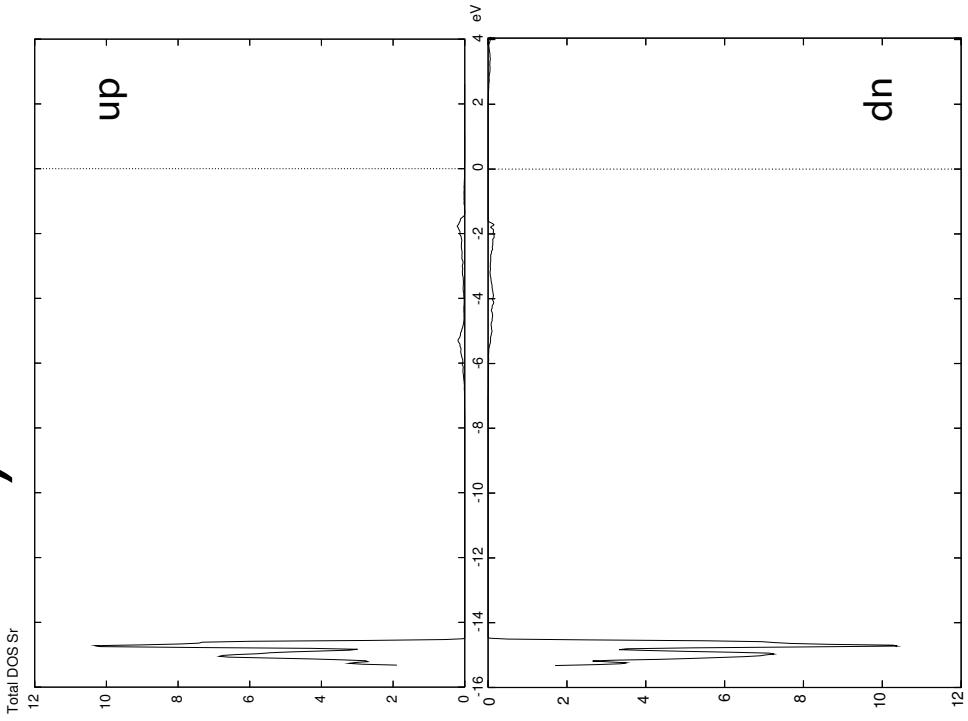


# Total DOS Sr

1 ) Full

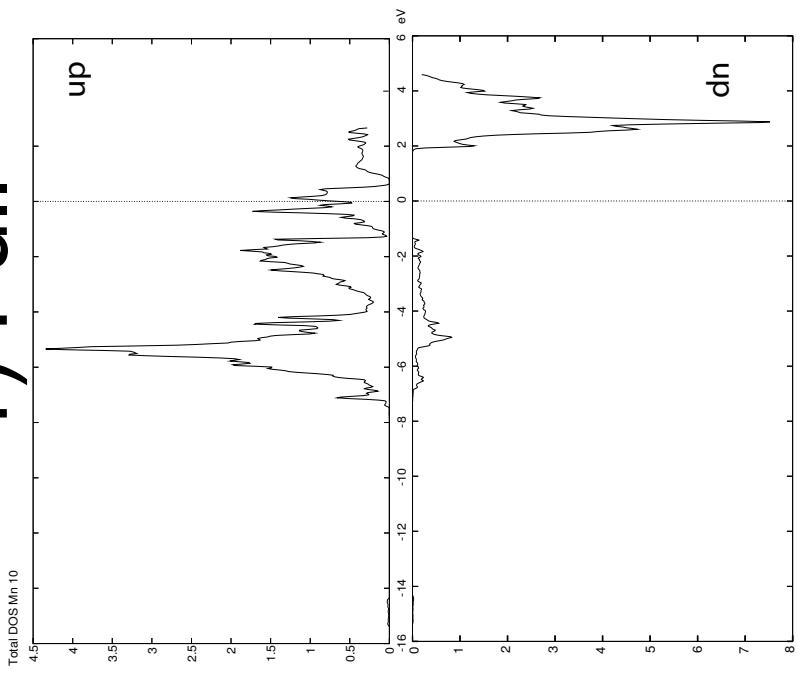


2) Partial

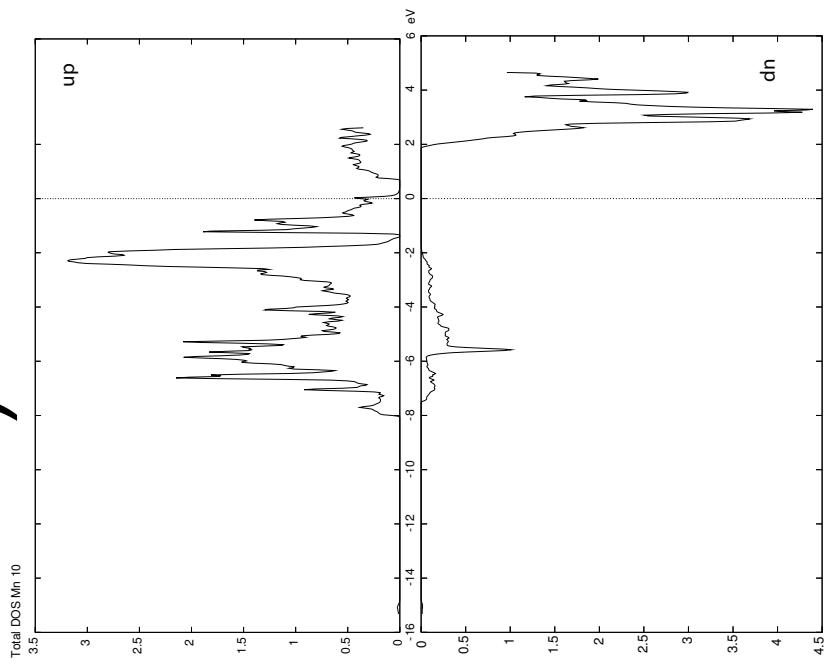


# Total DOS Mn (1)

1) Full



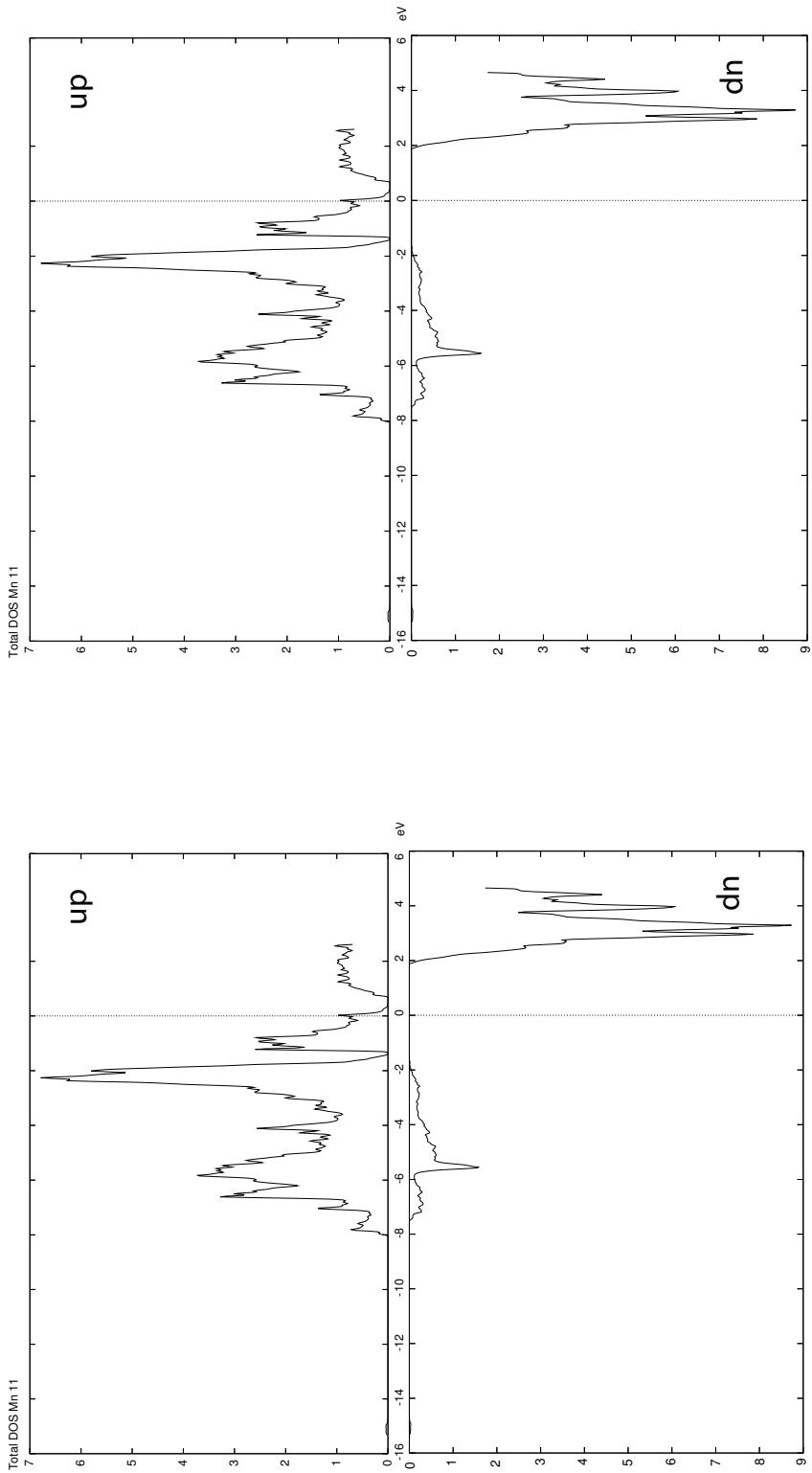
2) Partial



Coordinates of Mn  
 $x=0.0 \ y=0.0 \ z=0.0$   
 $x=0.0 \ y=0.0 \ z=0.5$

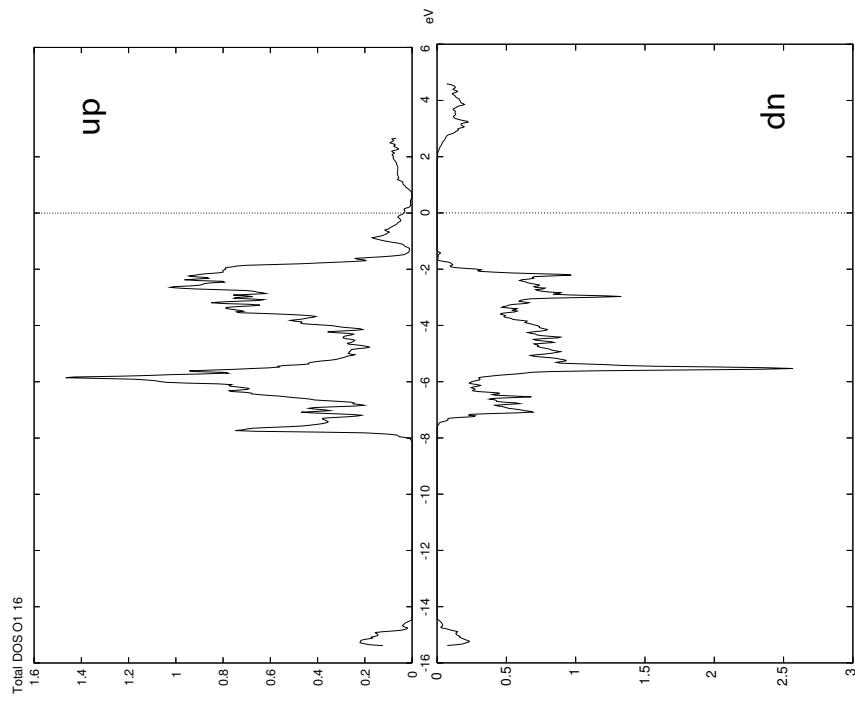
# Total DOS Mn (2)

1) Full  
2) Partial

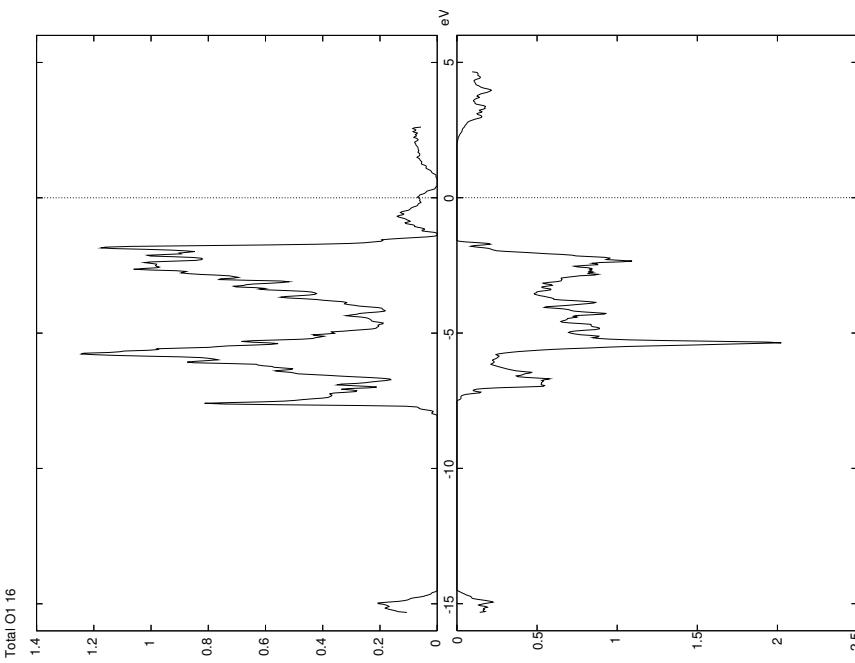


# Total DOS O(1)

1) Full

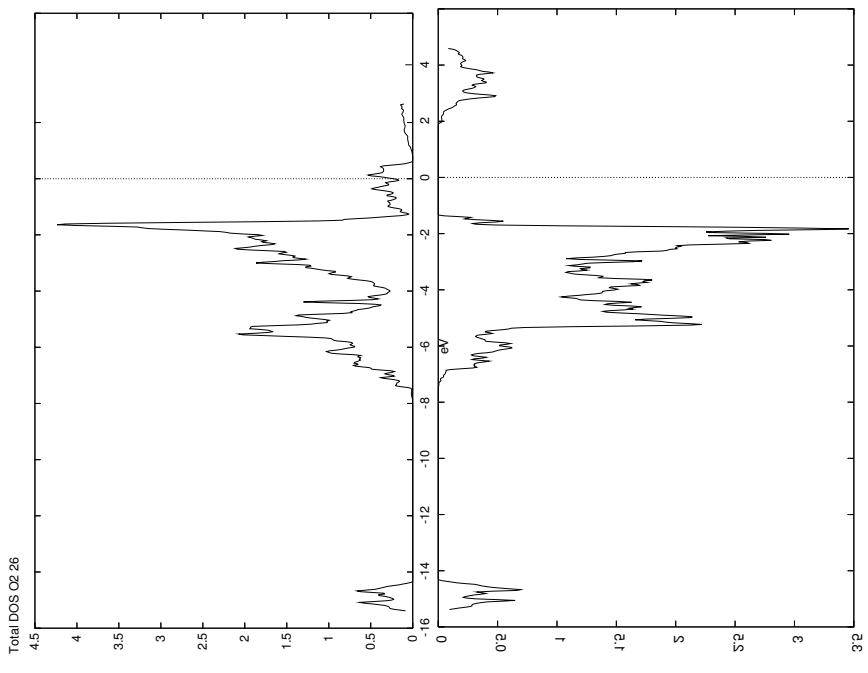


2) Partial

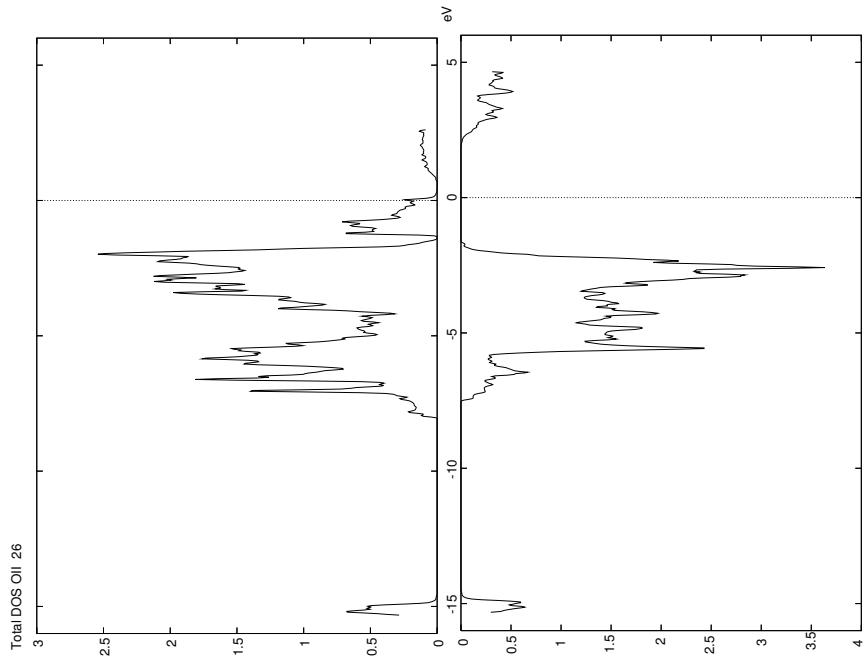


# Total DOS O(2)

1) Full

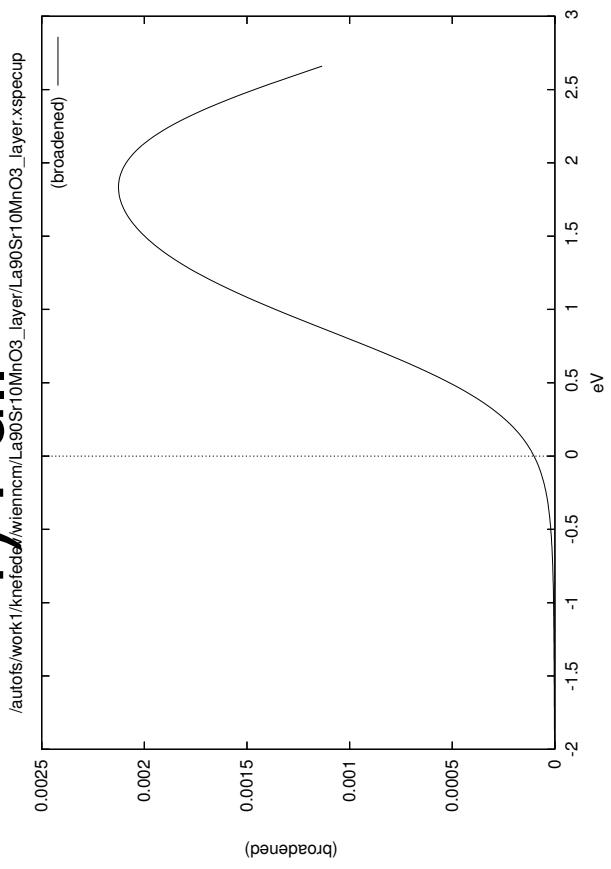


2) Partial

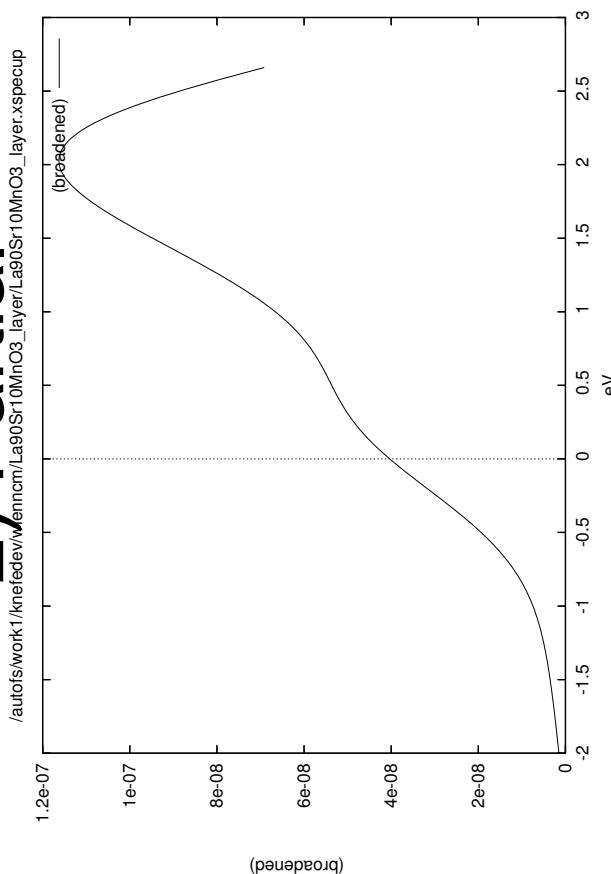


# X-spectrum La<sub>0.9</sub>Sr<sub>0.1</sub>MnO<sub>3</sub>

## 1) Full



## 2) Partial

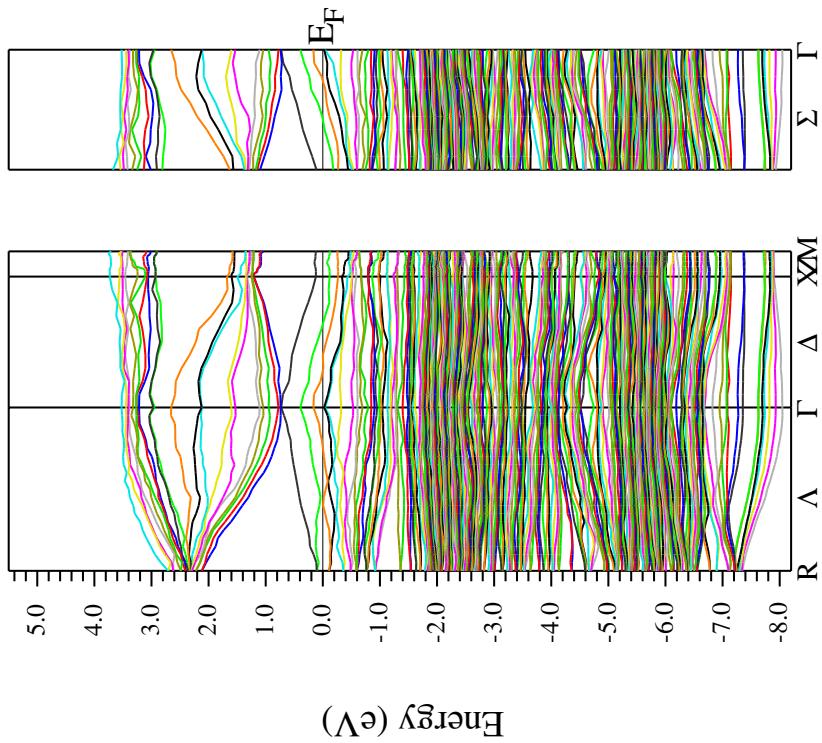


# Band Structure $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

## 1) Full occupation

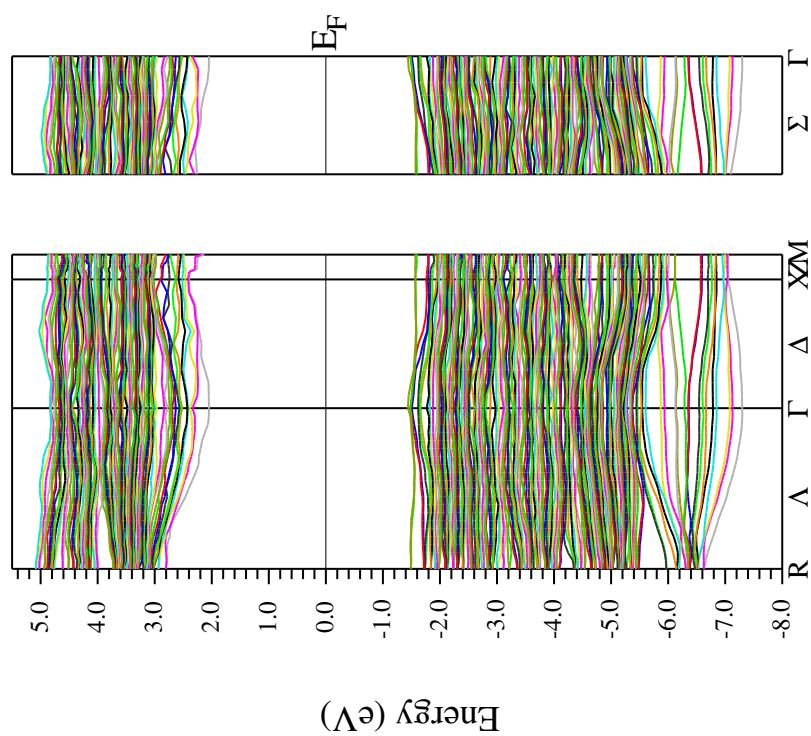
spin up

La90Sr10MnO<sub>3</sub> atom 0 size 0.20



spin dn

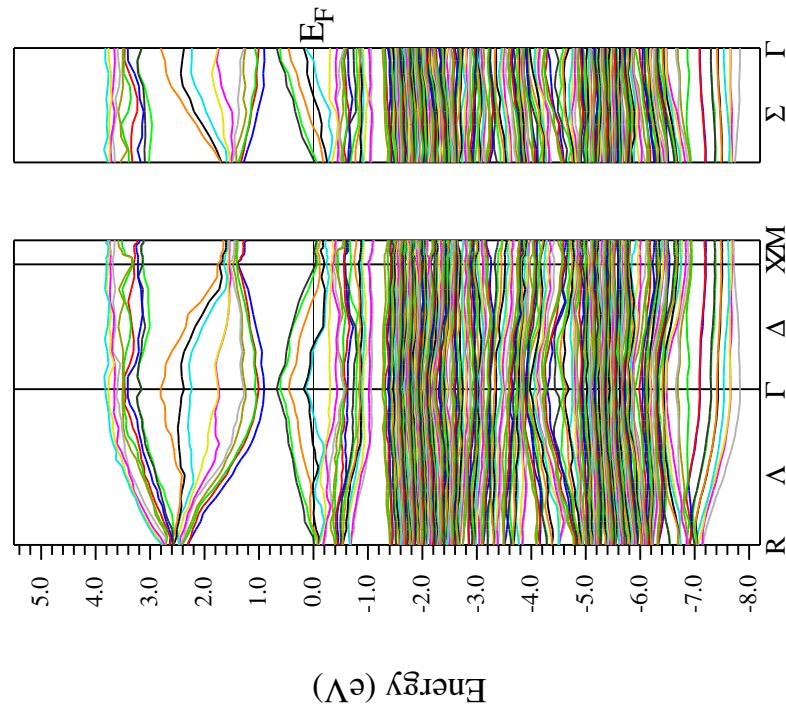
La90Sr10MnO<sub>3</sub> atom 0 size 0.20



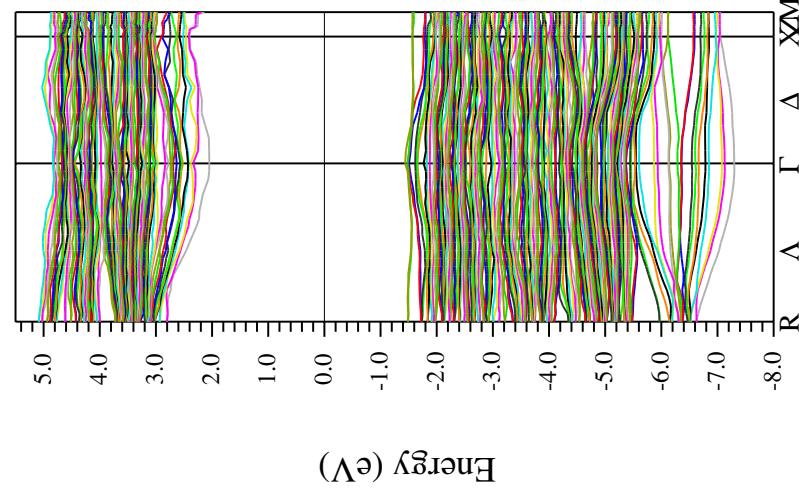
# Band Structure $\text{La}_{0.9}\text{Sr}_{0.1}\text{MnO}_3$

## 2) Partial occupation spin up

La90Sr10MnO<sub>3</sub> atom 0 size 0.20

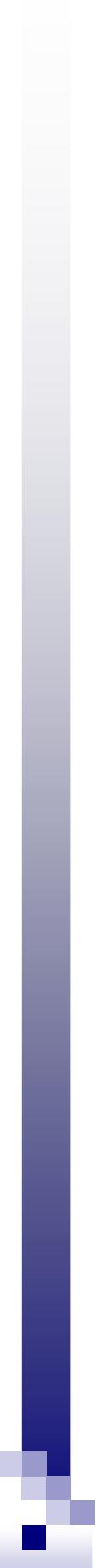


La90Sr10MnO<sub>3</sub> atom 0 size 0.20



## Summary

- DFT gives us an exact and powerful tool for theoretical research in condensed matter physics, chemistry, materials science
- WIEN2k program package is interesting and helpful implement for *ab initio* calculations of magnetic superstructures
- There is possibility to calculate different magnetic structures, but the choice of magnetic order type for the given crystal structure is made by hand.



**Thank you!**